## Chapter 5

## Using Sources and Stimuli

This chapter describes element and model statements for independent sources, dependent sources, analog-to-digital elements, and digital-to-analog elements. It also provides explanations of each type of element and model statement. Explicit formulas and examples show how various combinations of parameters affect the simulation.

The chapter covers the following topics:

- Independent Source Elements
- Star-Hspice Independent Source Functions
- Voltage and Current Controlled Elements
- Voltage Dependent Current Sources - G Elements
- Current Dependent Current Sources - F Elements
- Voltage Dependent Voltage Sources - E Elements
- Dependent Voltage Sources - H Elements
- Digital Files and Mixed Mode - U Elements


## Independent Source Elements

Use source element statements to specify either DC, AC, transient, or mixed independent voltage and current sources. Some types of analysis use the associated analysis sources. For example, in a DC analysis, if both DC and AC sources are specified in one independent source element statement, the AC source is taken out of the circuit for the DC analysis. If an independent source is specified for an AC, transient, and DC analysis, transient sources are removed for the AC analysis and DC sources are removed after the performance of the operating point. Initial transient value always overrides the DC value.

## Source Element Conventions

Voltage sources need not be grounded. Positive current is assumed to flow from the positive node through the source to the negative node. A positive current source forces current to flow out of the $\mathrm{N}+$ node through the source and into the N - node.

You can use parameters as values in independent sources. Do not identify these parameters using any of the following keywords:
AC ACI AM DC EXP PE PL

## Independent Source Element Statements

## Syntax

Vxxx n+ n- <<DC=> dcval> <tranfun> <AC=acmag, <acphase>>
or
Iyyy n+ n- <<DC=> dcval> <tranfun> <AC=acmag, <acphase>> <M=val> where:
$V x x x \quad$ independent voltage source element name. Must begin with a "V", which can be followed by up to 1023 alphanumeric characters.

| Iyyy | independent current source element name. Must begin with an "I", which can be followed by up to 1023 alphanumeric characters. |
| :---: | :---: |
| $n+$ | positive node |
| $n-$ | negative node |
| DC | DC source value, dcval. The "tranfun" value at time zero overrides the DC value (default=0.0). |
| tranfun | transient source function (AC, ACI, AM, DC, EXP, PE, PL, PU, PULSE, PWL, R, RD, SFFM, SIN) |
| AC | indicates source is to be used in an AC small-signal analysis |
| acmag | AC magnitude |
| acphase | AC phase (default=0.0) |
| M | multiplier used for simulating multiple parallel current sources. The current value is multiplied by M (default=1.0). |
| Examples |  |
| VX 105 V |  |
| VB 20 DC=VCC |  |
| VH $36 \mathrm{DC}=2 \mathrm{AC}=1,90$ |  |
| IG $87 \mathrm{PL}(1 \mathrm{MA}$ OS 5MA 25MS) |  |
| VCC 100 VCC PWL 00 10NS VCC 15NS VCC 20NS 0 |  |
| VIN 1320.001 AC 1 SIN (0 1 1MEG) |  |
| ISRC 2321 AC 0.333 45.0 SFFM (0 1 10K 51 K$)$ |  |
| VMEAS 129 |  |

## DC Sources

For a DC source, you can specify the DC current or voltage in different ways:
V1 10 DC=5V
V1 105 V
I1 10 DC=5mA
I1 105 mA
The first two examples specify a DC voltage source of 5 V connected between node 1 and ground. The third and fourth examples specify a 5 mA DC current source between node 1 and ground. The direction of current is from node 1 to ground.

## AC Sources

AC current and voltage sources are impulse functions used for an AC analysis. Specify the magnitude and phase of the impulse with the AC keyword.

V1 10 AC=10V, 90
VIN 10 AC 10V 90
The above two examples specify an AC voltage source with a magnitude of 10 V and a phase of 90 degrees. Specify the frequency sweep range of the AC analysis in the .AC analysis statement. The AC or frequency domain analysis provides the impulse response of the circuit.

## Transient Sources

For transient analysis, you can specify the source as a function of time. The functions available are pulse, exponential, damped sinusoidal, single frequency FM, and piecewise linear function.

## Mixed Sources

Mixed sources specify source values for more than one type of analysis. For example, you can specify a DC source specified together with an AC source and transient source, all of which are connected to the same nodes. In this case, when specific analyses are run, Star-Hspice selects the appropriate DC, AC, or transient source. The exception is the zero-time value of a transient source, which overrides the DC value, and is selected for operating-point calculation for all analyses.

VIN 1320.5 AC 1 SIN ( 01 1MEG)
The above example specifies a DC source of 0.5 V , an AC source of 1 V , and a transient damped sinusoidal source, each of which are connected between nodes 13 and 2 . For DC analysis, the program uses zero source value since the sinusoidal source is zero at time zero.

## Star-Hspice Independent Source Functions

Star-Hspice provides the following types of independent source functions:

- Pulse (PULSE function)
- Sinusoidal (SIN function)
- Exponential (EXP function)
- Piecewise linear (PWL function)
- Single-frequency FM (SFFM function)
- Single-frequency AM (AM function)

PWL also comes in a data driven version. The data driven PWL allows the results of an experiment or a previous simulation to provide one or more input sources for a transient simulation.

The independent sources supplied with Star-Hspice permit the designer to specify a variety of useful analog and digital test vectors for either steady state, time domain, or frequency domain analysis. For example, in the time domain, both current and voltage transient waveforms can be specified as exponential, sinusoidal, piecewise linear, single-sided FM functions, or AM functions.

## Pulse Source Function

Star-Hspice has a trapezoidal pulse source function, which starts with an initial delay from the beginning of the transient simulation interval to an onset ramp. During the onset ramp, the voltage or current changes linearly from its initial value to the pulse plateau value. After the pulse plateau, the voltage or current moves linearly along a recovery ramp, back to its initial value. The entire pulse repeats with a period per from onset to onset.

## Syntax

PULSE <(>v1 v2 <td <tr <tf <pw <per>>>>> <)>
or

```
    PU <(>v1 v2 <td <tr <tf <pw <per>>>>> <)>
```

where:

| $v 1$ | initial value of the voltage or current, before the pulse onset <br> $v 2$ |
| :--- | :--- |
| $t d$ | pulse plateau value |
| $t r$ | delay time in seconds from the beginning of transient <br> interval to the first onset ramp (default=0.0 and for td $<0.0$, <br> td=0.0 is used as well) |
| $t f$ | duration of the onset ramp, from the initial value to the pulse <br> plateau value (reverse transit time) (default=TSTEP) |
| $p w$ | duration of the recovery ramp, from the pulse plateau back <br> to the initial value (forward transit time) (default=TSTEP) |
| pulse width (the width of the pulse plateau portion of the |  |
| pulse) (default=TSTEP) |  |

## Example 1

```
VIN 30 PULSE (-1 1 2NS 2NS 2NS 50NS 100NS)
V1 990 PU lv hv tdlay tris tfall tpw tper
```

The first example specifies a pulse source connected between node 3 and node 0 . The pulse has an output high voltage of 1 V , an output low voltage of -1 V , a delay of 2 ns , a rise and fall time of 2 ns , a high pulse width of 50 ns , and a period of 100 ns . The second example specifies pulse value parameters in the .PARAM statement.

| Single pulse <br> Time | Value |
| :--- | :--- |
| 0 | $v 1$ |
| td | $v 1$ |
| $\mathrm{td}+\mathrm{tr}$ | $v 2$ |
| $\mathrm{td}+\mathrm{tr}+\mathrm{pw}$ | $v 2$ |
| $\mathrm{td}+\mathrm{tr}+\mathrm{pw}+\mathrm{tf}$ | $v 1$ |
| tstop | $v 1$ |

Intermediate points are determined by linear interpolation.

Note: TSTEP is the printing increment, and TSTOP is the final time.

## Example 2

```
file pulse.sp test of pulse
.option post
.tran .5ns 75ns
vpulse 1 0 pulse( v1 v2 td tr tf pw per )
r1 1 0 1
.param v1=1v v2=2v td=5ns tr=5ns tf=5ns pw=20ns
+ per=50ns
.end
```



Figure 5-1: Pulse Source Function

## Sinusoidal Source Function

Star-Hspice has a damped sinusoidal source that is the product of a dying exponential with a sine wave. Application of this waveform requires the specification of the sine wave frequency, the exponential decay constant, the beginning phase, and the beginning time of the waveform, as explained below.

```
Syntax
    SIN <(>vo va <freq <td <0<\varphi>>>> <)>
```

where:
vo voltage or current offset in volts or amps
$v a \quad$ voltage or current amplitude in volts or amps
freq frequency in Hz (default=1/TSTOP)
$t d \quad$ delay in seconds (default=0.0)
$\theta \quad$ damping factor in $1 /$ seconds (default $=0.0$ )
$\varphi$
phase delay in degrees (default=0.0)

## Example

VIN 30 SIN (0 1 100MEG 1NS 1e10)
The example specifies a damped sinusoidal source connected between nodes 3 and 0 . The waveform has a peak value of 1 V , an offset of 0 V , a 100 MHz frequency, a time delay of 1 ns , a damping factor of 1 e 10 , and a phase delay of zero degrees.

Waveform shape

| Time | Value |
| :--- | :--- |
| 0 to $t d$ | $v o+v a \cdot \operatorname{SIN}\left(\frac{2 \cdot \Pi \cdot \varphi}{360}\right)$ |
|  | $v o+v a \cdot \operatorname{Exp}[-($ Time $-t d) \cdot \theta] \cdot$ |
|  | $\operatorname{SIN}\left\{2 \cdot \Pi \cdot\left[\right.\right.$ freq $\cdot($ time $\left.\left.-t d)+\frac{\varphi}{360}\right]\right\}$ |

td to tstop
TSTOP is the final time; see the .TRAN statement for a detailed explanation.


Figure 5-2: Sinusoidal Source Function

## Example

*File: SIN.SP THE SINUSOIDAL WAVEFORM
*<decay envelope>

```
.OPTIONS POST
.PARAM VO=0 VA=1 FREQ=100MEG DELAY=2N THETA=5E7
+ PHASE=0
V 1 0 SIN (VO VA FREQ DELAY THETA PHASE)
R 1 0 1
.TRAN .05N 50N
.END
```


## Exponential Source Function

## Syntax

```
EXP <(>v1 v2 <td1 <\tau1 <td2 <\tau2>>>> <)>
```

where:

| $v 1$ | initial value of voltage or current in volts or amps |
| :--- | :--- |
| $v 2$ | pulsed value of voltage or current in volts or amps |
| $t d 1$ | rise delay time in seconds (default=0.0) |
| $t d 2$ | fall delay time in seconds (default=td1+TSTEP) |
| $\tau 1$ | rise time constant in seconds (default=TSTEP) |
| $\tau 2$ | fall time constant in seconds (default=TSTEP) |

## Example

VIN 30 EXP (-4 -1 2NS 30NS 60NS 40NS)
The above example describes an exponential transient source that is connected between nodes 3 and 0 . It has an initial $t=0$ voltage of -4 V and a final voltage of -1 V . The waveform rises exponentially from -4 V to -1 V with a time constant of 30 ns . At 60 ns it starts dropping to -4 V again, with a time constant of 40 ns .

TSTEP is the printing increment, and TSTOP is the final time.

