Fast(er) Exact Decoding and Global Training for Transition-Based Dependency Parsing via a Minimal Feature Set

Tianze Shi*

Liang Huang[†] Lillian Lee^{*}





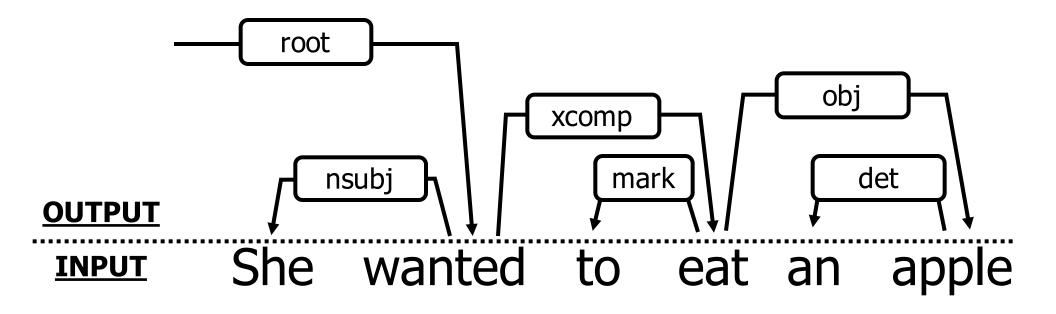
+ Oregon State University

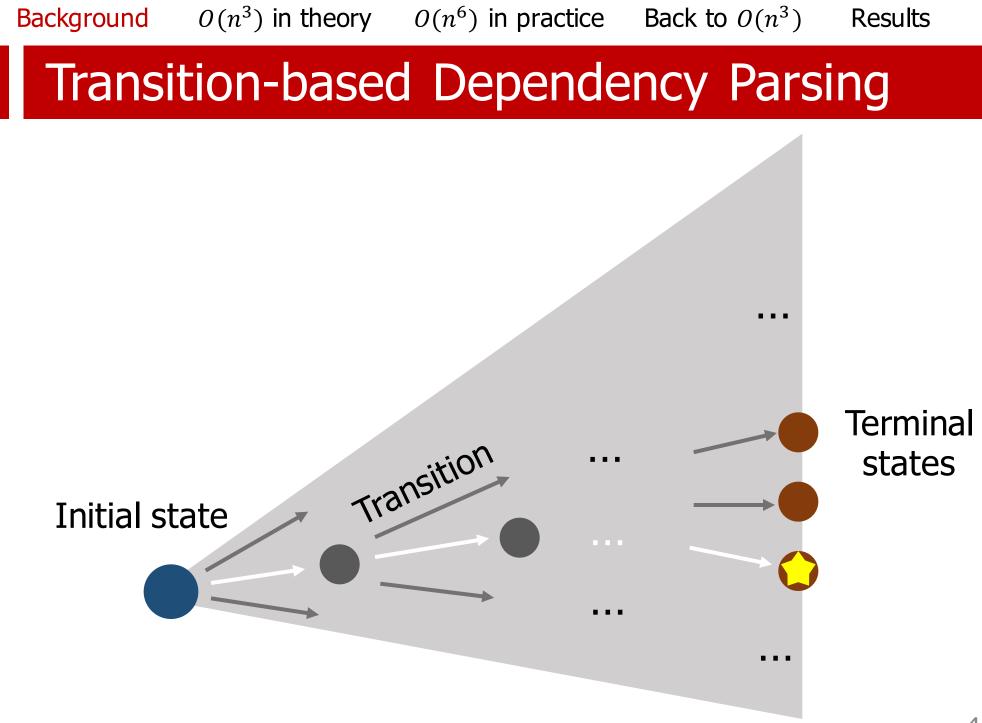
Short Version

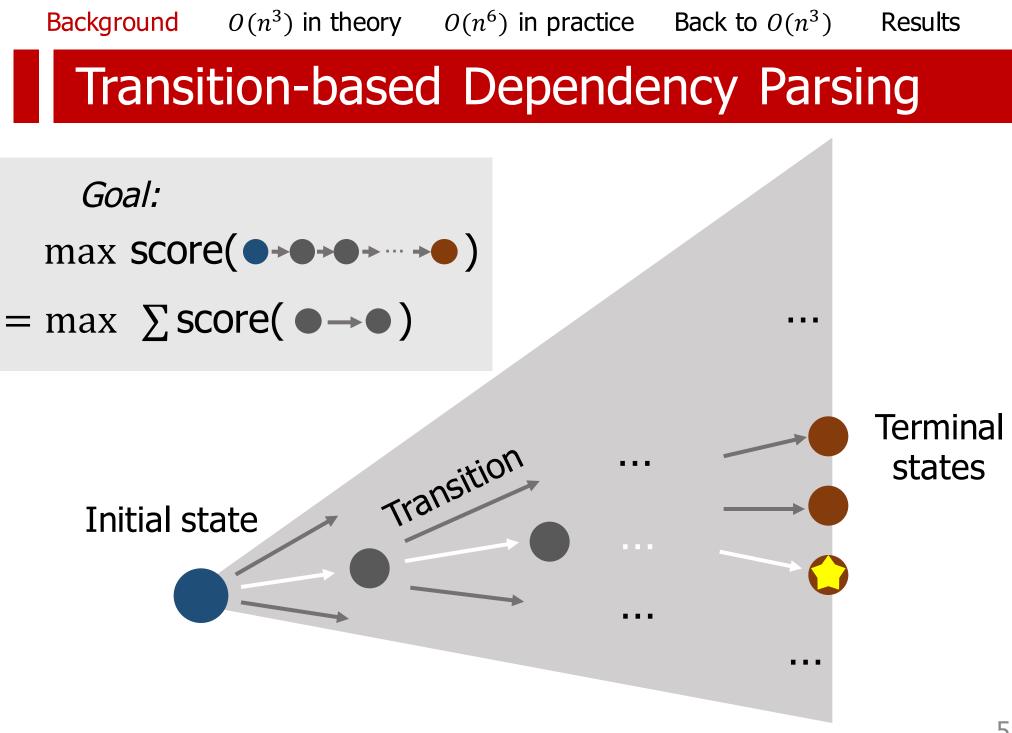
- Transition-based dependency parsing has an exponentially-large search space
- $O(n^3)$ exact solutions exist
- In practice, however, we needed rich features $\Rightarrow O(n^6)$
- (This work) with bi-LSTMs, now we can do $O(n^3)$!
- And we get state-of-the-art results

Background $O(n^3)$ in theory $O(n^6)$ in practice Back to $O(n^3)$ Results

Dependency Parsing



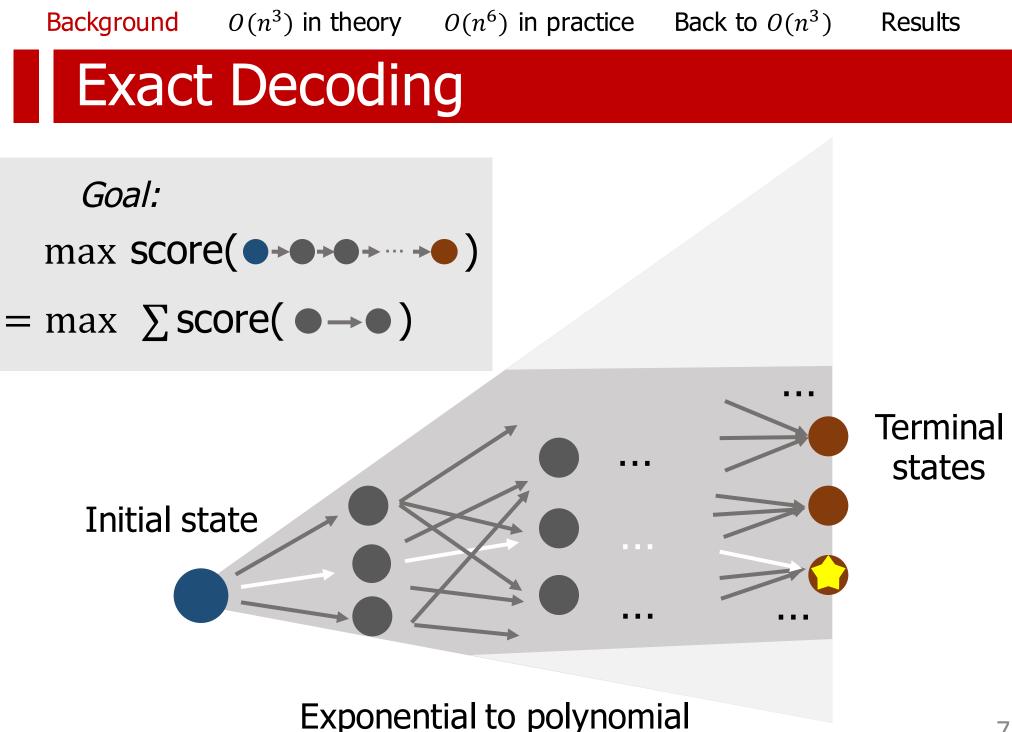




Background $O(n^3)$ in theory $O(n^6)$ in practice Back to $O(n^3)$ Results Exact Decoding

