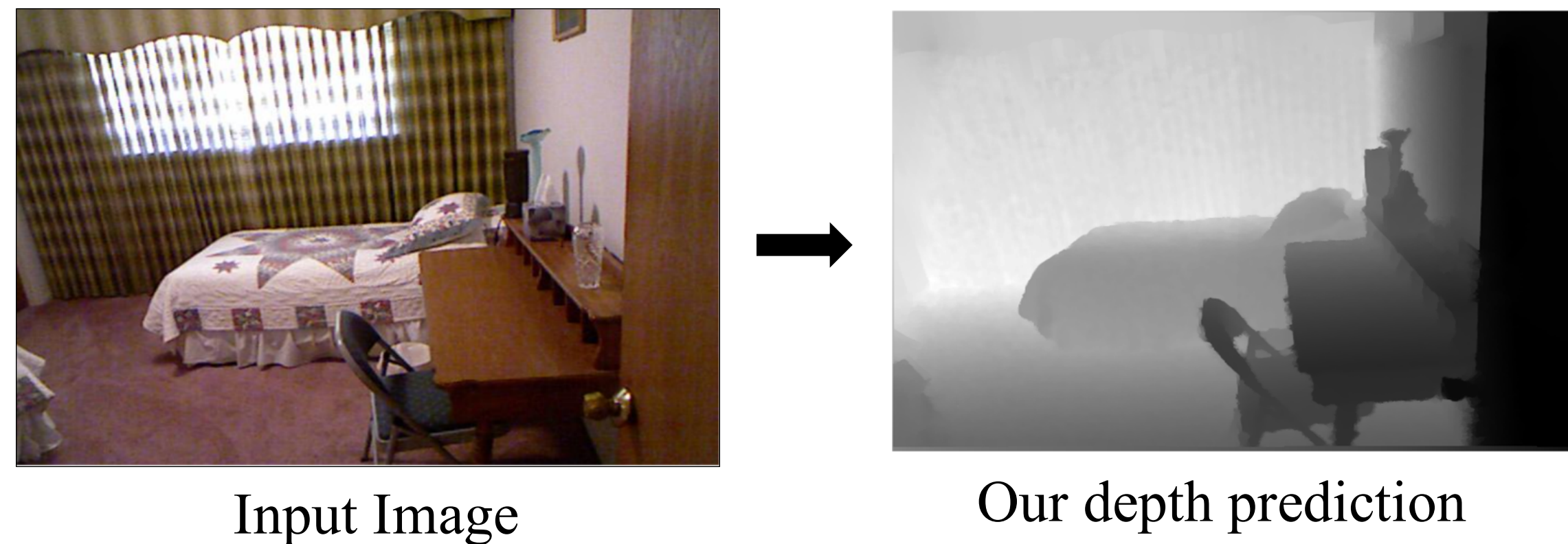
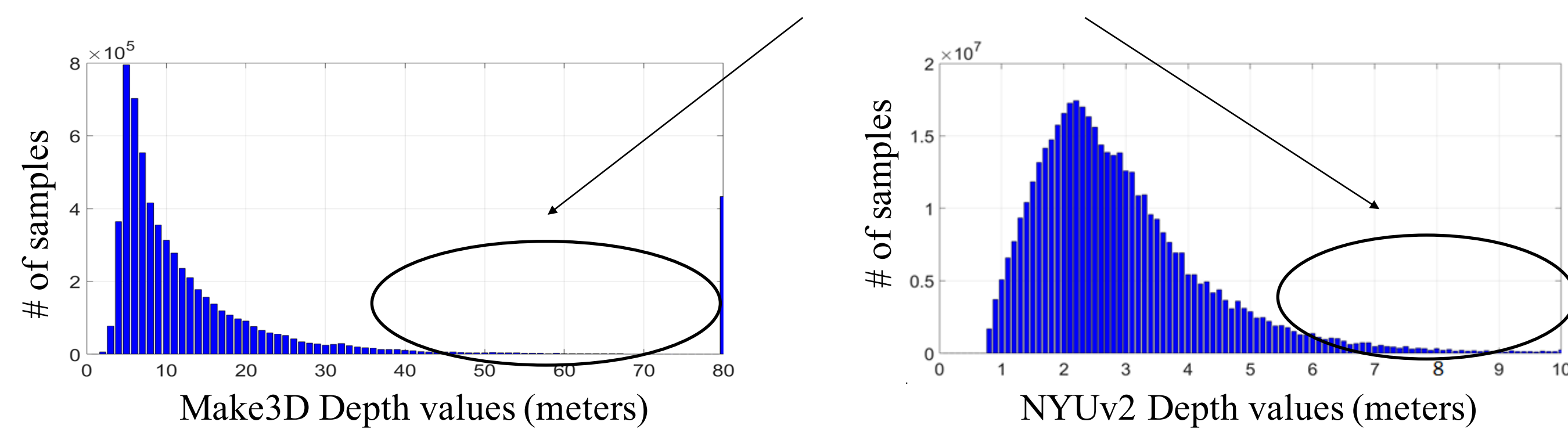