## Waveform shape

Time
Value

$$
\begin{array}{lc}
0 \text { to td1 } & v 1 \\
t d 1 \text { to } t d 2 & v 1+(v 2-v 1) \cdot\left[1-\operatorname{Exp}\left(-\frac{\text { Time }-t d 1}{\tau_{1}}\right)\right] \\
t d 2 \text { to tstop } & v 1+(v 2-v 1) \cdot\left[1-\operatorname{Exp}\left(-\frac{t d 2-t d 1}{\tau_{1}}\right)\right] . \\
& \operatorname{Exp}\left[\frac{-(\text { Time }-t d 2)}{\tau_{2}}\right]
\end{array}
$$



Figure 5-3: Exponential Source Function

## Example

*FILE: EXP.SP THE EXPONENTIAL WAVEFORM
.OPTIONS POST
.PARAM V1=-4 V2=-1 TD1=5N TAU1=30N TAU2=40N TD2=80N

```
V 1 0 EXP (V1 V2 TD1 TAU1 TD2 TAU2)
R 1 0 1
.TRAN .05N 200N
.END
```


## Piecewise Linear Source Function

## Syntax

PWL <(>t1 v1 <t2 v2 t3 v3...> <R <=repeat>> <TD=delay> <) >

## MSINC and ASPEC

PL <(>v1 t1 <v2 t2 v3 t3...> <R <=repeat>> <TD=delay> <)>
where
$v 1 \ldots$ specifies current or voltage values
$t 1 \ldots$ specifies segment time values
$R \quad$ causes the function to repeat
repeat specifies the start point of the waveform which is to be repeated
$T D$
is keyword for time delay before piecewise actually starts
delay specifies the length of time to delay the piecewise linear function

Each pair of values $(\mathrm{t} 1, \mathrm{v} 1)$ specifies that the value of the source is v 1 (in volts) at time t 1 . The value of the source at intermediate values of time is determined by linear interpolation between the time points. ASPEC style formats are accommodated by the "PL" form of the function, which reverses the order of the time-voltage pairs to voltage-time pairs. Star-Hspice uses the DC value of the source as the time-zero source value if no time-zero point is given. Also, StarHspice does not force the source to terminate at the TSTOP value specified in the .TRAN statement.

Specify " $R$ " to cause the function to repeat. You can specify a value after this " $R$ " to indicate the beginning of the function to be repeated: the repeat time must equal a breakpoint in the function. For example, if $\mathrm{t} 1=1, \mathrm{t} 2=2, \mathrm{t} 3=3$, and $\mathrm{t} 4=$ 4 , "repeat" can be equal to 1,2 , or 3 .

Specify TD=val to cause a delay at the beginning of the function. You can use TD with or without the repeat function.

## Example

```
*FILE: PWL.SP THE REPEATED PIECEWISE LINEAR SOURCE
*ILLUSTRATION OF THE USE OF THE REPEAT FUNCTION "R"
.file pwl.sp REPEATED PIECEWISE LINEAR SOURCE
.OPTION POST
.TRAN 5N 500N
V1 1 0 PWL 60N 0V, 120N 0V, 130N 5V, 170N 5V, 180N 0V, R 0N
R1 1 0 1
V2 2 0 PL OV 60N, OV 120N, 5V 130N, 5V 170N, OV 180N, R 60N
R2 2 0 1
. END
```



Figure 5-4: Results of Using the Repeat Function

## Data Driven Piecewise Linear Source Function

## Syntax

PWL (TIME, PV)
.DATA datanam
TIME PV
t1 v1
t2 v2
t3 v3
t4 v4
.ENDDATA
.TRAN DATA=datanam
where
TIME parameter for a time value provided in a .DATA statement
$P V \quad$ parameter for an amplitude value provided in a .DATA statement

You must use this source with a .DATA statement that contains time-value pairs. For each $t n-v n$ (time-value) pair given in the .DATA block, the data driven PWL function outputs a current or voltage of the given $t n$ duration and with the given $\mathrm{v} n$ amplitude.

This source allows you to use the results of one simulation as an input source in another simulation. The transient analysis must be data driven.

## Example

*DATA DRIVEN PIECEWISE LINEAR SOURCE
V1 10 PWL (TIME, pv1)
$\begin{array}{llll}\text { R1 } & 1 & 0 & 1\end{array}$
V2 20 PWL(TIME, pv2)
R2 201
.DATA dsrc
TIME pv1pv2
0 5v 0v
5n 0v 5v
$10 n 0 v 5 v$
. ENDDATA
.TRAN DATA=dsrc
. END

## Single-Frequency FM Source Function

## Syntax

```
SFFM <(> vo va <fc <mdi <fs>>> <)>
```

where
vo output voltage or current offset, in volts or amps $v a \quad$ output voltage or current amplitude, in volts or amps
$f c \quad$ carrier frequency in Hz (default=1/TSTOP)
$m d i$
modulation index (default=0.0)
$f_{s} \quad$ signal frequency in Hz (default=1/TSTOP)
Waveform shape

$$
\begin{gathered}
\text { sourcevalue }=v o+v a \cdot[\operatorname{SIN}(2 \cdot \pi \cdot f c \cdot \text { Time })+ \\
m d i \cdot \operatorname{SIN}(2 \cdot \pi \cdot f s \cdot \text { Time })]
\end{gathered}
$$

Note: TSTOP is discussed in the .TRAN statement description.

## Example

*FILE: SFFM.SP THE SINGLE FREQUENCY FM MODULATION .OPTIONS POST
V $10 \operatorname{SFFM}(0,1 M, 20 K .10,5 K)$
R 101
.TRAN .0005M .5MS
. END


Figure 5-5: Single Frequency FM Modulation

## Amplitude Modulation Source Function

## Syntax

AM (sa oc fm fc td)
where
sa signal amplitude (default=0.0)
fc carrier frequency $($ default $=0.0)$ modulation frequency (default=1/TSTOP)
offset constant (default=0.0)
$t d$
delay time before start of signal $($ default $=0.0)$

$$
\begin{aligned}
\text { sourcevalue }= & \operatorname{sa} \cdot\{o c+\operatorname{SIN}[2 \cdot \pi \cdot f m \cdot(\text { Time }-t d)]\} \cdot \\
& \operatorname{SIN}[2 \cdot \pi \cdot f c \cdot(\text { Time }-t d)]
\end{aligned}
$$

## Example

```
.OPTION POST
.TRAN .01M 20M
V1 1 0 AM(10 1 100 1K 1M)
R1 1 0 1
V2 2 0 AM(2.5 4 100 1K 1M)
R2 2 0 1
V3 3 0 AM(10 1 1K 100 1M)
R3 3 0 1
.END
```



Figure 5-6: Amplitude Modulation Plot

## Voltage and Current Controlled Elements

Star-Hspice has four voltage and current controlled elements, known as E, F, G and H elements. You can use these controlled elements in Star-Hspice to model both MOS and bipolar transistors, tunnel diodes, SCRs, as well as analog functions such as operational amplifiers, summers, comparators, voltage controlled oscillators, modulators, and switched capacitor circuits. The controlled elements are either linear or nonlinear functions of controlling node voltages or branch currents, depending on whether you use the polynomial or piecewise linear functions. Each controlled element has different functions:

- The E element is a voltage and/or current controlled voltage source, an ideal op-amp, an ideal transformer, an ideal delay element, or a piecewise linear voltage controlled multi-input AND, NAND, OR, and NOR gate.
- The F element is a current controlled current source, an ideal delay element, or a piecewise linear current controlled multi-input AND, NAND, OR, and NOR gate.
- The $G$ element is a voltage and/or current controlled current source, a voltage controlled resistor, a piecewise linear voltage controlled capacitor, an ideal delay element, or a piecewise linear multi-input AND, NAND, OR, and NOR gate.
- The H element is a current controlled voltage source, an ideal delay element, or a piecewise linear current controlled multi-input AND, NAND, OR, and NOR gate.

The following sections discuss the polynomial and piecewise linear functions and describe element statements for linear or nonlinear functions.

## Polynomial Functions

The controlled element statement allows the definition of the controlled output variable (current, resistance, or voltage) as a polynomial function of one or more voltages or branch currents. You can select three polynomial equations through the POLY(NDIM) parameter.

POLY(1) one-dimensional equation
POLY(2) two-dimensional equation
POLY(3) three-dimensional equation
The POLY(1) polynomial equation specifies a polynomial equation as a function of one controlling variable, $\operatorname{POLY}(2)$ as a function of two controlling variables, and $\operatorname{POLY}(3)$ as a function of three controlling variables.

Along with each polynomial equation are polynomial coefficient parameters (P0, P1 ... Pn) that can be set to explicitly define the equation.

## One-Dimensional Function

If the function is one-dimensional (a function of one branch current or node voltage), the function value FV is determined by the following expression:

$$
\begin{aligned}
& F V=P 0+(P 1 \cdot F A)+\left(P 2 \cdot F A^{2}\right)+ \\
& \quad\left(P 3 \cdot F A^{3}\right)+\left(P 4 \cdot F A^{4}\right)+\left(P 5 \cdot F A^{5}\right)+\ldots
\end{aligned}
$$

FV controlled voltage or current from the controlled source
PO. . .PN coefficients of polynomial equation
FA controlling branch current or nodal voltage
Note: If the polynomial is one-dimensional and exactly one coefficient is specified, Star-Hspice assumes it to be P1 $(P 0=0.0)$ to facilitate the input of linear controlled sources.

## One-Dimensional Example

The following controlled source statement is an example of a one-dimensional function:

```
E1 5 0 POLY(1) 3 2 1 2.5
```

The above voltage-controlled voltage source is connected to nodes 5 and 0 . The single dimension polynomial function parameter, POLY(1), informs StarHspice that E1 is a function of the difference of one nodal voltage pair, in this
case, the voltage difference between nodes 3 and 2 , hence $\mathrm{FA}=\mathrm{V}(3,2)$. The dependent source statement then specifies that $\mathrm{P} 0=1$ and $\mathrm{P} 1=2.5$. From the onedimensional polynomial equation above, the defining equation for $\mathrm{V}(5,0)$ is

$$
V(5,0)=1+2.5 \cdot V(3,2)
$$

## Two-Dimensional Function

Where the function is two-dimensional (a function of two node voltages or two branch currents), FV is determined by the following expression:

$$
\begin{aligned}
F V=P 0 & +(P 1 \cdot F A)+(P 2 \cdot F B)+\left(P 3 \cdot F A^{2}\right)+(P 4 \cdot F A \cdot F B)+\left(P 5 \cdot F B^{2}\right) \\
& +\left(P 6 \cdot F A^{3}\right)+\left(P 7 \cdot F A^{2} \cdot F B\right)+\left(P 8 \cdot F A \cdot F B^{2}\right)+\left(P 9 \cdot F B^{3}\right)+\ldots
\end{aligned}
$$

For a two-dimensional polynomial, the controlled source is a function of two nodal voltages or currents. To specify a two-dimensional polynomial, set POLY(2) in the controlled source statement.

## Two-Dimensional Example

For example, generate a voltage controlled source that gives the controlled voltage, $\mathrm{V}(1,0)$, as:

$$
V(1,0)=3 \cdot V(3,2)+4 \cdot V(7,6)^{2}
$$

To implement this function, use the following controlled source element statement:

$$
\text { E1 } 100 \text { POLY(2) } 322761030004
$$

This specifies a controlled voltage source connected between nodes 1 and 0 that is controlled by two differential voltages: the voltage difference between nodes 3 and 2 and the voltage difference between nodes 7 and 6 , that is, $\mathrm{FA}=\mathrm{V}(3,2)$ and $\mathrm{FB}=\mathrm{V}(7,6)$. The polynomial coefficients are $\mathrm{P} 0=0, \mathrm{P} 1=3, \mathrm{P} 2=0, \mathrm{P} 3=0, \mathrm{P} 4=0$, and $P 5=4$.

