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## The Ray Intersection Process for a Sphere

1. Sphere equation: $\left(x-x_{c}\right)^{2}+\left(y-y_{c}\right)^{2}+\left(z-z_{c}\right)^{2}=R^{2}$
2. Ray equation: $(x, y, z)=\left(x_{0}, y_{0}, z_{0}\right)+t^{\star}(d x, d y, d z)$

Plugging ( $x, y, z$ ) from the second equation into the first equation and multiplyingthrough and simplifying gives:
$A t^{2}+B t+C=0$
Solve for $t_{1}, t_{2}$
A. If both $t_{1}$ and $t_{2}$ are complex, then the ray missed the sphere
B. If $t_{1}==t_{2}$, then the ray brushed the sphere at a tangent point
B. If $t_{1}==t_{2}$, then the ray brushed the sphere at a tangent point.
C. If both $t_{1}$ and $t_{2}$ are real and different, then the ray entered and exited the sphere.


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| A New Built-in Function 13 |  |  |
| :---: | :---: | :---: |
| ```void trace ( accelerationStructure uint uint uint uint uint vec3 float vec3 float int );``` | topLevel, rayFlags, cullMask, sbtRecordOffset, sbtRecordStride, missIndex, origin, tmin, direction, tmax, payload |  |
| ```In Vulkan terms: gl_WorldRayOrigin \(=\left(x_{0}, y_{0}, z_{0}\right)\) gl_Hit = t gl_WorldRayDirection = (dx,dy,dz)``` |  |  |
| $\begin{gathered} \text { OregonState } \\ \text { University } \\ \text { Computer Graphics } \end{gathered}$ |  | mp - Fentuary 1.2022 |

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