Problem statement



Major challenge: Limited training data for some depths



Formulation

$$p_{\mathcal{F}}(d|\mathbf{x}) = \frac{1}{|\mathcal{F}|} \sum_{T \in \mathcal{F}} p_T(d|\mathbf{x})$$

Depth prediction of \mathbf{x} by the forest

$$p_T(d|\mathbf{x}) = \sum_{l \in \mathcal{T}} p(d|l)P(l|\mathbf{x})$$

Depth prediction of \mathbf{x} by a tree

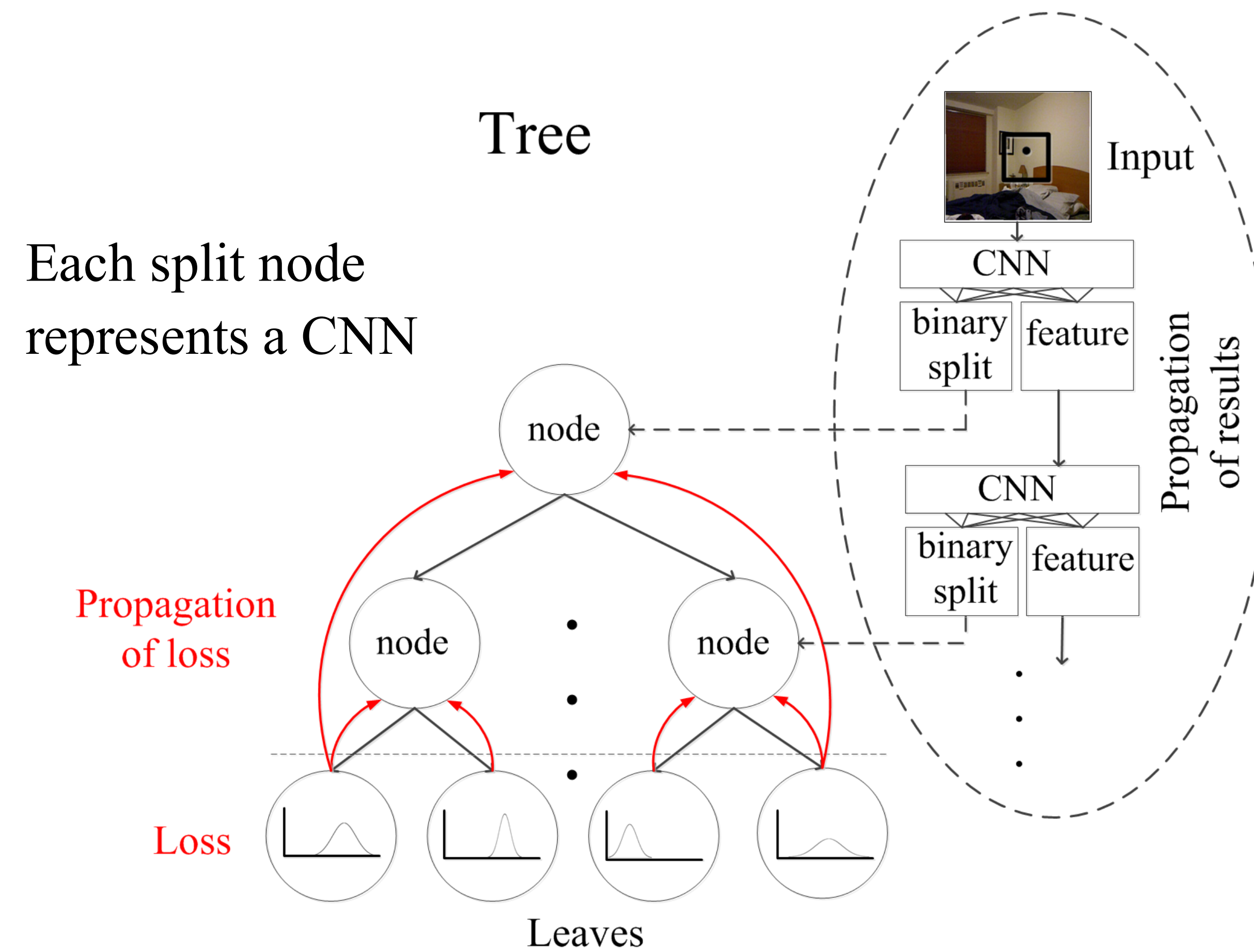
$$P(l|\mathbf{x}) = \prod_{v \in \mathcal{V}} f_v(\mathbf{x})^{\mathbb{L}(l,v)} (1 - f_v(\mathbf{x}))^{\mathbb{R}(l,v)}$$