## Three-Dimensional Function

For a three-dimensional polynomial function with arguments FA, FB, and FC, the function value FV is determined by the following expression:

$$
\begin{aligned}
F V= & P 0+(P 1 \cdot F A)+(P 2 \cdot F B)+(P 3 \cdot F C)+\left(P 4 \cdot F A^{2}\right) \\
& +(P 5 \cdot F A \cdot F B)+(P 6 \cdot F A \cdot F C)+\left(P 7 \cdot F B^{2}\right)+(P 8 \cdot F B \cdot F C) \\
& +\left(P 9 \cdot F C^{2}\right)+\left(P 10 \cdot F A^{3}\right)+\left(P 11 \cdot F A^{2} \cdot F B\right)+\left(P 12 \cdot F A^{2} \cdot F C\right) \\
& +\left(P 13 \cdot F A \cdot F B^{2}\right)+(P 14 \cdot F A \cdot F B \cdot F C)+\left(P 15 \cdot F A \cdot F C^{2}\right) \\
& +\left(P 16 \cdot F B^{3}\right)+\left(P 17 \cdot F B^{2} \cdot F C\right)+\left(P 18 \cdot F B \cdot F C^{2}\right) \\
& +\left(P 19 \cdot F C^{3}\right)+\left(P 20 \cdot F A^{4}\right)+\ldots
\end{aligned}
$$

## Three-Dimensional Example

For example, generate a voltage controlled source that gives the voltage as:

$$
V(1,0)=3 \cdot V(3,2)+4 \cdot V(7,6)^{2}+5 \cdot V(9,8)^{3}
$$

from the above defining equation and the three-dimensional polynomial equation:

$$
\begin{aligned}
& F A=V(3,2) \\
& F B=V(7,6) \\
& F C=V(9,8) \\
& P 1=3 \\
& P 7=4 \\
& P 19=5
\end{aligned}
$$

Substituting these values into the voltage controlled voltage source statement yields the following:

## V(1,0) POLY(3) 32769803000004000000000005

The above specifies a controlled voltage source connected between nodes 1 and 0 that is controlled by three differential voltages: the voltage difference between nodes 3 and 2 , the voltage difference between nodes 7 and 6 , and the voltage difference between nodes 9 and 8 , that is, $\mathrm{FA}=\mathrm{V}(3,2), \mathrm{FB}=\mathrm{V}(7,6)$, and $\mathrm{FC}=\mathrm{V}(9,8)$. The statement gives the polynomial coefficients as $\mathrm{P} 1=3, \mathrm{P} 7=4$, $\mathrm{P} 19=5$, and the rest are zero.

## Piecewise Linear Function

The one-dimensional piecewise linear function allows you to model some special element characteristics, such as those of tunnel diodes, silicon controlled rectifiers, and diode breakdown regions. The piecewise linear function can be described by specifying measured data points. Although the device characteristic is described by some data points, Star-Hspice automatically smooths the corners to ensure derivative continuity and, as a result, better convergence.

A parameter DELTA is provided to control the curvature of the characteristic at the corners. The smaller the DELTA, the sharper the corners are. The maximum DELTA is limited to half of the smallest breakpoint distance. If the breakpoints are quite separated, specify the DELTA to a proper value. You can specify up to 100 point pairs. At least two point pairs (four coefficients) must be specified.

In order to model bidirectional switch or transfer gates, the functions NPWL and PPWL are provided for G elements. The NPWL and PPWL function like NMOS and PMOS transistors.

The piecewise linear function also models multi-input AND, NAND,OR, and NOR gates. In this case, only one input determines the state of the output. In AND / NAND gates, the input with the smallest value is used in the piecewise linear function to determine the corresponding output of the gates. In the OR / NOR gates, the input with the largest value is used to determine the corresponding output of the gates.

## Voltage Dependent Current Sources - G Elements

G element syntax statements are described in the following pages. The parameters are defined in the following section.

## Voltage Controlled Current Source (VCCS)

## Syntax

## Linear

Gxxx n+ n- <VCCS> in+ in- transconductance <MAX=val> <MIN=val> <SCALE=val> $+\quad<\mathrm{M}=\mathrm{val}><\mathrm{TC} 1=\mathrm{val}\rangle\langle\mathrm{TC} 2=\mathrm{val}\rangle\langle\mathrm{ABS}=1\rangle\langle\mathrm{IC}=$ val $\rangle$
Polynomial
Gxxx $\mathrm{n}+\mathrm{n}$ - <VCCS> POLY(NDIM) in1+in1- ... <inndim+ inndim-> MAX=val> $+\quad$ <MIN=val> <SCALE=val> <M=val> <TC1=val> <TC2=val> <ABS=1>P0 $+\quad$ <P1...> <IC=vals>

## Piecewise Linear

Gxxx n+ n- <VCCS> PWL(1) in+ in- <DELTA=val> <SCALE=val> <M=val> $+\quad \mathrm{TC} 1=$ val $><\mathrm{TC} 2=$ val $>\mathrm{x} 1, \mathrm{y} 1 \times 2, \mathrm{y} 2 \ldots \mathrm{x} 100, \mathrm{y} 100<\mathrm{IC}=$ val $>$
$+\quad<$ SMOOTH=val>
Gxxx $\mathrm{n}+\mathrm{n}$ - <VCCS> NPWL(1) in+in- <DELTA=val> <SCALE=val> <M=val> $+\quad$ <TC1=val><TC2=val> x1,y1 x2,y2 ... x100,y100 <IC=val> <SMOOTH=val> Gxxx n+ n- <VCCS> PPWL(1) in+ in- <DELTA=val> <SCALE=val> <M=val> $+\quad$ <TC1=val> <TC2=val> x1,y1 x2,y2 ... x100,y100 <IC=val> <SMOOTH=val> Multi-Input Gates
Gxxx $\mathrm{n}+\mathrm{n}-$ <VCCS> gatetype(k) in1+ in1- ... ink+ ink- <DELTA=val> <TC1=val> $+\quad$ <TC2=val> <SCALE=val> <M=val> x1,y1 ... x100,y $100<$ IC=val>

## Delay Element

Gxxx n+ n- <VCCS> DELAY in+ in- TD=val <SCALE=val> <TC1=val> <TC2=val>
$+\quad$ NPDELAY=val

## Behavioral Current Source

## Syntax

Gxxx n+ n- CUR='equation' <MAX>=val> <MIN=val> <M=val> <SCALE=val>

## Voltage Controlled Resistor (VCR)

## Syntax

```
Linear
Gxxx n+ n- VCR in+ in- transfactor <MAX=val> <MIN=val> <SCALE=val> <M=val>
+ <TC1=val> <TC2=val> <IC=val>
```

Polynomial
Gxxx n+ n- VCR POLY(NDIM) in1+ in1- ... <inndim+ inndim-> <MAX=val>
$+\quad<\mathrm{MIN}=\mathrm{val}><$ SCALE $=$ val> <M=val> <TC1=val> <TC2 $=$ val> P0<P1...>
$+\quad$ <IC=vals>
Piecewise Linear
Gxxx $\mathrm{n}+\mathrm{n}-\mathrm{VCR}$ PWL(1) in+ in- <DELTA=val> <SCALE=val> <M=val> <TC1=val>
$+\quad<\mathrm{TC} 2=\mathrm{val}>\mathrm{x} 1, \mathrm{y} 1 \mathrm{x} 2, \mathrm{y} 2 \ldots \mathrm{x} 100, \mathrm{y} 100<\mathrm{IC}=\mathrm{val}><$ SMOOTH=val>
Gxxx n+ n- VCR NPWL(1) in+ in- <DELTA=val> <SCALE=val> <M=val> <TC1=val>
$+\quad$ <TC2=val> x1,y1 x2,y2 ... x100,y100 <IC=val> <SMOOTH=val>
Gxxx n+ n- VCR PPWL(1) in+ in- <DELTA=val> <SCALE=val> <M=val> <TC1=val>
$+\quad$ <TC2=val> x1,y1 x2,y2 ... x100,y100 <IC=val> <SMOOTH=val>

## Multi-Input Gates

Gxxx n+ n- VCR gatetype(k) in1+in1-... ink+ ink- <DELTA=val>
$+\quad$ <TC1=val> <TC2=val> <SCALE=val> <M=val> x1,y1 ... x100,y100 <IC=val>

## Voltage Controlled Capacitor (VCCAP)

## Syntax (Piecewise Linear)

$$
\begin{aligned}
& \text { Gxxx } \mathrm{n}+\mathrm{n} \text { - VCCAP PWL(1) in+ in- } \quad \text { <DELTA=val> <SCALE=val> <M=val> } \\
& +\quad<\mathrm{TC} 1=\text { val><TC2=val> x1,y1 x2,y2 } \ldots \text { x100,y } 100<\mathrm{IC}=\text { val> <SMOOTH=val> }
\end{aligned}
$$

The two functions NPWL and PPWL allow the interchange of the " $\mathrm{n}+$ " and "n-" nodes while keeping the same transfer function. This action is summarized as follows:

## NPWL Function

For node "in-" connected to "n-":
If $\mathrm{v}(\mathrm{n}+, \mathrm{n}-)>0$, then the controlling voltage would be $\mathrm{v}(\mathrm{in}+, \mathrm{in}-)$. Otherwise, the controlling voltage is $\mathrm{v}(\mathrm{in}+, \mathrm{n}+$ ).

For node "in-" connected to " $\mathrm{n}+$ ":
If $v(n+, n-)<0$, then the controlling voltage would be $v(i n+, i n-)$. Otherwise, the controlling voltage is $\mathrm{v}(\mathrm{in}+, \mathrm{n}+)$.

## PPWL Function

For node "in-" connected to " n -":
If $v(n+, n-)<0$, then the controlling voltage would be $v(i n+$,in1- $)$.
Otherwise, the controlling voltage is $\mathrm{v}(\mathrm{in}+, \mathrm{n}+)$.
For node "in-" connected to " $n+$ ":
If $\mathrm{v}(\mathrm{n}+, \mathrm{n}-)>0$, then the controlling voltage would be $\mathrm{v}(\mathrm{in}+$,in- $)$. Otherwise, the controlling voltage is $\mathrm{v}(\mathrm{in}+, \mathrm{n}+)$.

## Parameter Definitions

$A B S \quad$ Output is absolute value if $\mathrm{ABS}=1$.
CUR, VALUE current output that flows from $\mathrm{n}+$ to n -. The equation that you define can be a function of node voltages, branch currents, TIME, temperature (TEMPER), and frequency (HERTZ).

DELAY

DELTA used to control the curvature of the piecewise linear corners. The parameter defaults to $1 / 4$ of the smallest breakpoint distances. The maximum is limited to $1 / 2$ of the smallest breakpoint distances.