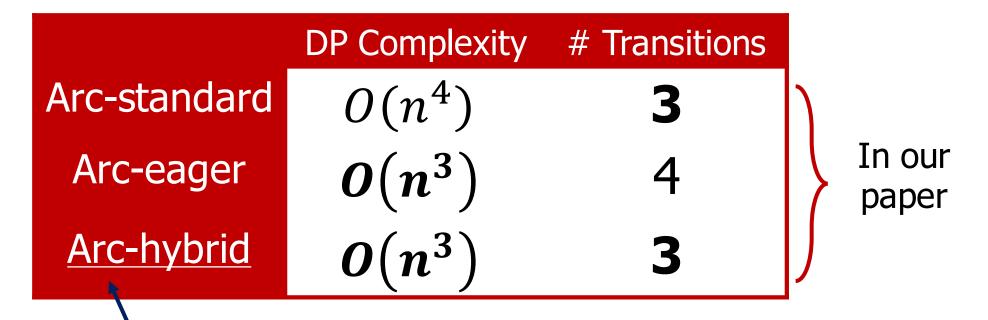
• Dynamic programming (Huang and Sagae, 2010; Kuhlmann, Gómez-Rodríguez and Satta, 2011)

... since transition (sub-)sequences can be reused

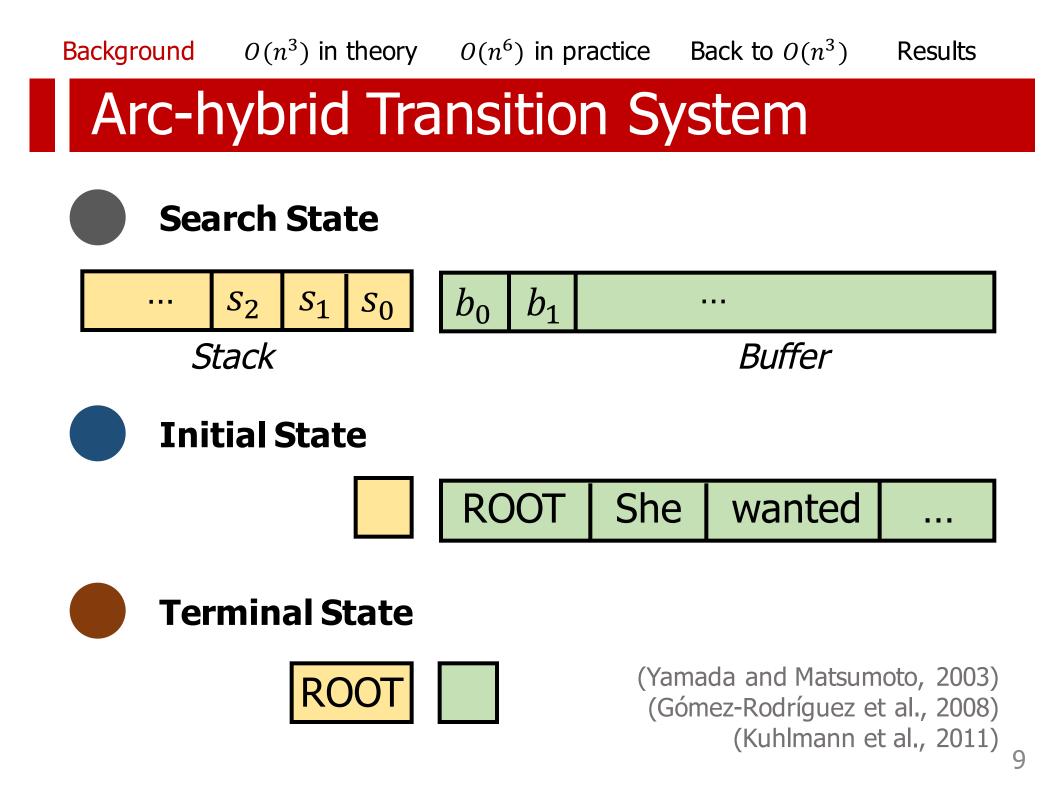


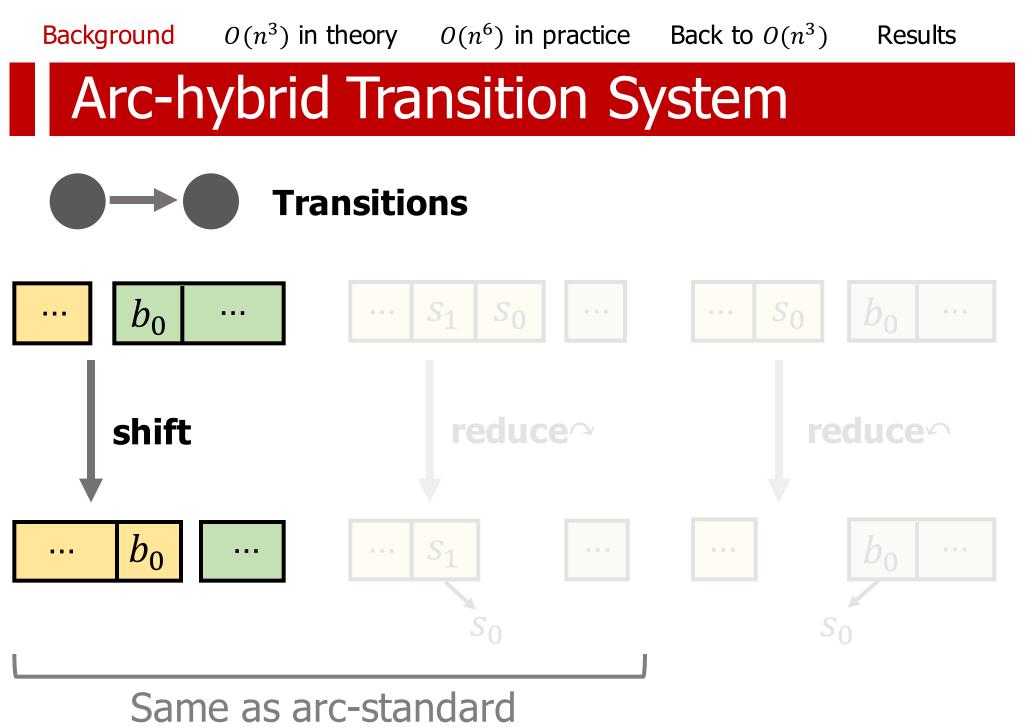
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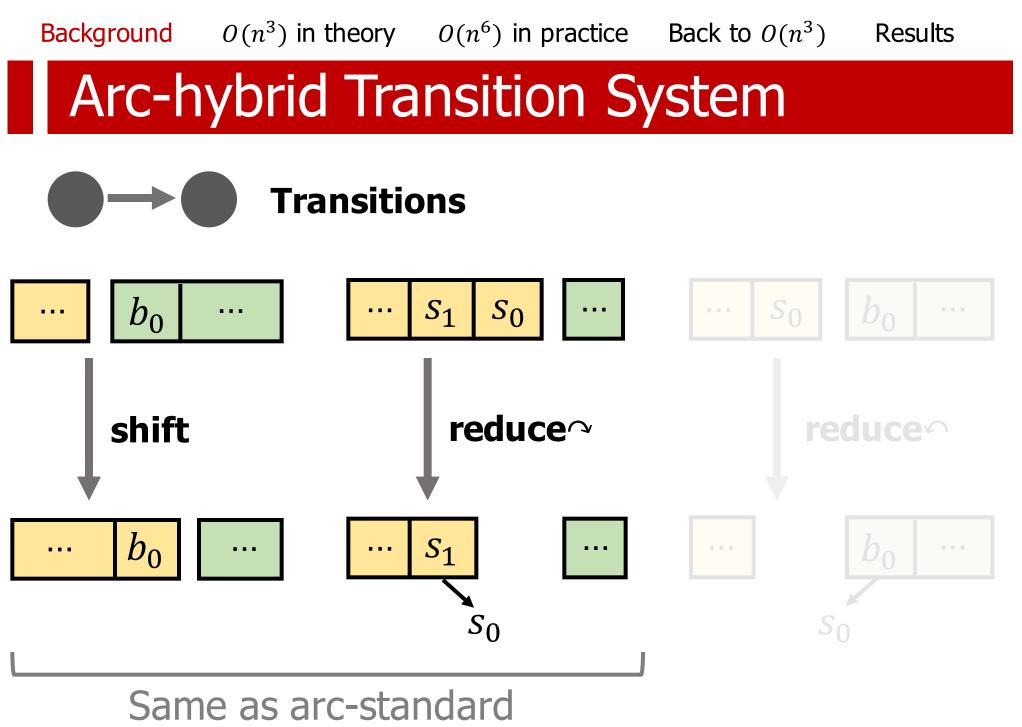
Transition Systems