Probability of \mathbf{x} reaching leaf l

Probability of \mathbf{x} reaching leaf l

Split functions for left and right children of node v

Our Approach: Neural Regression Forest

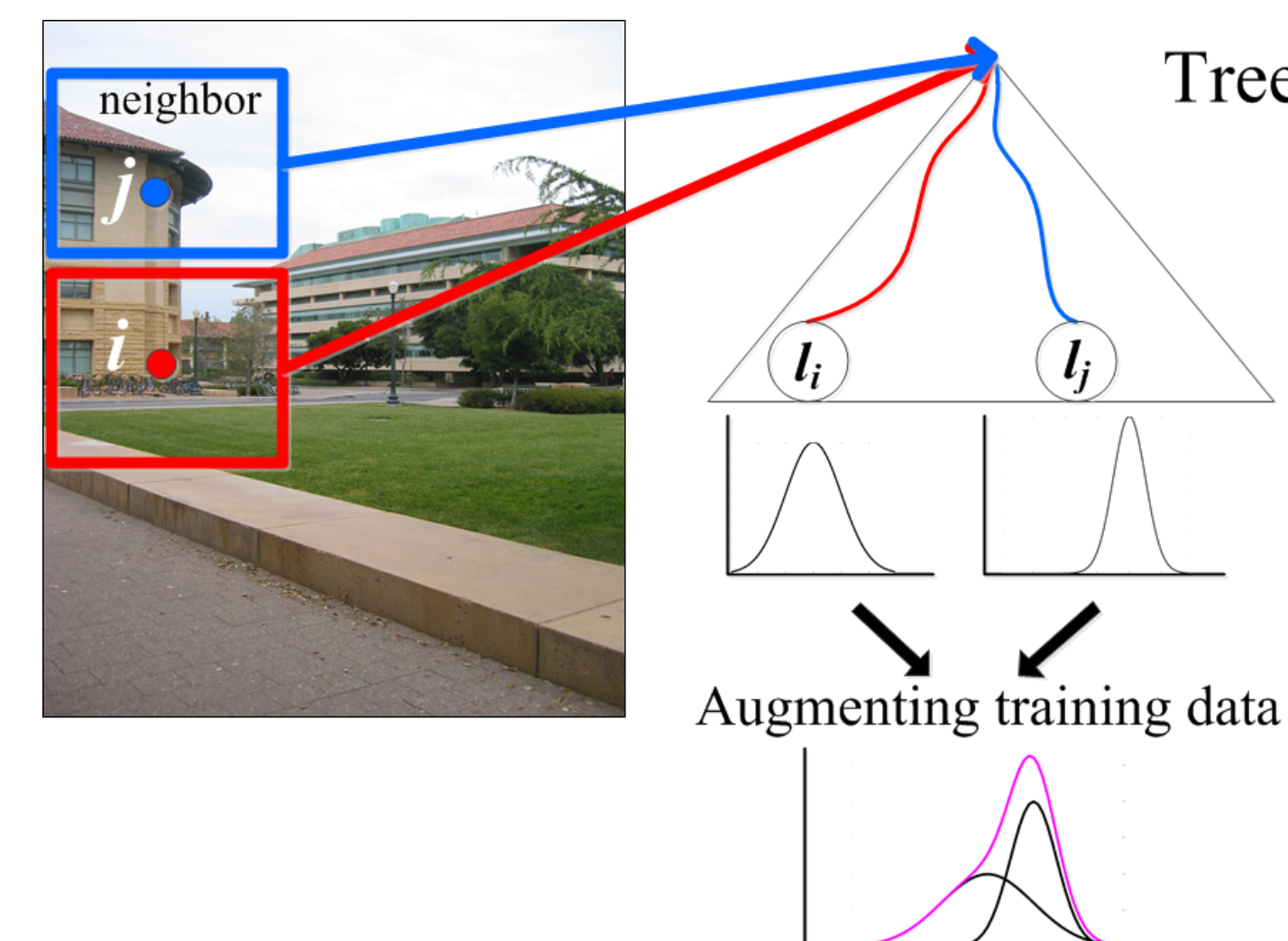


Advantages:

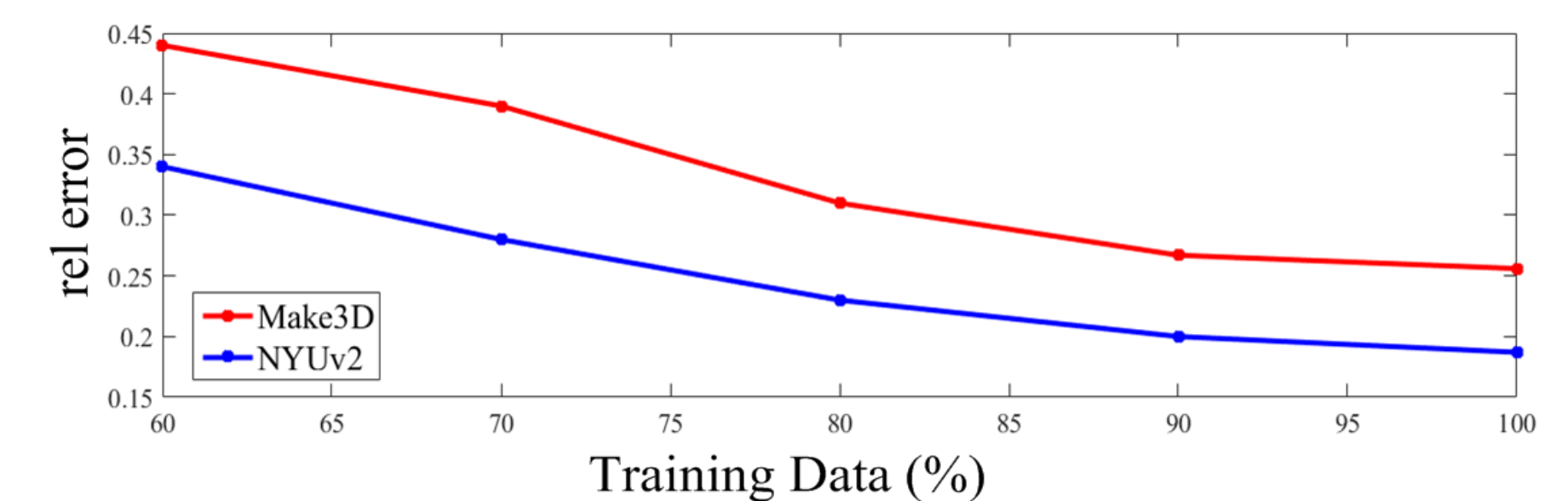
- Binary decisions
- Shallow CNNs
- Parallel loss updates

Augmenting Training Data

- Similar neighboring pixels → Similar depths
- Similarity estimated by bilateral filtering



Evaluation of Robustness



$$\text{Relative error (rel): } \frac{1}{N} \sum (|d^* - \hat{d}|/d^*)$$

Graceful increase in error when the training set size decreases

Results on the Benchmark Datasets

	Make3D		NYU v2	
	rel	rms	rel	rms
Liu et. al. 2014	0.338	12.60	0.335	1.06
Eigen et. al. 2014	-	-	0.215	0.907
Liu et. al. 2014	0.307	12.89	0.230	0.824
Lam et. al. 2015	0.364	-	-	-
Zhuo et. al. 2015	-	-	0.305	1.04
Ours	0.26	12.40	0.187	0.744
Error reduction	- 0.04	-0.2	- 0.2	- 0.08

Relative error (rel):

$$\frac{1}{N} \sum (|d^* - \hat{d}|/d^*)$$

Root mean square error (rms):

$$\frac{1}{N} \sqrt{\sum (d^* - \hat{d})^2}$$