Gxxx voltage controlled element name. This parameter must begin with a "G" followed by up to 1023 alphanumeric characters.

| gatetype(k) | can be one of AND, NAND, OR, or NOR. The parameter (k) represents the number of inputs of the gate. The x's and y's represents the piecewise linear variation of output as a function of input. In the multi-input gates, only one input determines the state of the output. |
| :---: | :---: |
| IC | initial condition. The initial estimate of the value(s) of the controlling voltage(s). If IC is not specified, the default $=0.0$. |
| in +/- | positive or negative controlling nodes. Specify one pair for each dimension. |
| M | number of element in parallel |
| MAX | maximum current or resistance value. The default is undefined and sets no maximum value. |
| MIN | minimum current or resistance value. The default is undefined and sets no minimum value. |
| $n+/-$ | positive or negative node of controlled element |
| NDIM | polynomial dimensions. If POLY(NDIM) is not specified, a one-dimensional polynomial is assumed. NDIM must be a positive number. |
| NPDELAY | sets the number of data points to be used in delay simulations. The default value is the larger of 10 or the smaller of TD/tstep and tstop/tstep |
|  | That is, |
|  | $N P D E L A Y_{\text {default }}=\max \left[\frac{\min \langle T D, \text { tstop }\rangle}{\text { tstep }}, 10\right]$ |
|  | The values of tstep and tstop are specified in the .TRAN statement. |
| NPWL | models the symmetrical bidirectional switch or transfer gate, NMOS |


| P0, P1 $\ldots$ | the polynomial coefficients. When one coefficient is specified, Star-Hspice assumes it to be $\mathrm{P} 1(\mathrm{P} 0=0.0)$, and the element is linear. When more than one polynomial coefficient is specified, the element is nonlinear, and $\mathrm{P} 0, \mathrm{P} 1$, P2 ... represent them (see Polynomial Functions, page - 20 in , Using Sources and Stimuli). |
| :---: | :---: |
| POLY | polynomial keyword function |
| PWL | piecewise linear keyword function |
| PPWL | models the symmetrical bidirectional switch or transfer gate, PMOS |
| SCALE | element value multiplier |
| SMOOTH | For piecewise linear dependent source elements, SMOOTH selects the curve smoothing method. |
|  | A curve smoothing method simulates exact data points you provide. This method can be used to make Star-Hspice simulate specific data points that correspond to measured data or data sheets, for example. |
|  | Choices for SMOOTH are 1 or 2: |
|  | Selects the smoothing method used in Hspice releases prior to release H93A. Use this method to maintain compatibility with simulations done using releases older than H93A. |
|  | 2 <br> Selects the smoothing method that uses data points you provide. This is the default for Hspice releases starting with 93A. |
| TC1,TC2 | first and second order temperature coefficients. The SCALE is updated by temperature: |
|  | SCALEeff $=$ SCALE $\cdot\left(1+T C 1 \cdot \Delta t+T C 2 \cdot \Delta t^{2}\right)$ |
| $T D$ | time delay keyword |


| transconductance | voltage-to-current conversion factor |
| :--- | :--- |
| transfactor | voltage-to-resistance conversion factor |
| $V C C A P$ | ve keyword for voltage controlled capacitance element. <br> VCCAP is a reserved word and should not be used as a node <br> name. |
| $V C C S$ | the keyword for voltage controlled current source. VCCS is <br> a reserved word and should not be used as a node name. |
| $V C R$ | the keyword for voltage controlled resistor element. VCR is <br> a reserved word and should not be used as a node name. |
| $x 1, \ldots$ | controlling voltage across nodes in+ and in-. The x values <br> must be in increasing order. |
| $y 1, \ldots$ | corresponding element values of x |

## Examples

## Switch

A voltage controlled resistor represents a basic switch characteristic. The resistance between nodes 2 and 0 varies linearly from 10 meg to 1 m ohms when voltage across nodes 1 and 0 varies between 0 and 1 volt. Beyond the voltage limits, the resistance remains at 10 meg and 1 m ohms, respectively.

Gswitch 20 VCR PWL(1) $100 \mathrm{ov}, 10 \mathrm{meg} 1 \mathrm{v}, 1 \mathrm{~m}$

## Switch-Level MOSFET

Model a switch level n-channel MOSFET by the N-piecewise linear resistance switch. The resistance value does not change when the node d and s positions are switched.

```
Gnmos d s VCR NPWL(1) g s LEVEL=1 0.4v,150g
+ 1v,10meg 2v,50k 3v,4k 5v,2k
```


## Voltage Controlled Capacitor

The capacitance value across nodes (out, 0 ) varies linearly from 1 p to 5 p when voltage across nodes (ctrl,0) varies between 2 v and 2.5 v . Beyond the voltage limits, the capacitance value remains constant at 1 picofarad and 5 picofarads respectively.

```
Gcap out 0 VCCAP PWL(1) ctrl 0 2v,1p 2.5v,5p
```


## Zero Delay Gate

Implement a two-input AND gate using an expression and a piecewise linear table. The inputs are voltages at nodes $a$ and $b$, and the output is the current flow from node out to 0 . The current is multiplied by the SCALE value, which in this example is specified as the inverse of the load resistance connected across the nodes (out,0).

```
Gand out 0 AND(2) a 0 b O SCALE='1/rload' 0v,0a 1v,.5a
+ 4v,4.5a 5v,5a
```


## Delay Element

A delay is a low-pass filter type delay similar to that of an opamp. A transmission line, on the other hand, has an infinite frequency response. A glitch input to a G delay is attenuated similarly to a buffer circuit. In this example, the output of the delay element is the current flow from node out to node $l$ with a value equal to the voltage across nodes (in, 0 ) multiplied by SCALE value and delayed by TD value.

```
Gdel out 0 DELAY in 0 TD=5ns SCALE=2 NPDELAY=25
```


## Diode Equation

Model forward bias diode characteristic from node 5 to ground with a runtime expression. The saturation current is $1 \mathrm{e}-14 \mathrm{amp}$, and the thermal voltage is 0.025 v .

$$
\text { Gdio } 50 \text { CUR=' } 1 \mathrm{e}-14 *(E X P(V(5) / 0.025)-1.0)^{\prime}
$$

## Diode Breakdown

Model a diode breakdown region to forward region using the following example. When voltage across the diode goes beyond the piecewise linear limit values ($2.2 \mathrm{v}, 2 \mathrm{v}$ ), the diode current remains at the corresponding limit values ( $-1 \mathrm{a}, 1.2 \mathrm{a}$ ). Gdiode 10 PWL(1) $10-2.2 v,-1 \mathrm{a}-2 \mathrm{v},-1 \mathrm{pa} .3 \mathrm{v}, .15 \mathrm{pa}$ $+.6 \mathrm{v}, 10 \mathrm{ua} 1 \mathrm{v}, 1 \mathrm{a} 2 \mathrm{v}, 1.2 \mathrm{a}$

## Triode

Both the following voltage controlled current sources implement a basic triode. The first uses the poly( 2 ) operator to multiply the anode and grid voltages together and scale by .02 . The next example uses the explicit behavioral algebraic description.

```
gt i_anode cathode poly(2) anode,cathode grid,cathode 0 0
+0 0.02
gt i_anode cathode
+cur=' 20m*v(anode, cathode)*v(grid,cathode)'
```


## Current Dependent Current Sources - F Elements

F element syntax statements are described in the following paragraphs. The parameter definitions follow.

## Current Controlled Current Source (CCCS)

## Syntax

Linear
Fxxx n+ n- <CCCS> vn1 gain <MAX=val> <MIN=val> <SCALE=val> <TC1=val>
$+\quad<\mathrm{TC} 2=$ val> <M=val> <ABS=1> <IC=val>
Polynomial
Fxxx n+ n- <CCCS> POLY(NDIM) vn1 <... vnndim> <MAX=val> <MIN=val>
$+\quad<\mathrm{TC} 1=\mathrm{val}><\mathrm{TC} 2=\mathrm{val}><$ SCALE=vals> <M=val> <ABS=1> P0 <P1...>
$+\quad$ <IC=vals>
Piecewise Linear
Fxxx n+ n- <CCCS> PWL(1) vn1 <DELTA=val> <SCALE=val><TC1=val> <TC2=val>
$+\quad$ <M=val> x1,y1 ... x100,y100 <IC=val>

## Multi-Input Gates

Fxxx $\mathrm{n}+\mathrm{n}$ - <CCCS> gatetype(k) vn1, ... vnk <DELTA=val> <SCALE=val> <TC1=val>
$+\quad\langle\mathrm{TC} 2=\mathrm{val}\rangle\langle\mathrm{M}=\mathrm{val}\rangle\langle\mathrm{ABS}=1\rangle \mathrm{x} 1, \mathrm{y} 1 \ldots$... $\mathrm{x} 100, \mathrm{y} 100$ <IC=val>
Delay Element
Fxxx n+ n- <CCCS> DELAY vn1 TD=val <SCALE=val> <TC1=val><TC2=val>
$+\quad$ NPDELAY=val

## Parameter Definitions

ABS
CCCS

Output is absolute value if $\mathrm{ABS}=1$. the keyword for current controlled current source. Note that CCCS is a reserved word and should not be used as a node name.

| DELAY | keyword for the delay element. The delay element is the same as a current controlled current source except it is associated by a propagation delay TD. This element facilitates the adjustment of propagation delay in the macromodel process. Note: DELAY is a reserved word and should not be used as a node name. |
| :---: | :---: |
| DELTA | used to control the curvature of the piecewise linear corners. The parameter defaults to $1 / 4$ of the smallest breakpoint distances. The maximum is limited to $1 / 2$ of the smallest breakpoint distances. |
| Fxxx | current controlled current source element name. The parameter must begin with an " F ", followed by up to 1023 alphanumeric characters. |
| gain | current gain |
| gatetype(k) | can be one of AND, NAND, OR, or NOR. (k) represents the number of inputs of the gate. The x's and y's represent the piecewise linear variation of output as a function of input. In the multi-input gates, only one input determines the state of the output. The above keyword names should not be used as a node name. |
| IC | initial condition: the initial estimate of the value(s) of the controlling current(s) in amps. If IC is not specified, the default=0.0. |
| M | number of element in parallel |
| MAX | maximum output current value. The default is undefined and sets no maximum value. |
| MIN | minimum output current value. The default is undefined and sets no minimum value. |
| $n+/-$ | positive or negative controlled source connecting nodes |


| NDIM | polynomial dimensions. If POLY(NDIM) is not specified, a one-dimensional polynomial is assumed. NDIM must be a positive number. |
| :---: | :---: |
| NPDELAY | sets the number of data points to be used in delay simulations. The default value is the larger of 10 or the smaller of TD/tstep and tstop/tstep. |
|  | That is, |
|  | $N P D E L A Y_{\text {default }}=\max \left[\frac{\min \langle T D, \text { tstop }\rangle}{\text { tstep }}, 10\right]$ |
|  | The values of tstep and tstop are specifed in the .TRAN statement. |
| P0, P1 ... | when one polynomial coefficient is specified, Star-Hspice assumes it to be $\mathrm{P} 1(\mathrm{P} 0=0.0)$ and the source is linear. When more than one polynomial coefficient is specified, the source is nonlinear, and $\mathrm{P} 0, \mathrm{P} 1, \mathrm{P} 2 \ldots$ represent them. |
| POLY | polynomial keyword function |
| PWL | piecewise linear keyword function |
| SCALE | element value multiplier |
| TC1,TC2 | first and second order temperature coefficients. The SCALE is updated by temperature: |
|  | SCALEeff $=$ SCALE $\cdot\left(1+T C 1 \cdot \Delta t+T C 2 \cdot \Delta t^{2}\right)$ |
| $T D$ | time delay keyword |
| vn1 ... | names of voltage sources through which the controlling current flows. One name must be specified for each dimension. |

$\mathrm{x} 1, \ldots$ controlling current through vn1 source. The x values must be in increasing order.
$y 1, \ldots \quad$ corresponding output current values of x

## Examples

$$
\text { F1 } 135 \text { VSENS MAX=+3 MIN=-3 } 5
$$

This example describes a current controlled current source connected between nodes 13 and 5. The current that controls the value of the controlled source flows through the voltage source named VSENS (to use a current controlled current source, a dummy independent voltage source is often placed into the path of the controlling current). The defining equation is:

$$
I(F 1)=5 \cdot I(V S E N S)
$$

The current gain is 5, the maximum current flow through F1 is 3 A , and the minimum current flow is -3 A . If $\mathrm{I}(\mathrm{VSENS})=2 \mathrm{~A}, \mathrm{I}(\mathrm{F} 1)$ would be set to 3 amps and not 10 amps as would be suggested by the equation. A user-defined parameter can be specified for the polynomial coefficient(s), as shown below.

```
.PARAM VU = 5
```

F1 135 VSENS MAX=+3 MIN=-3 VU

The next example describes a current controlled current source with the value:
$I(F 2)=1 e-3+1.3 e-3 \cdot I(V C C)$
F2 1210 POLY VCC 1MA 1.3M
Current flow is from the positive node through the source to the negative node. The direction of positive controlling current flow is from the positive node through the source to the negative node of vnam (linear), or to the negative node of each voltage source (nonlinear).