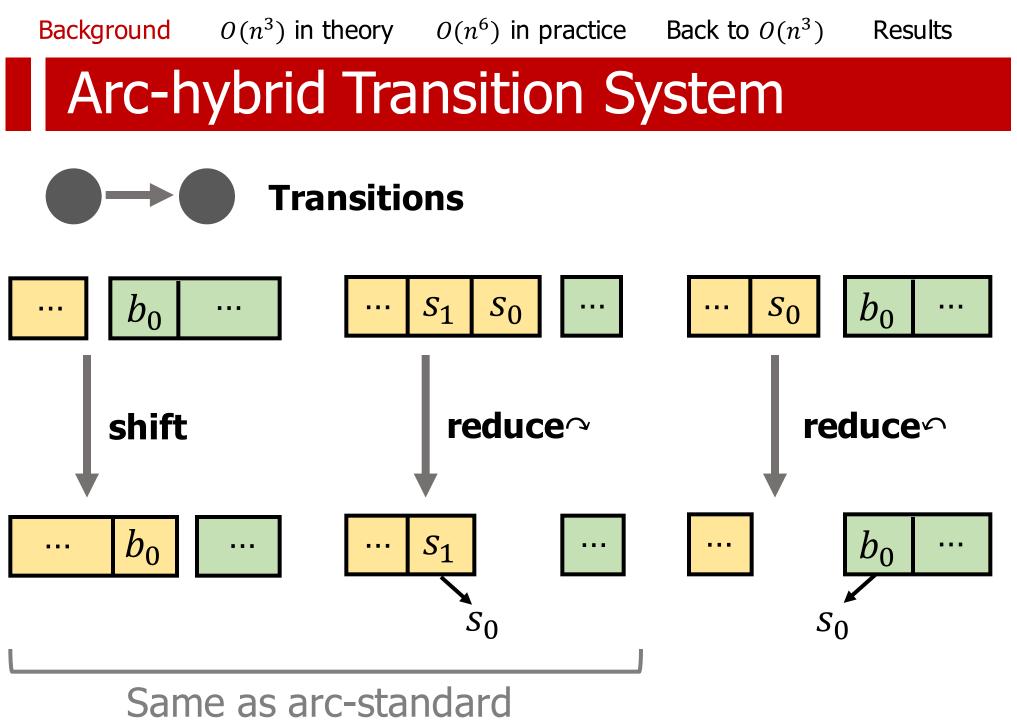


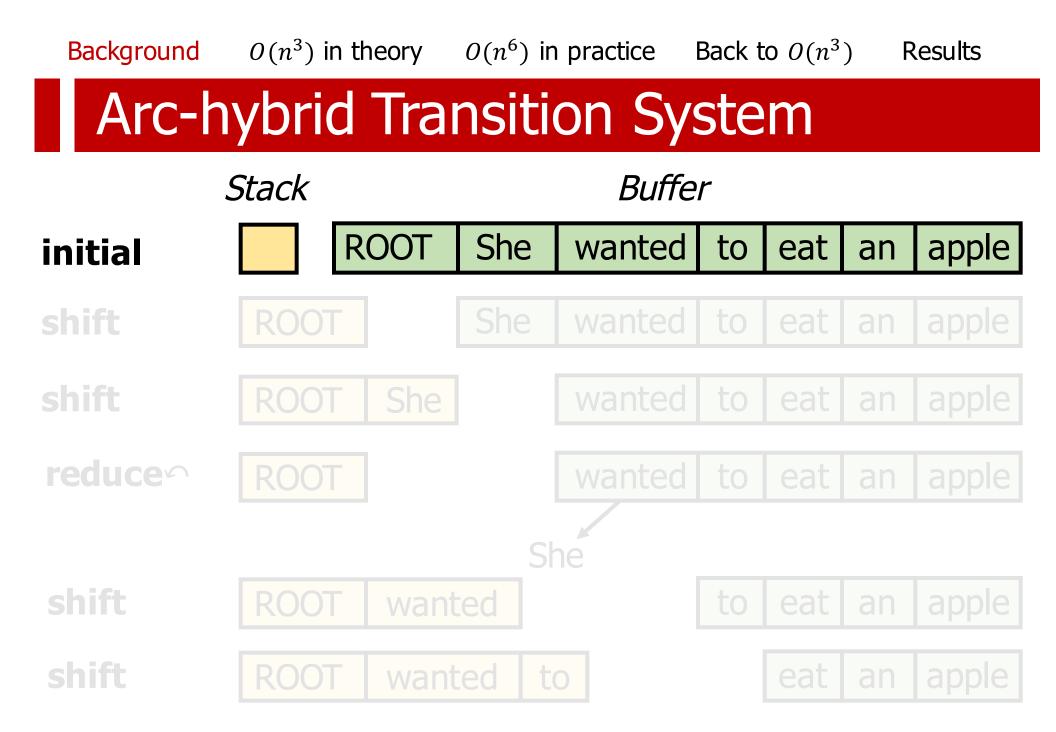
Presentational convenience

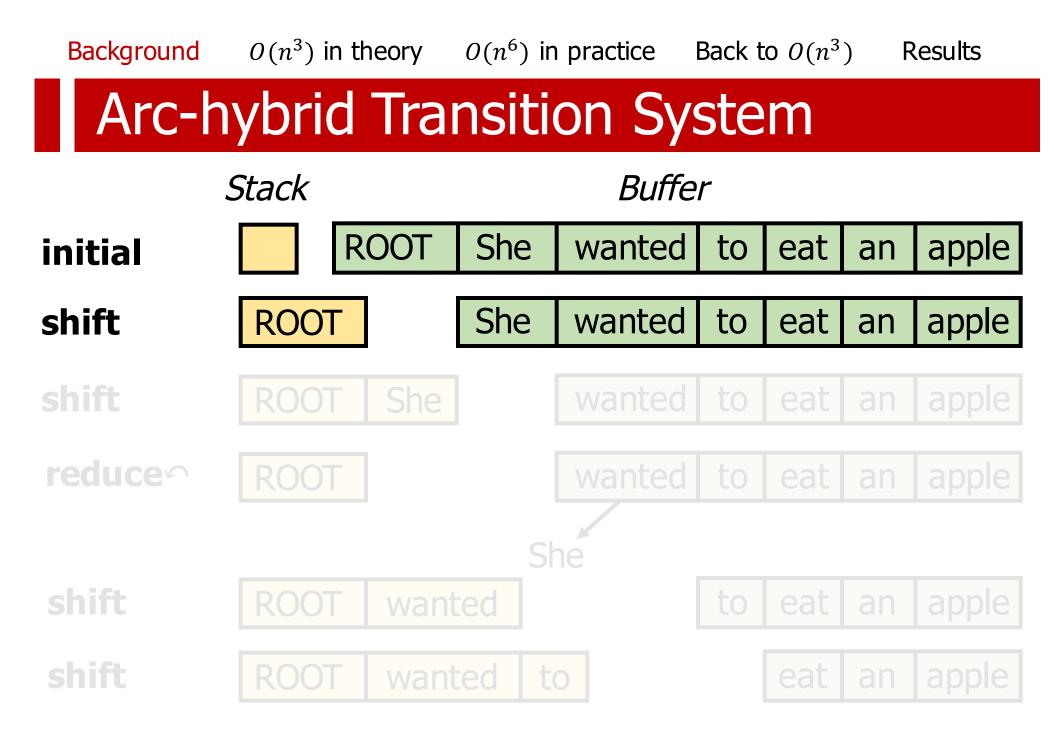










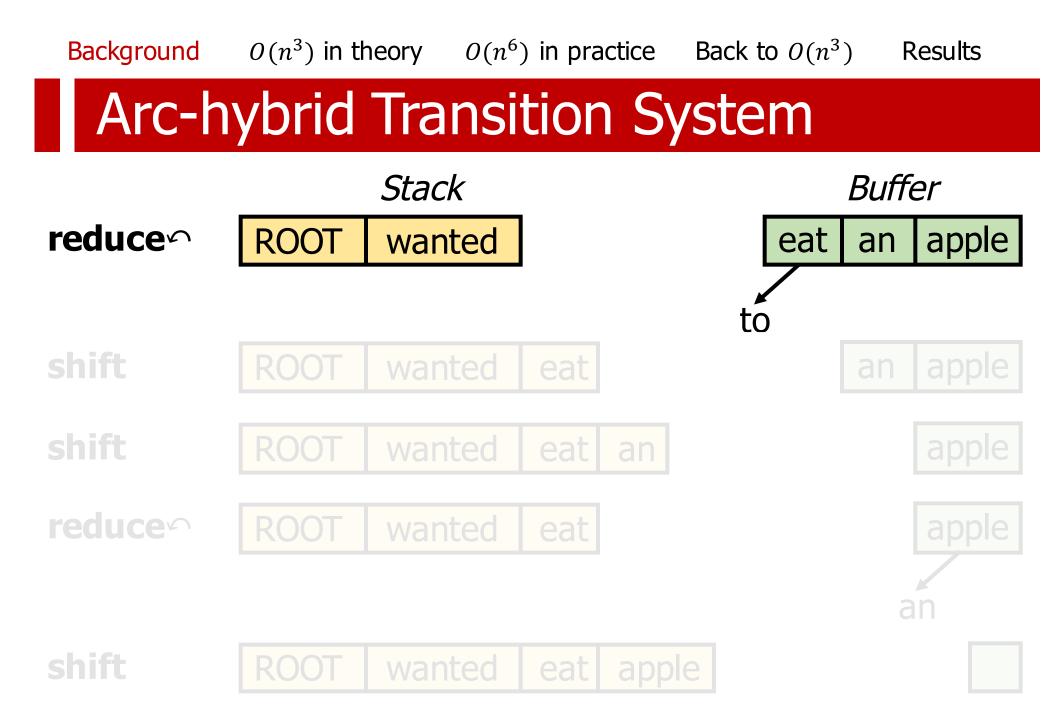


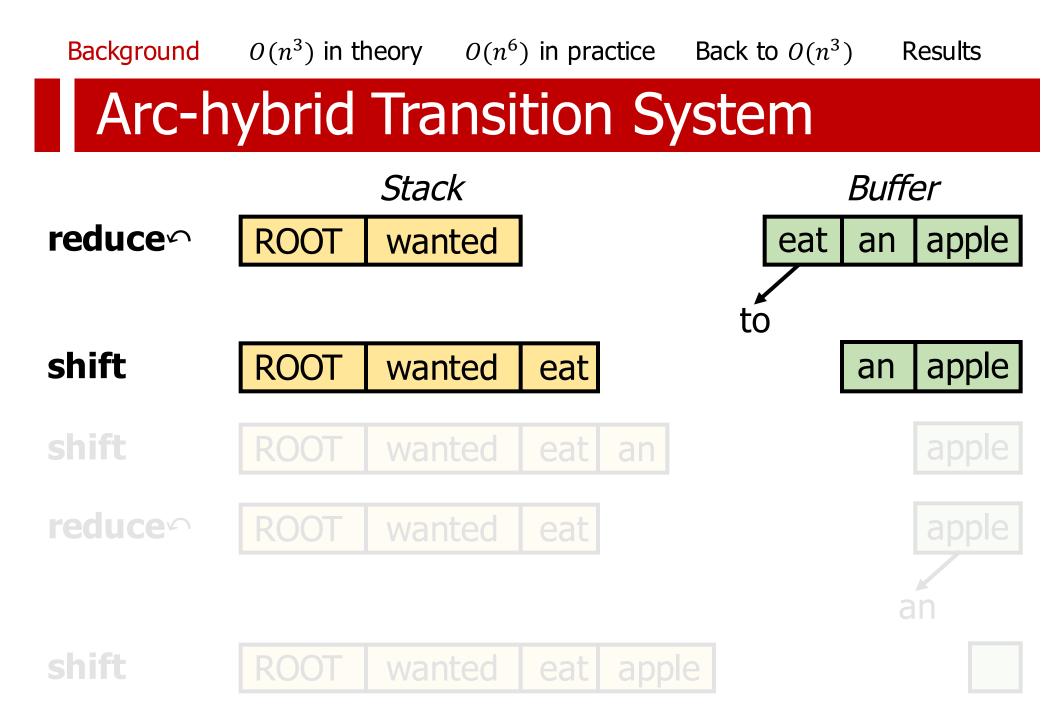
Background $O(n^3)$ in theory $O(n^6)$ in practice Back to $O(n^3)$ Results Arc-hybrid Transition System Stack Buffer ROOT She wanted to eat apple initial an ROOT She wanted eat apple shift to an She eat shift ROOT wanted to apple an reduce She shift shift to

