Efficient Incremental Decoding

for Tree-to-String Translation

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MT: Phrase-based vs. Syntax-based

- most of statistical machine translation falls into
 - phrase-based models
 - allow arbitrary reorderings: exponential-time decoding
 - in practice: quadratic-time beam search
 - Inear-time with constant distortion limit; pretty fast
 - syntax-based models
 - grammar-based reorderings: polynomial-time decoding
 - in practice: slower than phrase-based when with LM
- Q: borrow phrase-based decoding for syntax-based?

Preview of Results

- a phrase-based-style, incremental decoding algorithm for tree-to-string translation
- polynomial-time in theory, linear-time in practice
- 30 times faster than phrase-based Moses

	in theory	in practice
phrase-based	exponential	quadratic
tree-to-string	polynomial	linear

Preview of Results

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	BLEU	time
Moses (in C++)	29.4	10.8s
tree-to-string (in Python)	29.5	0.3s

Outline

- Background: Tree-to-String Translation
- Background: Phrase-based Decoding
- Incremental Decoding for Tree-to-String Translation
- Complexity Analysis
- Experiments

• get I-best parse tree; then convert to English



Incremental Decoding

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Incremental Decoding

recursively solve unfinished subproblems



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pattern-match tree-to-string translation rules



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pattern-match tree-to-string translation rules



(Liu et al 06; Huang et al 06)

continue pattern-matching

Bush	held	NPB	with	NPB
		I		I
		NN		NR
		I		I
		huìtán		Shālóng

continue pattern-matching



continue pattern-matching

Bush held a talk with Sharon

- continue pattern-matching
- Bush held a talk with Sharon

really simple! and fast: O(n)-time decoding!

- continue pattern-matching
- Bush held a talk with Sharon

really simple! and fast: O(n)-time decoding!

but with language model, it becomes slower...

Incremental Decoding

(Galley et al 04; Liu et al 06; Huang et al 06)

Decoding w/ Language Model

- bottom-up (equivalent to top-down)
- each node is now split into several +LM nodes
- maintain LM signatures at both ends; and cross-product



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time complexity: $O(2^n n^2) - cf$. traveling salesman problem (TSP)

Incremental Decoding

- "refined" graph: annotated with language model words
- still dynamic programming, just larger search space



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time:
$$O(2^n n^2) => O(2^n n^2 V^m)$$

for *m*-gram language models

Why Phrase-based is Fast?

- phrase-based is exponential-time in theory
- in practice, linear-time w/ beam search + distortion limit
- key difference due to incremental expansion:
 - only need to keep rightmost LM words



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Q: can tree-to-string also become incremental?



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Incremental for Tree-to-String

key intuition: tree coverage-vector?









Tree Coverage Vector as Stack

- stack (active derivation history): [ε→.IP] [IP→ NPB.VP]
- three colors for nodes: white (uncovered), grey (partially covered), and black (covered)



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Incremental Decoding







 $[\varepsilon \rightarrow \langle s \rangle]$ [IP $\rightarrow NPB_VP$] [VP $\rightarrow held_NPB$ with NPB] $\langle s \rangle$ Bush held



 $[\epsilon \rightarrow <s > \cdot |P </s >]$ $[IP \rightarrow NPB \cdot VP]$ $[VP \rightarrow held \cdot NPB$ with NPB] $[NPB \rightarrow \cdot talks]$ <s > Bush held



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Incremental Decoding

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 $[E \rightarrow <_{s} \rightarrow [P < /_{s}] [IP \rightarrow NPB P] [VP \rightarrow held NPB with NPB]$

<s> Bush held talks with



 $[\varepsilon \rightarrow \langle s \rangle \cdot IP \langle s \rangle]$ [IP $\rightarrow \ NPB \cdot VP$] [VP $\rightarrow held \ NPB \ with \cdot NPB$][NPB $\rightarrow \cdot Sharon$] $\langle s \rangle$ Bush held talks with



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 $[\epsilon \rightarrow <_{s} > |P </_{s}] [IP \rightarrow NPBVP_{\bullet}]$



 $\left[\varepsilon \rightarrow <_{s} > \mathsf{IP}_{\bullet} </_{s} > \right]$



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Complexity Analysis

- how many possible derivation stacks?
- exponential in root-to-leaf path length (tree depth)
- tree depth O(log n); const # rules => O(c^{log n})=O(n^{log c})
- so avg-case complexity is polynomial (see proof in paper)





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Beam Search in Practice

- very similar to phrase-based beam search
- coverage-vectors => derivation stacks
- beaming: # of Chinese tree nodes in black or grey
- assume constant # of rules per tree node: linear-time



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Related Work

- Watanabe et al (2006) presents similar incremental decoding algorithm for Hiero-style systems
 - but complexity is super-polynomial in theory
 - and quadratic in practice (just like phrase-based)
 - requires Greibach Normal Form grammar $A \rightarrow a B C D$
- Dyer and Resnik (2010) use two-pass decoding
 - first-pass: no LM. incremental Earley-style
 - second-pass: +LM. bottom-up CKY w/ cube pruning
- ours work: one-pass, incremental, +LM, all grammars

Experiments

Experimental Setup

- Chinese-to-English translation
 - on a Python implementation of tree-to-string system
- I.5M sentence pairs (38M/32M words in Chn/Eng)
- dev: NIST 2006 (616 sent); test: NIST 2008 (691 sent.)
- Chinese-side parsed by Berkeley parser (Petrov & Klein, 07)
- rules extracted using GHKM algorithm (Galley et al, 04; 06)
- trigram language model trained on the English side
- feature weights tuned using MERT (Och, 03)

Comparison with Moses

- we train/tune Moses with various distortion limits
- our incremental tree-to-string is ~30 times faster
 - this includes parsing time (0.2s per sentence)

	BLEU	time
Moses (optimal distortion limit=10)	29.4	10.8s
tree-to-string: incremental (b=10)	29.5	0.3s
tree-to-string: incremental (b=50)	30.0	0.8s

Comparison with Moses

- incremental tree-to-string is linear-time in practice
- and 30 times faster than Moses (distortion limit=10)



incremental is slightly faster than cube pruning

	BLEU	time
Moses (optimal d _{max} =10)	29.4	10.8s
tree-to-string: incremental (b=10)	29.5	0.3s
tree-to-string: incremental (b=50)	30.0	0.8s
tree-to-string: cube pruning (b=10)	29.5	0.6s
tree-to-string: cube pruning (b=50)	30.0	I.Os

- incremental is slightly faster than cube pruning
- note they are very different (orthogonal) techniques
 - we envision their combination will be even faster



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Conclusion and Future Work

	in theory	in practice
phrase-based	exponential	quadratic
tree-to-string	polynomial	linear

- an incremental algorithm for tree-to-string translation
- linear-time in practice, and 30 times faster than Moses
- very different from cube pruning
 - cube pruning applies to phrase-based also (Huang/Chiang, 07)
 - future work I: combine cube pruning w/ incremental
- future work 2: extend to other syntax-based models

非常 感谢!

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Thank you very much !

Tree Depth: Mean and Variance

- logarithmic mean and variance of tree-depth
- (needed for avg.-case polynomial-time complexity)