Fd 10 DELAY vin TD=7ns SCALE=5
This example is a delayed current controlled current source.
Filim O out PWL(1) vsrc -1a,-1a 1a,1a
The final example is a piecewise linear current controlled current source.

## Voltage Dependent Voltage Sources - E Elements

E element syntax statements are described in the following paragraphs. The parameters are defined in the following section.

## Voltage Controlled Voltage Source (VCVS)

## Syntax

## Linear

Exxx $\mathrm{n}+\mathrm{n}-<$ VCVS> in+ in- gain <MAX=val> <MIN=val> <SCALE=val>
$+\quad<\mathrm{TC} 1=$ val $><\mathrm{TC} 2=$ val $><\mathrm{ABS}=1><\mathrm{IC}=$ val $>$
Polynomial
Exxx n+ n- <VCVS> POLY(NDIM) in1+ in1- ... inndim + inndim-<TC1=val>
$+\quad<\mathrm{TC} 2=$ val $><$ SCALE $=$ val $><\mathrm{MAX}=$ val $><\mathrm{MIN}=$ val $><\mathrm{ABS}=1>\mathrm{P} 0<\mathrm{P} 1 \ldots>$
$+\quad$ <IC=vals>

## Piecewise Linear

Exxx $\mathrm{n}+\mathrm{n}-$ <VCVS> PWL(1) in+ in- <DELTA=val> <SCALE=val> <TC1=val> $+\quad<\mathrm{TC} 2=$ val> x1,y1 x2,y2 ... x100,y100 <IC=val>
Multi-Input Gates
Exxx n+ n- <VCVS> gatetype(k) in1+ in1- ... ink+ ink- <DELTA=val> <TC1=val> $+\quad<$ TC2 $=$ val> <SCALE=val> x1,y1 ... x100,y100 <IC=val>

## Delay Element

Exxx $\mathrm{n}+\mathrm{n}-<$ VCVS> DELAY in+ in- TD=val <SCALE=val> <TC1=val> <TC2=val> $+\quad<N P D E L A Y=$ val>

## Behavioral Voltage Source

The syntax is:
Exxx n+ n- VOL='equation' in+ in- <MAX>=val> <MIN=val>

## Ideal Op-Amp

The syntax is:
Exxx $\mathrm{n}+\mathrm{n}$ - OPAMP in+ in-

```
Ideal Transformer
The syntax is:
    Exxx n+ n- TRANSFORMER in+ in- k
```


## Parameter Definitions

```
\(A B S \quad\) Output is absolute value if \(\mathrm{ABS}=1\).
DELAY keyword for the delay element. The delay element is the same as voltage controlled voltage source, except it is associated by a propagation delay TD. This element facilitates the adjustment of propagation delay in the macromodelling process. Note: DELAY is a reserved word and should not be used as a node name.
DELTA used to control the curvature of the piecewise linear corners. The parameter defaults to one-fourth of the smallest breakpoint distances. The maximum is limited to one-half of the smallest breakpoint distances.
Exxx voltage controlled element name. The parameter must begin with an "E" followed by up to 1023 alphanumeric characters.
gain
initial condition: the initial estimate of the value(s) of the controlling voltage(s). If IC is not specified, the default=0.0.
in +/- positive or negative controlling nodes. Specify one pair for each dimension.
k
ideal transformer turn ratio: \(\mathrm{V}(\mathrm{in}+\),in- \()=k \cdot \mathrm{~V}(\mathrm{n}+, \mathrm{n}-)\) or, number of gates input
```

| MAX | maximum output voltage value. The default is undefined and sets no maximum value. |
| :---: | :---: |
| MIN | minimum output voltage value. The default is undefined and sets no minimum value. |
| $n+/-$ | positive or negative node of controlled element |
| NDIM | polynomial dimensions. If POLY(NDIM) is not specified, one-dimensional polynomial is assumed. NDIM must be a positive number. |
| NPDELAY | sets the number of data points to be used in delay simulations. The default value is the larger of |
|  | 10 or the smaller of TD/tstep and tstop/tstep |
|  | That is, |
|  | $N P D E L A Y_{\text {default }}=\max \left[\frac{\min \langle T D, \text { tstop }\rangle}{\text { tstep }}, 10\right]$ |
|  | The values of tstep and tstop are specifed in the .TRAN statement. |
| OPAMP | the keyword for ideal op-amp element. OPAMP is a reserved word and should not be used as a node name. |
| P0, P1 ... | the polynomial coefficients. When one coefficient is specified, Star-Hspice assumes it to be $\mathrm{P} 1(\mathrm{P} 0=0.0)$, and the element is linear. When more than one polynomial coefficient is specified, the element is nonlinear, and P0, P1, P2 ... represent them (see Polynomial Functions, page -20 in , Using Sources and Stimuli). |
| POLY | polynomial keyword function |
| PWL | piecewise linear keyword function |
| SCALE | element value multiplier |


| TC1,TC2 | first and second order temperature coefficients. The SCALE is updated by temperature: $\text { SCALEeff }=\text { SCALE } \cdot\left(1+T C 1 \cdot \Delta t+T C 2 \cdot \Delta t^{2}\right)$ |
| :---: | :---: |
| $T D$ | time delay keyword |
| TRANSFORMER | the keyword for ideal transformer. TRANS is a reserved word and should not be used as a node name. |
| VCVS | the keyword for voltage controlled voltage source. VCVS is a reserved word and should not be used as a node name. |
| $x 1$,... | controlling voltage across nodes in + and in-. The x values must be in increasing order. |
| y1,... | corresponding element values of x |

## Examples

## Ideal OpAmp

A voltage amplifier with supply limits can be built with the voltage controlled voltage source. The output voltage across nodes $2,3=\mathrm{v}(14,1) * 2$. The voltage gain parameter, 2 , is also given. The MAX and MIN parameters specify a maximum E1 voltage of 5 V and a minimum E1 voltage output of -5 V . If, for instance, $\mathrm{V}(14,1)=-4 \mathrm{~V}$, E 1 would be set to -5 V and not -8 V , as the equation would produce.

```
Eopamp 2 3 14 1 MAX=+5 MIN=-5 2.0
```

A user-defined parameter can be used in the following format to specify a value for polynomial coefficient parameters:

```
.PARAM CU \(=2.0\)
E1 23141 MAX=+5 MIN=-5 CU
```


## Voltage Summer

An ideal voltage summer specifies the source voltage as a function of three controlling voltage(s): $\mathrm{V}(13,0), \mathrm{V}(15,0)$ and $\mathrm{V}(17,0)$. It describes a voltage source with the value:

$$
v(13,0)+v(15,0)+v(17,0)
$$

This example represents an ideal voltage summer. The three controlling voltages are initialized for a DC operating point analysis to $1.5,2.0$, and 17.25 V , respectively.

```
EX 17 0 POLY(3) 13 0 15 0 17 0 0 1 1 1 1
+ IC=1.5,2.0,17.25
```


## Polynomial Function

The voltage controlled source also can output a nonlinear function using the onedimensional polynomial. Since the POLY parameter is not specified, a onedimensional polynomial is assumed- that is, a function of one controlling voltage. The equation corresponds to the element syntax. Behavioral equations replace this older method.

```
V (3,4) = 10.5 + 2.1 *V (21,17) + 1.75 *V (21,17)}\mp@subsup{}{}{2
E2 3 4 POLY 21 17 10.5 2.1 1.75
```


## Zero Delay Inverter Gate

You can build a simple inverter with no delay with a piecewise linear transfer function.
Einv out 0 PWL(1) in $0.7 v, 5 v 1 v, 0 v$

## Ideal Transformer

With the turn ratio 10 to 1 , the voltage relationship is $\mathrm{V}(\mathrm{out})=\mathrm{V}(\mathrm{in}) / 10$. Etrans out 0 TRANSFORMER in 010

## Voltage Controlled Oscillator (VCO)

Use the keyword VOL to define a single-ended input that controls the output of a VCO.

In the following example, the frequency of the sinusoidal output voltage at node "out" is controlled by the voltage at node "control". Parameter "v0" is the DC offset voltage and "gain" is the amplitude. The output is a sinusoidal voltage with a frequency of "freq • control".
Evco out 0 VOL='v0+gain*SIN(6.28 freq*v(control) + *TIME)'

## Dependent Voltage Sources - H Elements

H element syntax statements are described in the following paragraphs. The parameters are defined in the following section.

## Current Controlled Voltage Source - CCVS

## Syntax

## $\underline{\text { Linear }}$

Hxxx n+ n- <CCVS> vn1 transresistance <MAX=val> <MIN=val> <SCALE=val>
$+\quad<\mathrm{TC} 1=$ val $><\mathrm{TC} 2=$ val $><\mathrm{ABS}=1><\mathrm{IC}=$ val $>$

## Polynomial

Hxxx $\mathrm{n}+\mathrm{n}-$ <CCVS> POLY(NDIM) vn1 <... vnndim> <MAX=val>MIN=val>
$+\quad<\mathrm{TC} 1=\mathrm{val}><\mathrm{TC} 2=\mathrm{val}><\mathrm{SCALE}=\mathrm{val}><\mathrm{ABS}=1>\mathrm{P} 0<\mathrm{P} 1 \ldots\rangle$ <IC=vals>

## Piecewise Linear

Hxxx n+ n- <CCVS> PWL(1) vn1 <DELTA=val> <SCALE=val> <TC1=val> <TC2=val>
$+\quad \mathrm{x} 1, \mathrm{y} 1 \ldots$ x100,y100<IC=val>

## Multi-Input Gates

Hxxx n+ n- gatetype(k) vn1, ... vnk <DELTA=val> <SCALE=val> <TC1=val
$+\quad$ <TC2=val> x1,y1 ... x100,y100 <IC=val>

## Delay Element

Hxxx n+ n- <CCVS> DELAY vn1 TD=val <SCALE=val> <TC1=val> <TC2=val>
$+\quad$ <NPDELAY=val>

## Parameter Definitions

ABS Output is absolute value if $\mathrm{ABS}=1$.
CCVS

DELAY keyword for the delay element. The delay element is the same as a current controlled voltage source except it is associated by a propagation delay TD. This element

|  | facilitates the adjustment of propagation delay in the macromodel process. DELAY is a reserved word and should not be used as a node name. |
| :---: | :---: |
| DELTA | used to control the curvature of the piecewise linear corners. The parameter defaults to $1 / 4$ of the smallest breakpoint distances. The maximum is limited to $1 / 2$ of the smallest breakpoint distances. |
| gatetype(k) | can be one of AND, NAND, OR, NOR. (k) represents the number of inputs of the gate. The x's and y's represent the piecewise linear variation of output as a function of input. In the multi-input gates only one input determines the state of the output. |
| Hxxx | current controlled voltage source element name. The parameter must begin with an " H " followed by up to 1023 alphanumeric characters. |
| IC | initial condition. This is the initial estimate of the value(s) of the controlling current(s) in amps. If IC is not specified, the default=0.0. |
| MAX | maximum voltage value. The default is undefined and sets no maximum value. |
| MIN | minimum voltage value. The default is undefined and sets no minimum value. |
| $n+/-$ | positive or negative controlled source connecting nodes |
| NDIM | polynomial dimensions. If POLY(NDIM) is not specified, a one-dimensional polynomial is assumed. NDIM must be a positive number. |


| NPDELAY | sets the number of data points to be used in delay simulations. The default value is the larger of |
| :---: | :---: |
|  | 10 or the smaller of TD/tstep and tstop/tstep |
|  | That is, |
|  | $\text { NPDELA } Y_{\text {default }}=\max \left[\frac{\min \langle T D, \text { tstop }\rangle}{\text { tstep }}, 10\right]$ |
|  | The values of tstep and tstop are specifed in the .TRAN statement. |
| PO, P1 | When one polynomial coefficient is specified, the source is linear, and the polynomial is assumed to be $\mathrm{P} 1(\mathrm{P} 0=0.0)$. When more than one polynomial coefficient is specified, the source is nonlinear, with the polynomials assumed as $\mathrm{P} 0, \mathrm{P} 1$, P2 ... |
| POLY | polynomial keyword function |
| PWL | piecewise linear keyword function |
| SCALE | element value multiplier |
| TC1,TC2 | first and second order temperature coefficients. The SCALE is updated by temperature: $\text { SCALEeff }=\text { SCALE } \cdot\left(1+T C 1 \cdot \Delta t+T C 2 \cdot \Delta t^{2}\right)$ |
| $T D$ | time delay keyword |
| transresistance | current to voltage conversion factor |
| vn1 ... | names of voltage sources through which the controlling current flows. One name must be specified for each dimension. |
| x1,... | controlling current through vn1 source. The x values must be in increasing order. |
| y1,... | corresponding output voltage values of x |