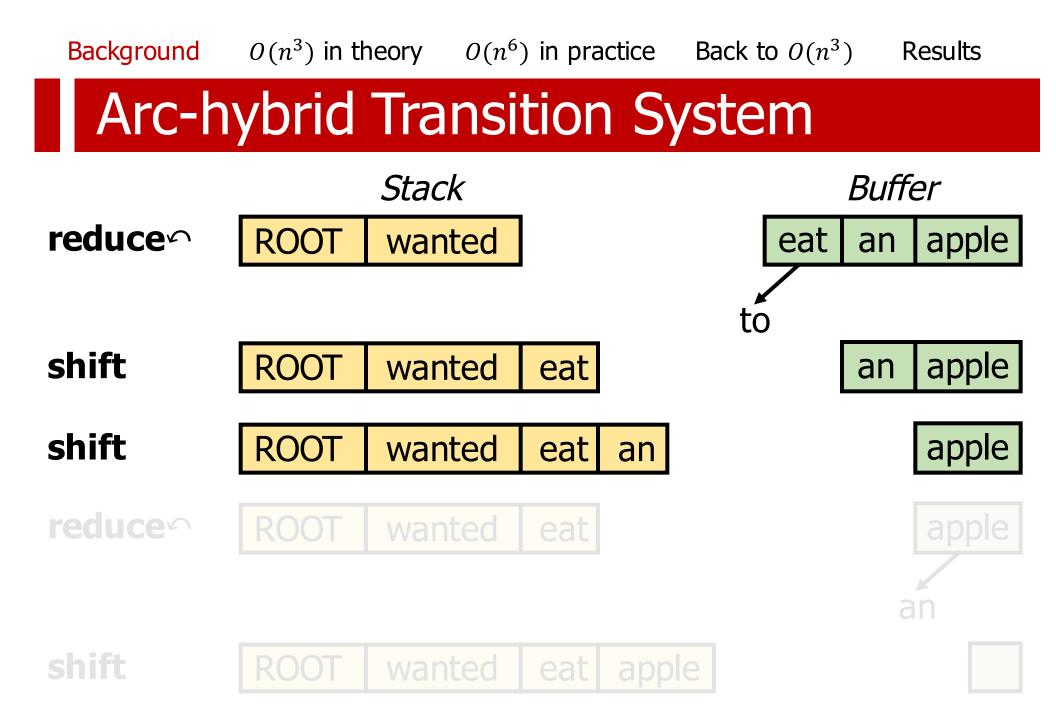
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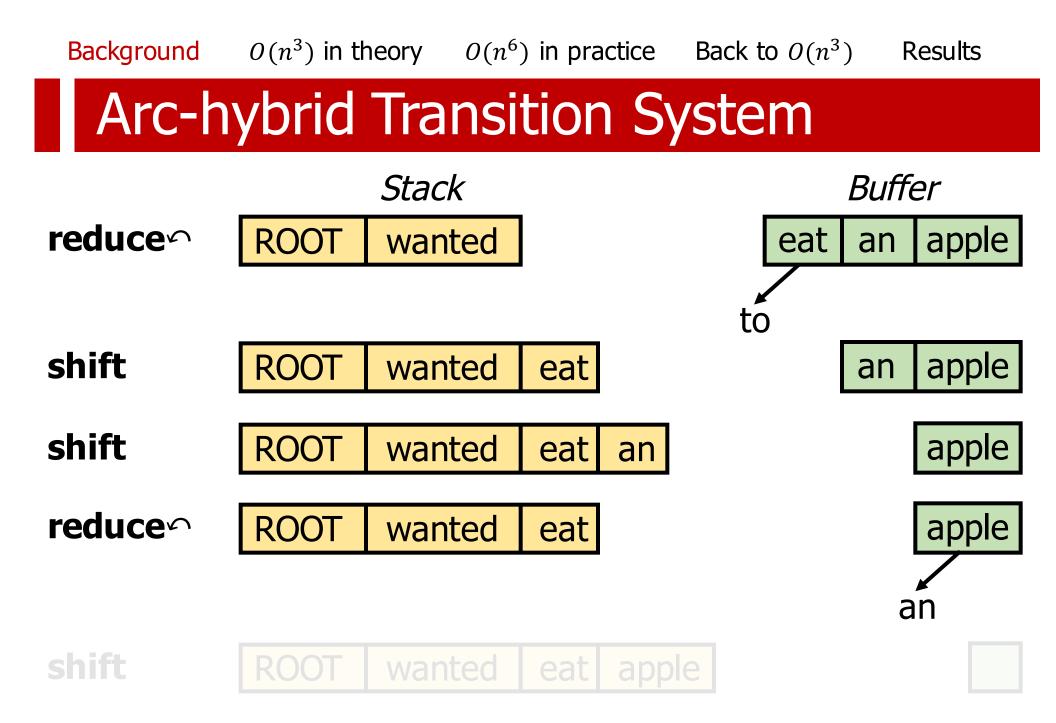
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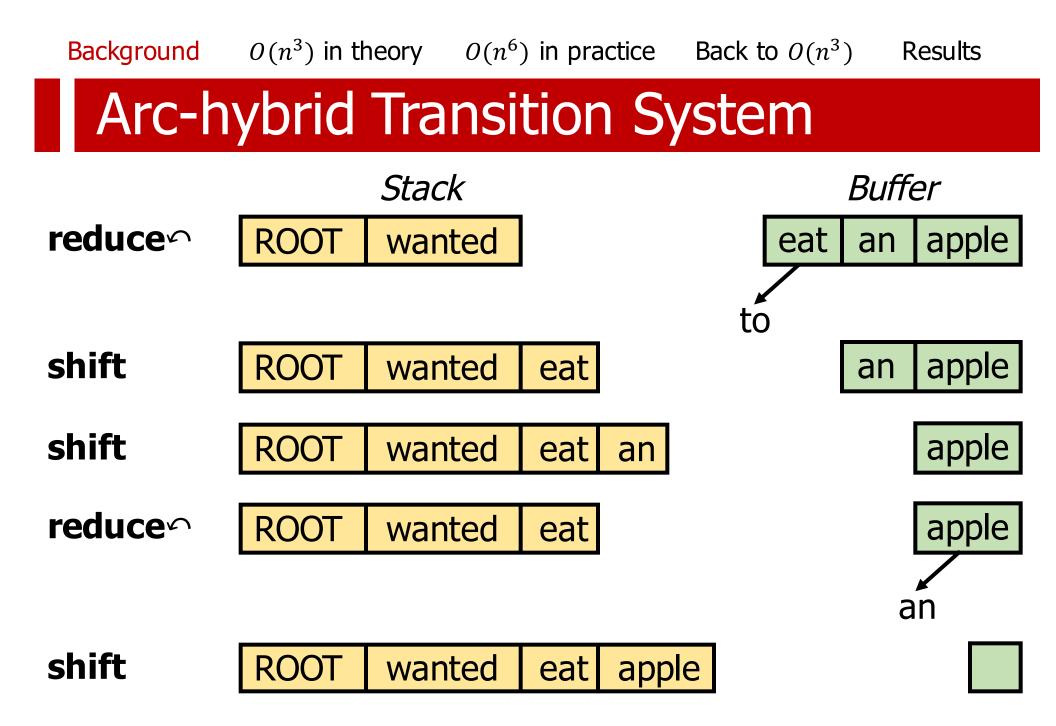
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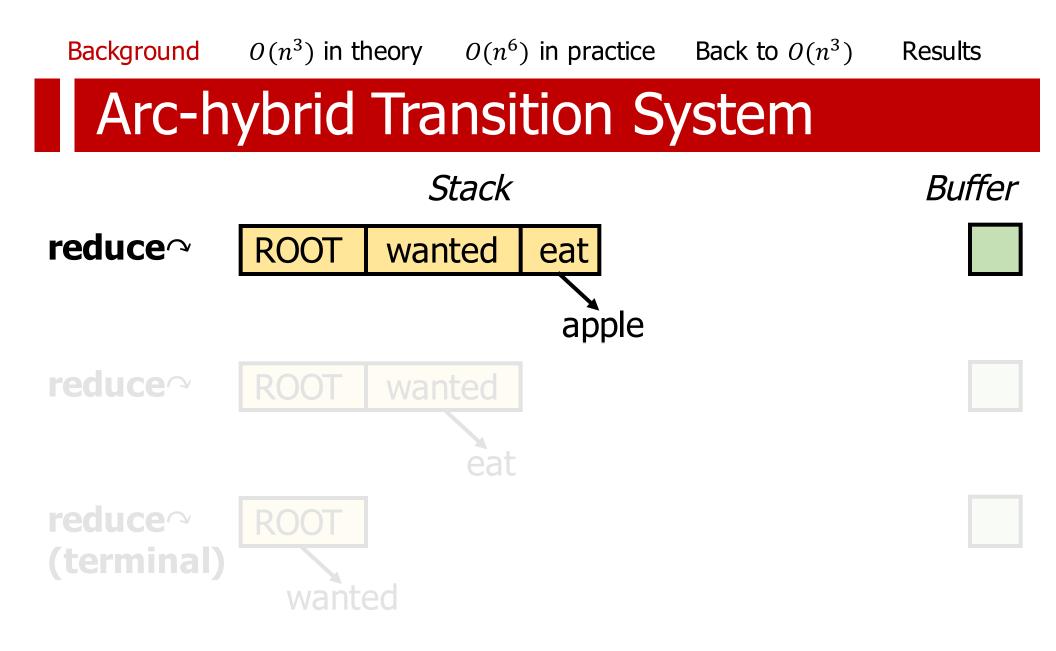