## Examples

$$
\text { HX } 2010 \text { VCUR MAX=+10 MIN=-10 } 1000
$$

The example above selects a linear current controlled voltage source. The controlling current flows through the dependent voltage source called VCUR. The defining equation of the CCVS is:

$$
H X=1000 \cdot V C U R
$$

The defining equation specifies that the voltage output of HX is 1000 times the value of current flowing through CUR. If the equation produces a value of HX greater than +10 V or less than -10 V , HX, because of the MAX $=$ and MIN= parameters, would be set to either 10 V or -10 V , respectively. CUR is the name of the independent voltage source that the controlling current flows through. If the controlling current does not flow through an independent voltage source, a dummy independent voltage source must be inserted.

```
.PARAM CT=1000
```

HX 2010 VCUR MAX=+10 MIN=-10 CT
HXY 1320 POLY(2) VIN1 VIN2 00001 IC=0.5, 1.3
The example above describes a dependent voltage source with the value:
$V=I(V I N 1) \cdot I(V I N 2)$
This two-dimensional polynomial equation specifies FA1=VIN1, FA2=VIN2, $\mathrm{P} 0=0, \mathrm{P} 1=0, \mathrm{P} 2=0, \mathrm{P} 3=0$, and $\mathrm{P} 4=1$. The controlling current for flowing through VIN1 is initialized at .5 mA . For VIN2, the initial current is 1.3 mA .

The direction of positive controlling current flow is from the positive node, through the source, to the negative node of vnam (linear). The polynomial (nonlinear) specifies the source voltage as a function of the controlling current(s).

## Digital Files and Mixed Mode - U Elements

The $U$ element can reference digital input and digital output models for mixed mode simulation. Viewlogic's Viewsim mixed mode simulator uses Star-Hspice with digital input from Viewsim. The state information comes from a digital file if Star-Hspice is being run in standalone mode. Digital outputs are handled in a similar fashion. In digital input file mode, the input file is <design>. $d 2 a$ and the output file is named <design>.a2d.

A2D and D2A functions accept the terminal " $\$ " backslash character as a linecontinuation character to allow more than 255 characters in a line. This is needed because the first line of a digital file, which contains the signal name list, is often longer than the maximum line length accepted by some text editors.

A digital D 2 A file must not have a blank first line. If the first line of a digital file is blank, Star-Hspice issues an error message.

The following example demonstrates the use of the " $\$ " line continuation character to format an input file for text editing. The file contains a signal list for a 64-bit bus.

```
a00 a01 a02 a03 a04 a05 a06 a07 \
a08 a09 a10 a11 a12 a13 a14 a15 \
•••
names
a56 a57 a58 a59 a60 a61 a62 a63 * End of signal names
* Remainder of file
```


## Digital Input Element and Model

## Syntax

U <name> <(interface) node> <(lo_ref)node> <(hi_ref)node> <(model) name>
$+\quad$ SIGNAME $=<($ digital signal $)$ name $>][$ IS $=($ initial state $)]$

## Example

```
UC carry-in VLD2A VHD2A D2A SIGNAME=1 IS=0
```

VLD2A VLD2A 0 DC lo
VHD2A VHD2A 0 DC hi

## Model Form

.MODEL <(model) name> U LEVEL=5 [(model parameters)]

## Examples

```
.MODEL D2A U LEVEL=5 TIMESTEP=0.1NS,
+ SONAME=0 SOTSW=1NS SORLO = 15, SORHI = 10K,
+ S2NAME=x S2TSW=3NS S2RLO = 1K, S2RHI = 1K
+ S3NAME=z S3TSW=5NS S3RLO = 1MEG,S3RHI = 1MEG
+ S4NAME=1 S4TSW=1NS S4RLO = 10K, S4RHI = 60
```



Figure 5-7: Digital-to-Analog Converter Element Digital-to-Analog Model Parameters

| Names(Alias) | Units | Default | Description |
| :--- | :--- | :--- | :--- |
| CLO | farad | 0 | Capacitance to low level node |
| CHI | farad | 0 | Capacitance to high level node |
| SONAME |  |  | State "O" character abbreviation |
| SOTSW | sec |  | State "O" switching time |
| SORLO | ohm |  | State "O" resistance to low level node |
| SORHI | ohm |  | State "O" resistance to high level node |
| S1NAME |  |  | State "1" character abbreviation |
| S1TSW | sec |  | State "1" switching time |
| S1RLO | ohm |  | State "1"resistace to low level node |
| S1RHI | ohm |  | State "1" resistance to high level node |
| S2NAME |  |  | State "2" character abbreviation |
| S2TSW | sec |  | State "2" switching time |
| S2RLO | ohm |  | State "2" resistance to low level node |
| S2RHI | ohm |  | State "19" character abbreviation |
| S19NAME |  | State "19" switching time |  |
| S19TSW | sec |  | Sstate "19" resistance to low level node |
| S19RLO | ohm |  | State "19" resistance to high level node |
| S19RHI | ohm |  | Digital input file step size (digital files only) |
| TIMESTEP | sec |  |  |

## Digital Outputs

## Syntax: analog-to-digital output

```
U<name> <(interface)node> <(reference) node> <(model) name>
+ [SIGNAME = <(digital signal) name>]
```


## Examples

```
vref VREFA2D O DC O.OV
uco carry-out_2 VREFA2D a2d signame=12
```



Figure 5-8: Analog-to-Digital Converter Element

## Model Form

```
.MODEL < name> U LEVEL=4 [(model parameters)]
```


## Examples

* DEFAULT DIGITAL OUTPUT MODEL (no "X" value)
.MODEL A2D U LEVEL=4 TIMESTEP=0.1NS TIMESCALE=1
+ SONAME=0 SOVLO=-1 SOVHI= 2.7
$+\mathrm{S} 4 \mathrm{NAME}=1 \quad \mathrm{~S} 4 \mathrm{VLO}=1.4 \mathrm{~S} 4 \mathrm{VHI}=9.0$

$$
+C L O A D=0.05 p f
$$

## Analog-to-Digital Output Model Parameters

| Name(Alias) | Units | Default | Description |
| :--- | :--- | :--- | :--- |
| RLOAD | ohm | $1 /$ gmin | Output resistor |
| CLOAD | farad | 0 | Output capacitor |
| CHGONLY |  | 0 | 0: write each timestep, 1: write upon change |
| SONAME |  |  | State "0" character abbreviation |
| SOVLO | volt |  | State "0" low level voltage |
| SOVHI | volt |  | State "0" high level voltage |
| S1NAME |  |  | State "1" character abbreviation |
| S1VLO | volt |  | State "1" low level voltage |
| S1VHI | volt |  | Sstate "1" high level voltage |
| S2NAME |  |  | State "2" character abbreviation |
| S2VLO | volt |  | State "2" low level voltage |
| S2VHI | volt |  | State "2" high level voltage |
| S19NAME |  |  | State "19" character abbreviation |
| S19VLO | volt |  | State "19" low level voltage |
| S19VHI | volt |  | State "19" high level voltage |
| TIMESTEP | sec | $1 \mathrm{E}-9$ | Digital input file step size |
| TIMESCALE |  |  | Scale factor for |

## Two-Bit Adder with Digital I/O

The following two-bit MOS adder uses the digital input file. In the following plot, nodes ‘A[0], A [1], B[0], B[1], and CARRY-IN' all come from a digital file input. SPICE outputs a digital file.


Figure 5-9: Digital Stimulus File Input

## Replacing Sources With Digital Inputs

Traditional volta ge pulse sources become ...

... D2A drivers that get their input from ...


Figure 5-10: Digital File Signal Correspondence

## Example of MOS 2 Bit Adder

```
FILE: MOS2BIT.SP - ADDER - 2 BIT ALL-NAND-GATE BINARY ADDER
*
.OPTIONS ACCT NOMOD FAST scale=1u gmindc=100n post
.param lmin=1.25 hi=2.8v lo=.4v vdd=4.5
.global vdd
.TRAN .5NS 60NS
.MEAS PROP-DELAY TRIG V(carry-in) TD=10NS VAL='vdd*.5' RISE=1
+ TARG V(c[1]) TD=10NS VAL='vdd*.5' RISE=3
*
.MEAS PULSE-WIDTH TRIG V(carry-out_1) VAL='vdd*.5' RISE=1
+ TARG V(carry-out_1) VAL='vdd*.5' FALL=1
*
.MEAS FALL-TIME TRIG V(c[1]) TD=32NS VAL='vdd*.9' FALL=1
+ TARG V(c[1]) TD=32NS VAL='vdd*.1' FALL=1
VDD vdd gnd DC vdd
X1 A[0] B[0] carry-in C[0] carry-out_1 ONEBIT
X2 A[1] B[1] carry-out_1 C[1] carry-out_2 ONEBIT
```


## Subcircuit Definitions

```
.subckt NAND in1 in2 out wp=10 wn=5
    M1 out in1 vdd vdd P W=wp L=lmin ad=0
    M2 out in2 vdd vdd P W=wp L=lmin ad=0
    M3 out in1 mid gnd N W=wn L=lmin as=0
    M4 mid in2 gnd gnd N W=wn L=lmin ad=0
    CLOAD out gnd 'wp*5.7f'
.ends
```

.subckt ONEBIT in1 in2 carry-in out carry-out
X1 in1 in2 \#1_nand NAND
X2 in1 \#1_nand 8 NAND
X3 in2 \#1_nand 9 NAND
X4 8910 NAND
X5 carry-in 10 half1 NAND
X6 carry-in half1 half2 NAND
X7 10 half1 13 NAND
X8 half2 13 out NAND
X9 half1 \#1_nand carry-out NAND
.ENDS ONEBIT

## Stimulus

```
UC carry-in VLD2A VHD2A D2A SIGNAME=1 IS=0
UA[0] A[0] VLD2A VHD2A D2A SIGNAME=2 IS=1
UA[1] A[1] VLD2A VHD2A D2A SIGNAME=3 IS=1
UB[0] B[0] VLD2A VHD2A D2A SIGNAME=4 IS=1
UB[1] B[1] VLD2A VHD2A D2A SIGNAME=5 IS=1
```

$\star$
uc0 c[0] vrefa2d a2d signame=10
uc1 c[1] vrefa2d a2d signame=11
uco carry-out_2 vrefa2d a2d signame=12
uci carry-in vrefa2d a2d signame=13