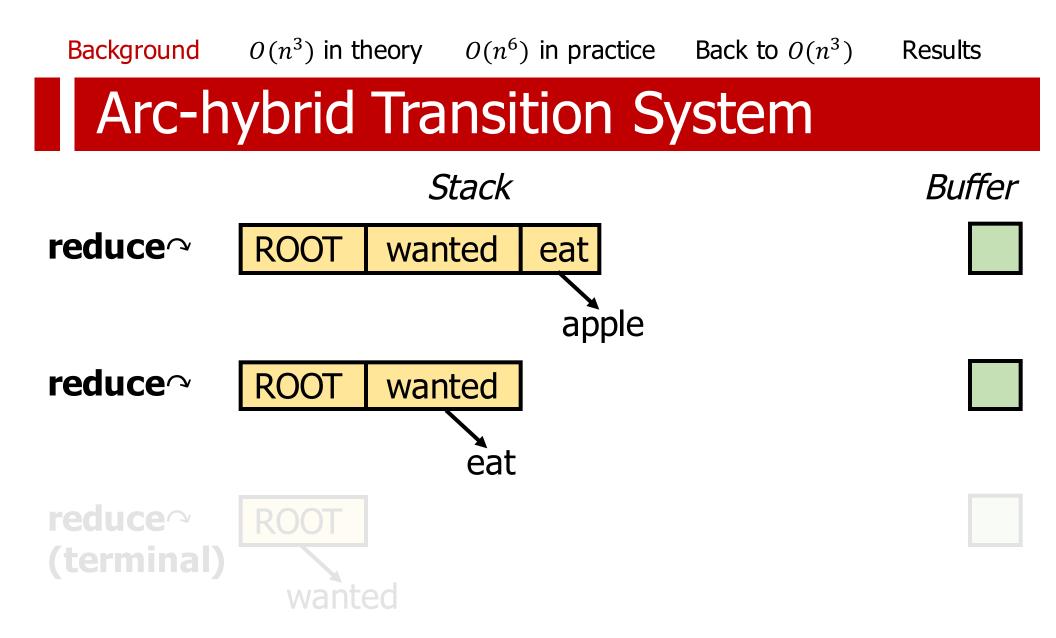


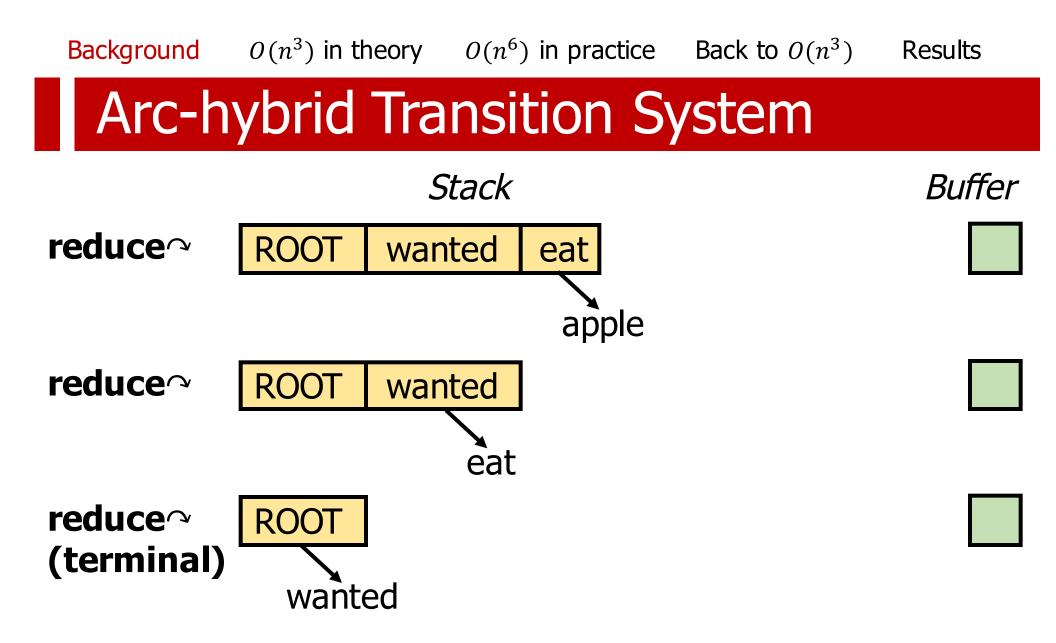


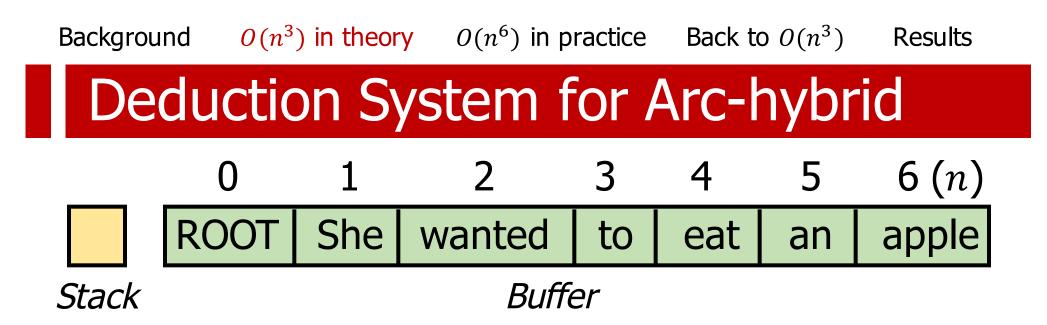






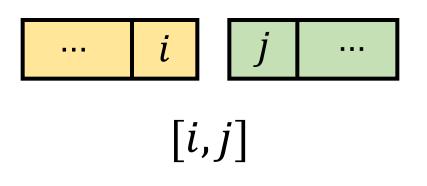


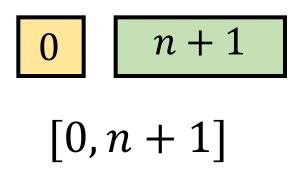


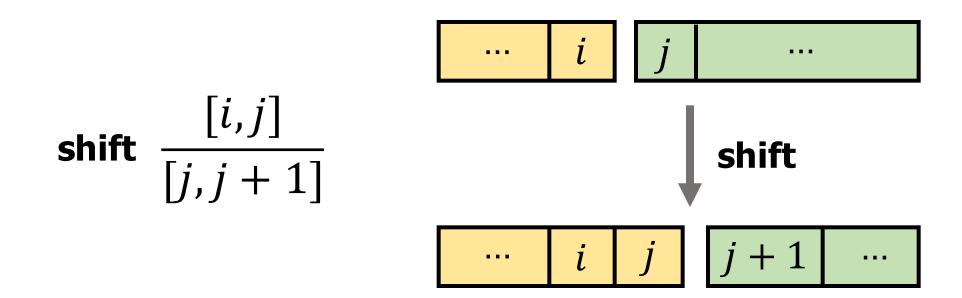


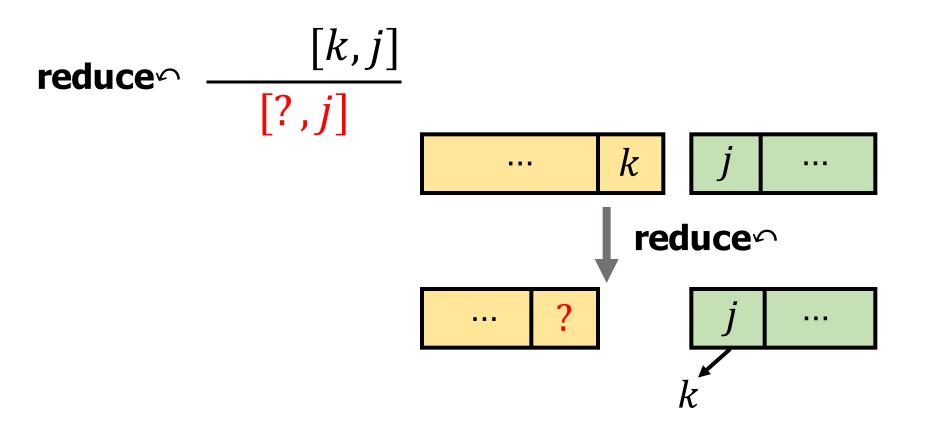
Deduction Item

Goal

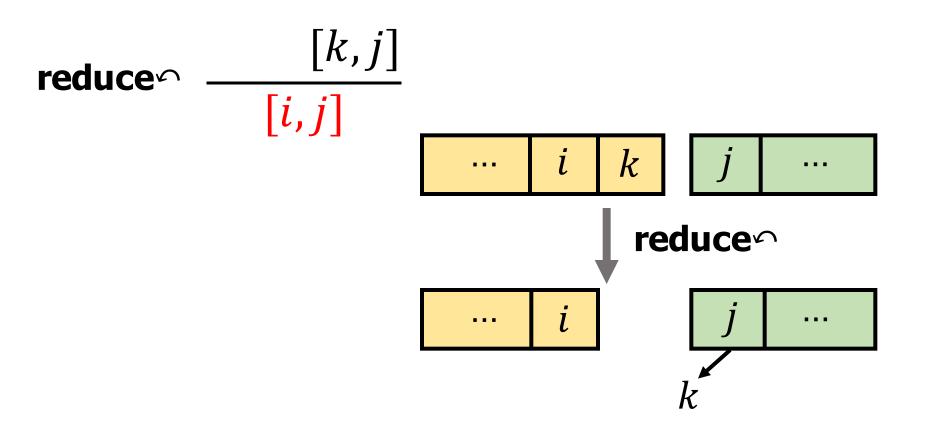


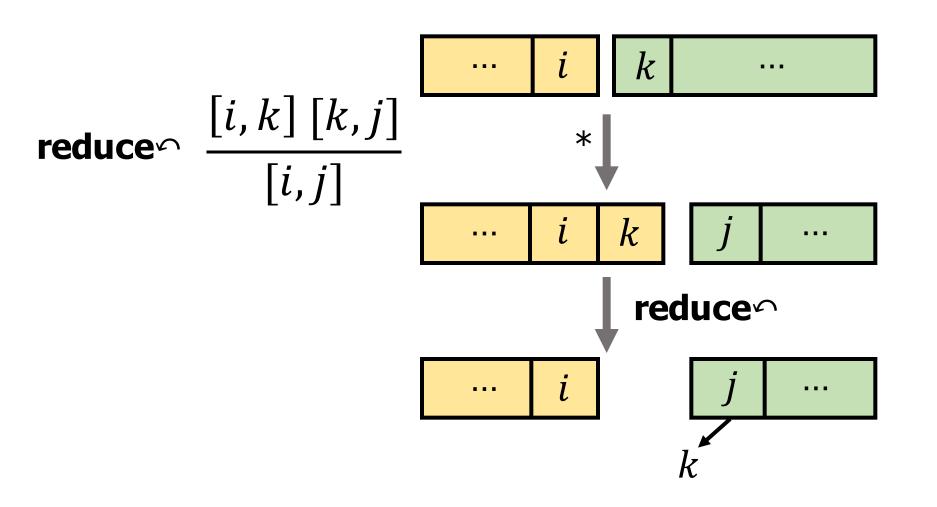


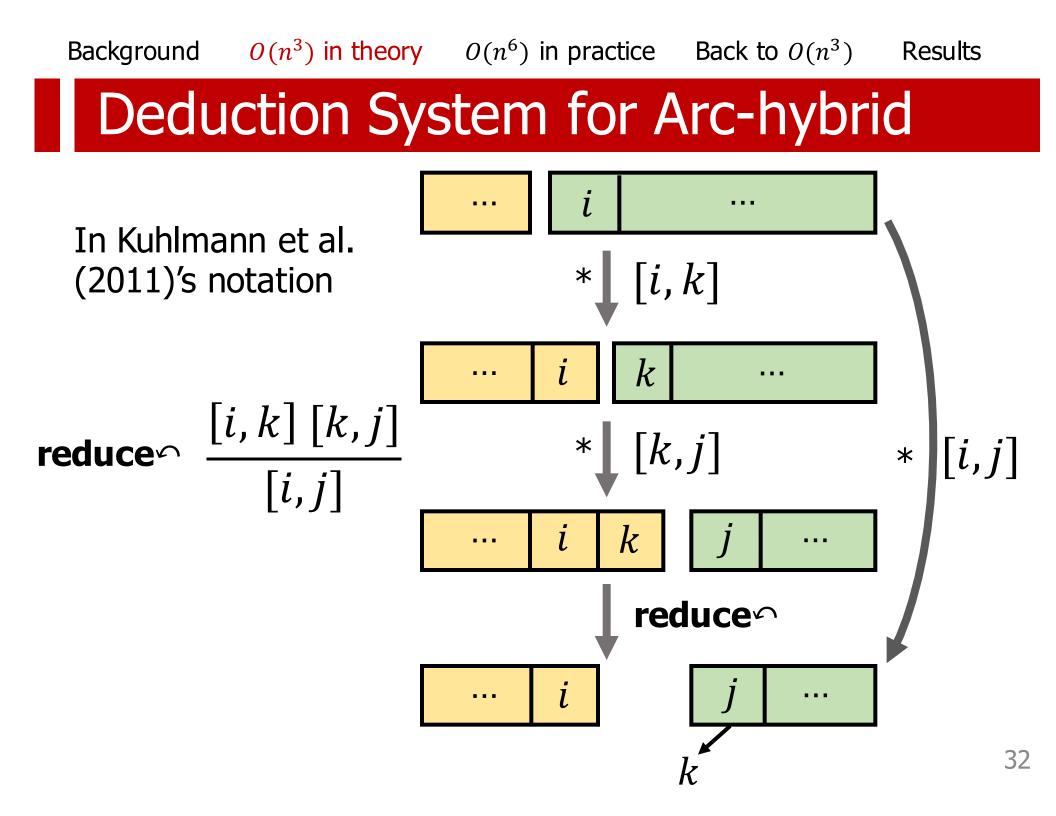


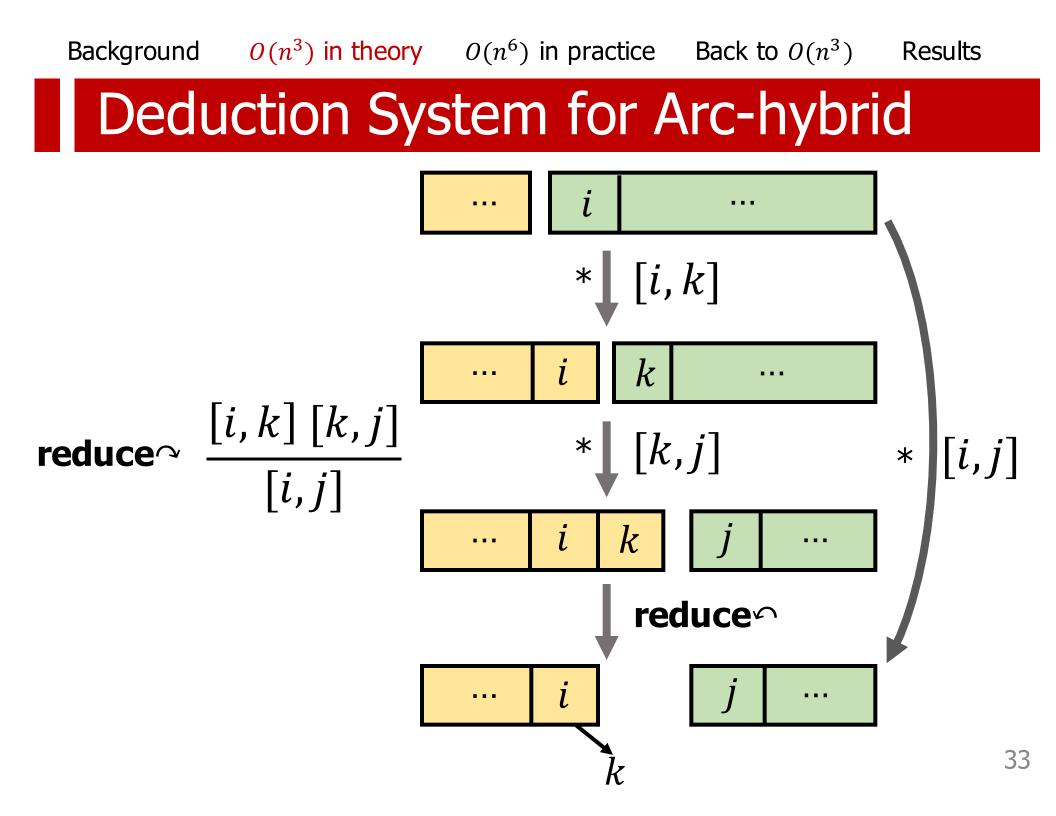


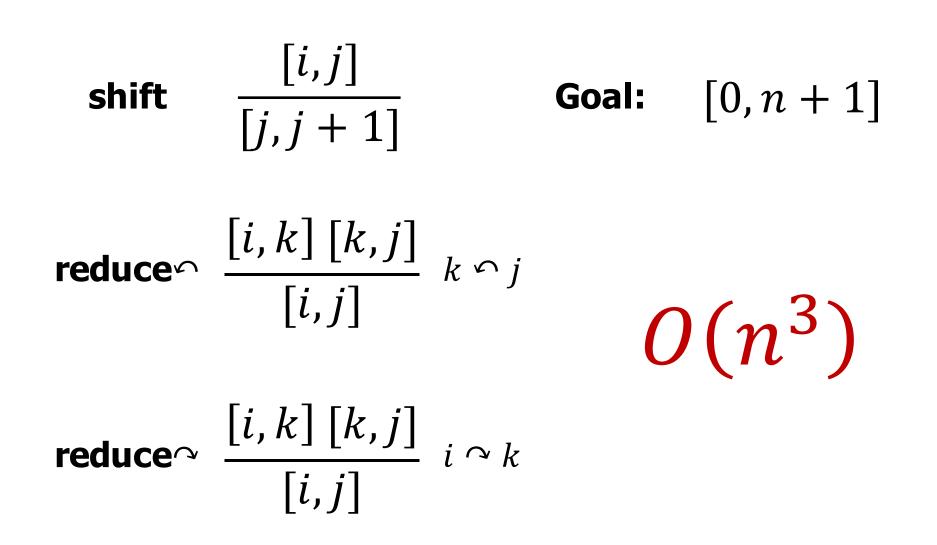
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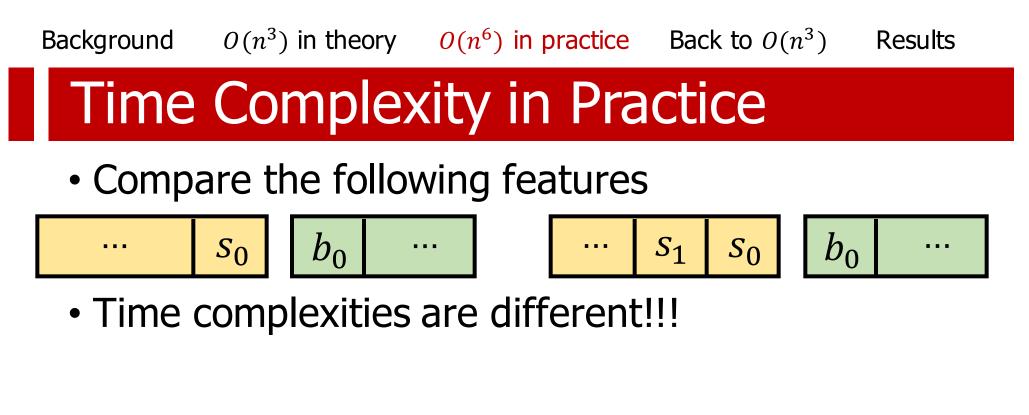


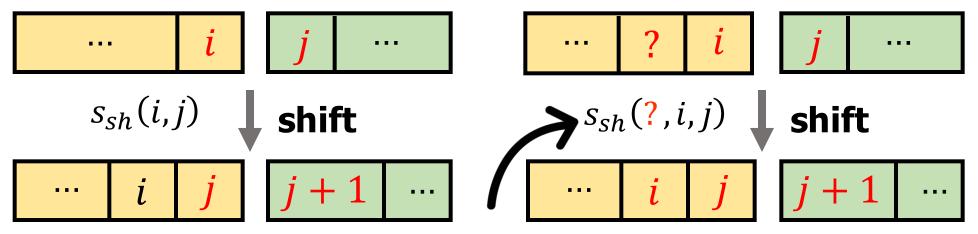


Background $O(n^3)$ in theory $O(n^6)$ in practice Back to $O(n^3)$ Results

Time Complexity in Practice

- Complexity depends on feature representation!
- Typical feature representation:
 - Feature templates look at specific <u>positions</u> in the stack and in the buffer

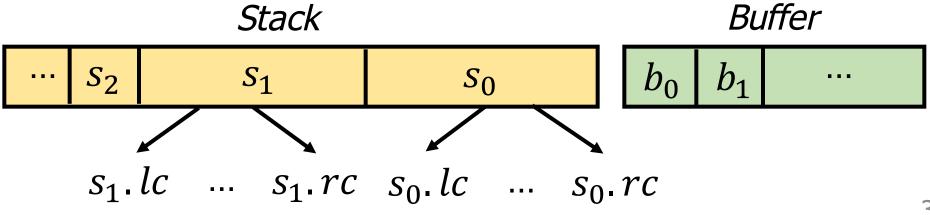




Information about s_1 is not available, needs extra bookkeeping

Time Complexity in Practice

- Complexity depends on feature representation!
- Typical feature representation:
 - Feature templates look at specific <u>positions</u> in the stack and in the buffer
- Best-known complexity in practice: $O(n^6)$ (Huang and Sagae, 2010)



Best-known Time Complexities (recap)