## Models

```
.MODEL N NMOS LEVEL=3 VTO=0.7 UO=500 KAPPA=.25 KP=30U
+ ETA=.01 THETA=.04 VMAX=2E5 NSUB=9E16 TOX=400 GAMMA=1.5
+ PB=0.6 JS=.1M XJ=0.5U LD=0.1U NFS=1E11 NSS=2E10
+ RSH=80 CJ=.3M MJ=0.5 CJSW=.1N MJSW=0.3
+ acm=2 capop=4
*
.MODEL P PMOS LEVEL=3 VTO=-0.8 UO=150 KAPPA=.25 KP=15U
+ ETA=.015 THETA=.04 VMAX=5E4 NSUB=1.8E16 TOX=400 GAMMA=.672
+ PB=0.6 JS=.1M XJ=0.5U LD=0.15U NFS=1E11 NSS=2E10
+ RSH=80 CJ=.3M MJ=0.5 CJSW=.1N MJSW=0.3
+ acm=2 capop=4
```


## Default Digital Input Interface Model

```
.MODEL D2A U LEVEL=5 TIMESTEP=0.1NS,
+ SONAME=0 SOTSW=1NS SORLO = 15, SORHI = 10K,
+ S2NAME=x S2TSW=5NS S2RLO = 1K, S2RHI = 1K
+ S3NAME=z S3TSW=5NS S3RLO = 1MEG,S3RHI = 1MEG
+ S4NAME=1 S4TSW=1NS S4RLO = 10K, S4RHI = 60
VLD2A VLD2A O DC lo
VHD2A VHD2A O DC hi
```

```
Default Digital Output Model (no "X" value)
.MODEL A2D U LEVEL=4 TIMESTEP=0.1NS TIMESCALE=1
+ SONAME=0 SOVLO=-1 SOVHI= 2.7
+ S4NAME=1 S4VLO= 1.4 S4VHI=6.0
+ CLOAD=0.05pf
VREFA2D VREFA2D 0 DC 0.OV
```

. END

## Specifying a Digital Vector File

The digital vector file consists of three parts:

- Vector Pattern Definition section
- Waveform Characteristics section
- Tabular Data section.

To incorporate this information into your simulation, you need to include this line in your netlist:

```
.VEC `digital_vector_file'
```


## Defining Vector Patterns

The Vector Pattern Definition section defines the vectors Q - their names, sizes, signal direction, and so on Q - and must occur first in the digital vector file. A sample Vector Pattern Definition section follows:

```
radix 1111 1111
vname a b c d e f g h
io iiii iiii
tunit ns
```

Keywords such as radix, vname are explained in the "Defining Tabular Data" section later in this chapter.

## Defining Waveform Characteristics

The Waveform Characteristics section defines various attributes for signals, such as the rise or fall time, thresholds for logic 'high' or 'low', etc. A sample Waveform Characteristics section follows:

```
trise 0.3 137F 0000
tfall 0.5 137F 0000
vih 5.0 137F 0000
vil 0.0 137F 0000
```


## Using Tabular Data

The Tabular Data section defines the values of the input signals at specified times. The time is listed in the first column, followed by signal values, in the order specified by the vname statement.

## Example

An example of tabular data follows:

$$
11.0 \quad 10001000
$$

20.011001100
33.010101001

## Comment Lines

A line beginning with a semi-colon ";" is considered a comment line. Comments may also start at any point along a line. Star-Hspice ignores characters following a semi-colon.

## Example

An example of usage follows:

```
; This is a comment line
radix 1 1 4 1234 ; This is a radix line
```


## Continuing a Line

Like netlists, a line beginning with a plus sign " + " is a continuation from the previous line.

## Digital Vector File Example

An example of a vector pattern definition follows:

```
; specifies # of bits associated with each vector
radix 1 2 444
;
*
; defines name for each vector. For multi-bit
; vectors, innermost [] provide the bit index range,
; MSB:LSB
vname v1 va[[1:0]] vb[12:1]
;actual signal names: v1, va[0], va[1], vb1 ... vb12
;*
; defines vector as input, output, or bi-direc
io i o bbb
; defines time unit
tunit ns
;*****************************************************
*
; vb12-vb5 are output when 'v1' is 'high'
enable v1 0 0 FF0
; vb4-vb1 are output when 'v1' is 'low'
enable ~v1 0 0 00F
;*****************************************************
*
; all signals have delay of 1 ns
; Note: do not put unit (e.g., ns) again here because
; this value will be multiplied by the unit specified
; in the 'tunit' line.
tdelay 1.0
```

```
; signals val and vaO have delays of 1.5ns
tdelay 1.5 0 3 000
;
*
; specify input rise and fall times (if you want
; different rise and fall times, use trise/
; tfallstmt.)
; Note: do not put unit (e.g., ns) again here because
; this value will be multiplied by the unit specified
; in the 'tunit' line.
slope 1.2
;******************************************************
*
; specify the logic `high' voltage for input signals
vih 3.3 1 0 000
vih 5.0 0 0 FFF
; likewise, may specify logic 'low' with 'vil'
;******************************************************
*
; va & vb switch from 'lo' to 'hi' at 1.75 volts
vth 1.75 0 1 FFF
;******************************************************
*
; tabular data section
10.0 1 3 FFF
20.0 0 2 AFF
30.0 1 0 888
```


## Defining Tabular Data

Although this section generally appears last in a digital vector file, following the Vector Pattern and Waveform Characteristics definitions, we describe it first to introduce the definitions of a vector.

The Tabular Data section defines (in tabular format) the values of the signals at specified times. Its general format is:

```
time1 signal1_value1 signal2_value1 signal3_value1...
time2 signal1_value2 signal2_value2 signal3_value2...
time3 signall_value3 signal2_value3 signal3_value3...
```

The set of values for a particular signal over all times is a vector, a vertical column in the tabular data and vector table. Thus, the set of all signall_valuex constitute one vector. Signal values may have the legal states described in the following section.

Rows in the tabular data section must appear in chronological order because row placement carries sequential timing information.

## Example

$$
\begin{array}{lll}
10.0 & 1000 & 0000 \\
15.0 & 1100 & 1100 \\
20.0 & 1010 & 1001 \\
30.0 & 1001 & 1111
\end{array}
$$

This example feature eight signals and therefore eight vectors. The first signal (starting from the left) has a vector [lllll 1111$]$; the second has a vector [0 1000 ]; and so on.

## Input Stimuli

Star-Hspice converts each input signal into a PWL (piecewise linear) voltage source and a series resistance. The legal states for an input signal are.:

0
Drive to ZERO (gnd)
1
Drive to ONE (vdd)
Z, z Floating to HIGH IMPEDANCE
$\mathrm{X}, \mathrm{x} \quad$ Drive to ZERO (gnd)
L Resistive drive to ZERO (gnd)
H Resistive drive to ONE (vdd)
U, u Drive to ZERO (gnd)
For the $0,1, \mathrm{X}, \mathrm{x}, \mathrm{U}, \mathrm{u}$ states, the resistance value is set to zero; for the $\mathrm{L}, \mathrm{H}$ states, the resistance value is defined by the out (or outz) statement; and for the $\mathrm{Z}, \mathrm{z}$ states, the resistance value is defined by the triz statement.

## Expected Outputs

Star-Hspice converts each output signal into a .DOUT statement in the netlist. During simulation, Star-Hspice compares the actual results with the expected output vector(s), and if the states are different, an error message appears. The legal states for expected outputs include:
1 Expect ONE

X, x Don't care
$\mathrm{U}, \mathrm{u}$ Don't care
Z, z Expect HIGH IMPEDANCE (don't care)
$\mathrm{Z}, \mathrm{z}$ are treated as "don't care" because Star-Hspice cannot detect a high impedance state.

## Example

An example of usage follows:

```
; start of tabular section data
11.0 1 0 0 1
20.0 1 1 0 0
30.0 1 0 0 0
35.0 x x 0 0
```


## Verilog Value Format

Star-Hspice also accepts Verilog sized format for number specification:
<size> '<base format> <number>
The <size> specifies (in decimal) the number of bits, and <base format> indicates binary ('b or 'B), octal (' $o$ or ' $O$ ), or hexadecimal (' $h$ or ' $H$ ). Valid <number> fields are combinations of the characters $0,1,2,3,4,5,6,7,8,9, A$, $B, C, D, E, F$. Depending on the <base format> chosen, only a subset of these characters may be legal.

You may also use unknown values $(\mathrm{X})$ and high impedance $(\mathrm{Z})$ in the <number> field. An X or Z sets four bits in the hexadecimal base, three bits in the octal base, and one bit in the binary base.

If the most significant bit of a number is $0, \mathrm{X}$, or Z , the number is automatically extended (if necessary) to fill the remaining bits with (respectively) $0, \mathrm{X}$, or Z . If the most significant bit is 1 , it is extended with 0 .

## Examples

4'b1111
$12^{\prime} \mathrm{hABx}$
$32^{\prime} \mathrm{bz}$
$8^{\prime} \mathrm{h} 1$
Here we specify values for: a 4-bit signal in binary, a 12-bit signal in hexadecimal, a 32-bit signal in binary, and an 8 -bit signal in hexadecimal.

Equivalents of these lines in non-Verilog format would be:
1111
AB xxxx
ZZZZ ZZZZ ZZZZ ZZZZ ZZZZ ZZZZ ZZZZ ZZZZ
10000000

## Periodic Tabular Data

Very often tabular data is periodic, so it unnecessary to specify the absolute time at every time point. When a user specifies the period statement, the tabular data section omits the absolute times (see "Using Tabular Data" on page 56 for details).

## Example

```
radix 1111 1111
vname a b c d e f g h
io iiii iiii
tunit ns
period 10
; start of vector data section
1000 1000
1100 1100
1010 1001
```


## Defining Vector Patterns

The Vector Pattern Definition section defines the sequence or order for each vector stimulus, as well as any individual characteristics. The statements in this section (except the radix statement) might appear in any order, and all keywords are case-insensitive.

## The Radix Statement

The radix statement specifies the number of bits associated with each vector. Valid values for the number of bits range from 1 to 4 .

| \# bits | Radix | Number System | Valid Digits |
| :--- | :--- | :--- | :--- |
| 1 | 2 | Binary | 0,1 |
| 2 | 4 | - | $0-3$ |
| 3 | 8 | Octal | $0-7$ |
| 4 | 16 | Hexadecimal | $0-F$ |

Only one radix statement must appear in the file, and it must be the first noncomment line.

## Example

This example illustrates two 1 -bit signals followed by a 4 -bit signal, followed by a 1-bit, 2-bit, 3-bit, 4-bit signals, and finally eight 1-bit signals.

```
; start of vector pattern definition section
radix 1 1 4 1234 1111 1111
```


## The Vname Statement

The vname statement defines the name of each vector. If not specified, a default name will be given to each signal: V1, V2, V3, and so on. If you define more than one vname statement, the last one overrules previous one.

```
radix 1 1 1 1 1 1 1 1 1 1 1 1
vname V1 V2 V3 V4 V5 V6 V7 V8 V9 V10 V11 V12
```

Provide the range of the bit indices with a square bracket [] and a colon syntax:

```
[starting_index : ending index]
```

Tne vname name is required for each bit, and a single name may be associated with multiple bits (such as bus notation).

The bit order is MSB:LSB. This bus notation syntax may also be nested inside other grouping symbols such as <>, (), [], etc. The name of each bit will be vname with the index suffix appended.

## Example 1

If you specify:

```
radix 2 4
vname VA[0:1] VB[4:1]
```

the resulting names of the voltage sources generated are:

```
VAO VA1 VB4 VB3 VB2 VB1
```

where $V A 0$ and $V B 4$ are the MSBs and $V A 1$ and $V B 1$ are the LSBs.

## Example 2

If you specify:

```
vname VA[[0:1]] VB<[4:1]>
```

the resulting names of the voltage sources are:

```
VA[0] VA[1] VB<4> VB<3> VB<2> VB<1>
```


## Example 3

This example shows how to specify a single bit of a bus:

```
vname VA[[2:2]]
```


## Example 4

This example generates signals A0, A1, A2, ... A23:
radix 444444
vname A[0:23]

## The IO Statement

The io statement defines the type of each vector. The line starts with a keyword io and followed by a string of $\mathrm{i}, \mathrm{b}, \mathrm{o}$, or u definitions indicating whether each corresponding vector is an input, bi-directional, output, or unused vector, respectively.
i Input used to stimulate the circuit.
o
Expected output used to compare with the simulated outputs.
b
Star-Hspice ignores.

## Example

If the io statement is not specified, all signals are assumed input signals. If you define more than one io statements, the last one overrules previous ones.

```
io i i i bbbb iiiioouu
```


## The Tunit Statement

The tunit statement defines the time unit in digital vector file for period, tdelay, slope, trise, tfall, and absolute time. It must be::
fs
femto-second
pico-second
nano-second
us
micro-second
ms milli-second
If you do not specify the tunit statement, the default time unit value is $\mathbf{n s}$. If you define more than one tunit statement, the last one will overrule the previous one.

## Example

The tunit statement in this example specifies that the absolute times in the tabular data section are $11.0 \mathrm{~ns}, 20.0 \mathrm{~ns}$, and 33.0 ns , respectively.

```
tunit ns
```

11.010001000
20.011001100
33.010101001

## The Period and Tskip Statements

The period statement defines the time interval for the tabular data section so that specifying the absolute time at every time point is not necessary. Thus, if a period statement is provided alone (without the $t s k i p$ statement), the tabular data section contains only signal values, not absolute times. The time unit of period is defined by the tunit statement.

## Example

In this example, the first row of the tabular data (1000 1000) is for time 0ns. The second row of the tabular data ( 11001100 ) is for time 10 ns . The third row of the tabular data ( 1010 1001) is for time 20ns.

```
radix 1111 1111
period 10
1000 1000
1 1 0 0 1 1 0 0
1010 1001
```

The tskip statement specifies that the absolute time field in the tabular data is to be ignored. In this way, the absolute time field of each row may be kept in the tabular data (but ignored) when using the period statement.

## Example

If you have:

```
radix 1111 1111
period 10
tskip
11.0 1000 1000
20.0 1100 1100
33.0 1010 1001
```

the absolute times 11.0, 20.0 and 33.0 are ignored.

## The Enable Statement

The enable statement specifies the controlling signal(s) of bi-directional signals and is absolutely required for all bi-directional signals. If more than one enable statement exists, the last value will overrule the previous ones, with a warning message will be issued.

The syntax is a keyword enable, followed by the controlling signal name and the mask that defines the (bi-directional) signals to which enable applies.

The controlling signal of bi-directional signals must be an input signal with radix of 1 . The bi-directional signals become output when the controlling signal is at state 1 (or high). If you wish to reverse this default control logic, you must start the control signal name with ' $\sim$ '.

## Example

In this example, signals $x$ and $y$ are bi-directional, as defined by the ' b ' in the io line. The first enable statement indicates that $x$ (as defined by the position of ' $F$ ') becomes output when signal $a$ is 1 . The second enable specifies that bidirectional bus $y$ becomes output when signal $a$ is 0 .

```
radix 144
io ibb
vname a x[3:0] y[3:0]
enable a 0 F 0
enable ~a 0 O F
```


## Modifying Waveform Characteristics

This section describes how to modify the waveform characteristics of your circuit.

## The Tdelay, Idelay, and Odelay Statements

The tdelay, idelay and odelay statements define the delay time of the signal relative to the absolute time of each row in the tabular data section; idelay applies to the input signals, odelay applies to the output signals, while tdelay applies to both input and output signals.

The statement starts with a keyword tdelay (or idelay, odelay) followed by a delay value, and then followed by a mask, which defines the signals to which the delay will be applied. If you do not provide a mask, the delay value will be applied to all the signals.

The time unit of tdelay, idelay and odelay is defined by the tunit statement. Normally, you only need to use the tdelay statement; only use the idelay and odelay statements to specify different input and output delay times for bidirectional signals. idelay settings on output signals (or odelay settings on input signals) are ignored with warning message issued.

More than one tdelay (idelay, odelay) statement can be specified. If more than one tdelay (idelay, odelay) statement is applied to a signal, the last value will overrule the previous ones, and a warning will be given. If you do not specify the signal delays by a tdelay (idelay or odelay) statement, Star-Hspice defaults to zero.

## Example

The first tdelay statement indicates that all signals have the same delay time 1.0. The delay time of some signals are overruled by the subsequent tdelay statements. The V2 and Vx signals have delay time -1.2 , and V4 V5[0:1] $\mathrm{V} 6[0: 2]$ have a delay of 1.5 . The $\mathrm{V} 7[0: 3]$ signals have an input delay time of 2.0 and an output delay time of 3.0.

```
radix 1 1 4 1234 11111111
io i i o iiib iiiiiiii
vname V1 V2 VX[3:0] V4 V5[1:0] V6[0:2] V7[0:3]
+V8 V9 V10 V11 V12 V13 V14 V15
tdelay 1.0
tdelay -1.2 0 1 1 0000 00000000
tdelay 1.5 0 0 0 1370 00000000
idelay 2.0 0 0 0 000F 00000000
odelay 3.0 0 0 0 000F 00000000
```


## The Slope Statement

The slope statement specifies input signal rise/fall time, with the time unit defined by the tunit statement. You can specify the signals to which the slope applies using a mask. If the slope statement is not provided, the default slope value is 0.1 ns .

If you specify more than one slope statement, the last value will overrule the previous ones, and a warning message will be issued. The slope statement has no effect on the expected output signals. The rising time and falling time of a signal will be overruled if trise and tfall are specified.

## Examples

The first example indicates that the rising and falling times of all signals are 1.2 ns, whereas the second specifies a rising/falling time of 1.1 ns for the first, second, sixth, and seventh signal.

```
slope 1.2
slope 1.1 1100 0110
```


## The Trise Statement

The trise statement specifies the rise time of each input signal (for which the mask applies). The time unit of trise is defined by the tunit statement.

## Example

If you do not specify the rising time of the signals by any trise statement, the value defined by the slope statement is used. If you apply more than one trise statements to a signal, the last value will overrule the previous ones, and a warning message will be issued.

```
trise 0.3
trise 0.5 0 1 1 137F 00000000
trise 0.8 0 0 0 0000 11110000
```

The trise statements have no effect on the expected output signals.

## The Tfall Statement

The $t f a l l$ statement specifies the falling time of each input signal (for which the mask applies). The time unit of tfall is defined by the tunit statement.

## Example

If you do not specify the falling time of the signals by a tfall statement, StarHspice uses the value defined by the slope statement. If you specify more than one tfall statement to a signal, the last value will overrule the previous ones, and a warning message will be issued.

```
tfall 0.5
tfall 0.3 0 1 1 137F 00000000
tfall 0.9 0 0 0 0000 11110000
```

The tfall statements have no effect on the expected output signals.

## The Out /Outz Statements

The keywords out and outz are equivalent and specify the output resistance of each signal (for which the mask applies); out (or outz) applies to the input signals only.

## Example

If you do not specify the output resistance of a signal by an out (or outz) statement, Star-Hspice uses the default (zero). If you specify more than one out (or outz) statement to a signal, Star-Hspice overrules the last value with the previous ones, and issues a warning message.

```
out 15.1
out 150 1 1 1 0000 00000000
outz 50.5 0 0 0 137F 00000000
```

The out (or outz) statements have no effect on the expected output signals.

## The Triz Statement

The triz statement specifies the output impedance when the signal (for which the mask applies) is in tristate; triz applies to the input signals only.

## Example

If you do not specify the tristate impedance of a signal by a triz statement, StarHspice assumes 1000 M . If you apply more than one triz statement to a signal, the last value will overrule the previous ones, and Star-Hspice will issue a warning.

```
triz 15.1M
triz 150M 1 1 1 0000 00000000
triz 50.5M 0 0 0 137F 00000000
```

The triz statements have no effect on the expected output signals.

## The Vih Statement

The vih statement specifies the logic high voltage of each input signal to which the mask applies.

## Example

If you specify the logic high voltage of the signals by a vih statement, StarHspice assumes 3.3. If you apply more than one vih statements to a signal, the last value will overrule the previous ones, and Star-Hspice will issue a warning.

```
vih 5.0
vih 5.0 1 1 1 137F 00000000
vih 3.5 0 0 0 0000 11111111
```

The vih statements have no effect on the expected output signals.

## The Vil Statement

The vil statement specifies the logic low voltage of each input signal to which the mask applies.

## Example

If you specify the logic low voltage of the signals by a vil statement, Star-Hspice assumes 0.0 . If you apply more than one vil statement to a signal, the last value will overrule the previous ones, and Star-Hspice will issue a warning.

```
vil 0.0
vil 0.0 1 1 1 137F 11111111
```

The vil statements have no effect on the expected output signals.

## The Vref Statement

Similar to the tdelay statement, the vref statement specifies the name of the reference voltage for each input vector to which the mask applies; vref applies to the input signals only.

## Example

If you have:

```
vname v1 v2 v3 v4 v5[1:0] v6[2:0] v7[0:3] v8 v9 v10
vref 0
vref 0 111 137F 000
vref vss 0 0 0 0000 111
```

When Star-Hspice implements it into the netlist, the voltage source realizes $v 1$ :
v1 V1 0 pwl(......)
as will $v 2, v 3, v 4, v 5, v 6$, and $v 7$. However, $v 8$ will be realized by
V8 V8 vss pwl(......)
as will $v 9$ and $v 10$.
If you do not specify the reference voltage name of the signals by a vref statement, Star-Hspice assumes 0. If you apply more than one vref statement, the last value will overrule the previous ones, and Star-Hspice issues a warning. The vref statements have no effect on the output signals.

## The Vth Statement

Similar to the tdelay statement, the $v$ th statement specifies the logic threshold voltage of each signals to which the mask applies; $v$ th applies to the output signals only. The threshold voltage is used to decide the logic state of StarHspice's output signals for comparison with the expected output signals.

## Example

If you do not specify the threshold voltage of the signals by a $v$ th statement, StarHspice assumes 1.65. If you apply more than one $v$ th statements to a signal, the last value will overrule the previous ones, and Star-Hspice issues a warning.

```
vth 1.75
vth 2.5 1 1 1 137F 00000000
vth 1.75 0 0 0 0000 11111111
```

The $v$ th statements have no effect on the input signals.

## The Voh Statement

The voh statement specifies the logic high voltage of each output signal to which the mask applies.

## Example

If you do not specify the logic high voltage by a voh statement, Star-Hspice assumes 3.3. If you apply more than one voh statements to a signal, the last value will overrule the previous ones and Star-Hspice issues a warning.

```
voh 4.75
voh 4.5 1 1 1 137F 00000000
voh 3.5 0 0 0 0000 11111111
```

The voh statements have no effect on input signals.
Note: If both voh and vol are not defined, Star-Hspice uses vth (default or defined).

## The Vol Statement

The vol statement specifies the logic low voltage of each output signal to which the mask applies.

## Example

If you do not specify the logic low voltage by a vol statement, Star-Hspice assumes 0.0 . If you apply more than one vol statements to a signal, the last value will overrule the previous ones and Star-Hspice issues a warning.

```
vol 0.5
vol 0.5 1 1 1 137F 11111111
```

The vol statements have no effect on input signals.
Note: If both voh and vol are not defined, Star-Hspice uses vth (default or defined)