O(n³) Theoretical Gap: Feature representation

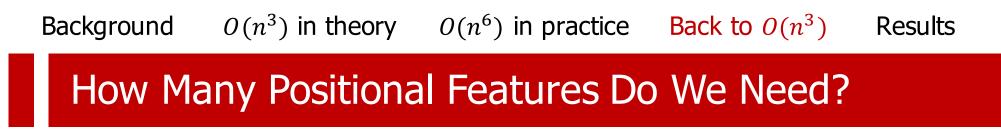
 $O(n^{6})$

Practical

In Practice, Instead of Exact Decoding ...

- Greedy search (Nivre, 2003, 2004, 2008; Chen and Manning, 2014)
- Beam search (Zhang and Clark, 2011; Weiss et al., 2015)
- Best-first search (Sagae and Lavie, 2006; Sagae and Tsujii, 2007; Zhao et al., 2013)
- Dynamic oracles (Goldberg and Nivre, 2012, 2013)
- "Global" normalization on the beam (Zhou et al., 2015; Andor et al., 2016)
- Reinforcement learning (Lê and Fokkens, 2017)
- Learning to search (Daumé III and Marcu, 2005; Chang et al., 2016; Wiseman and Rush, 2016)

• ...

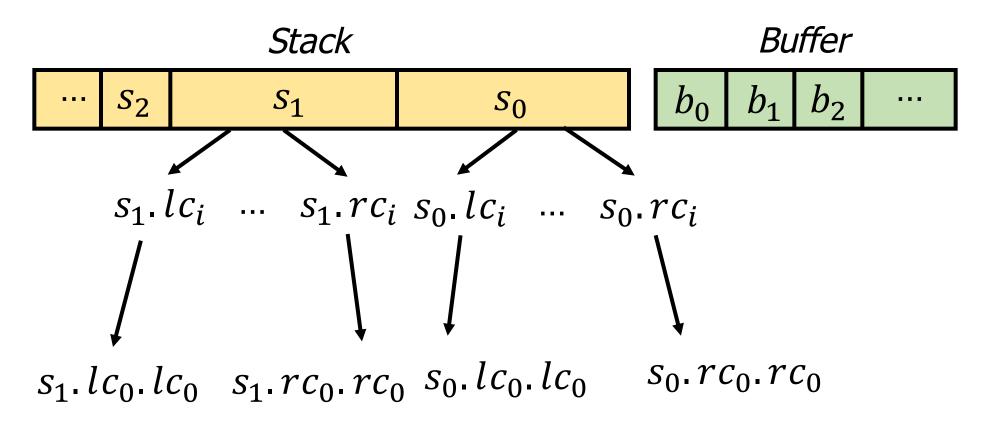


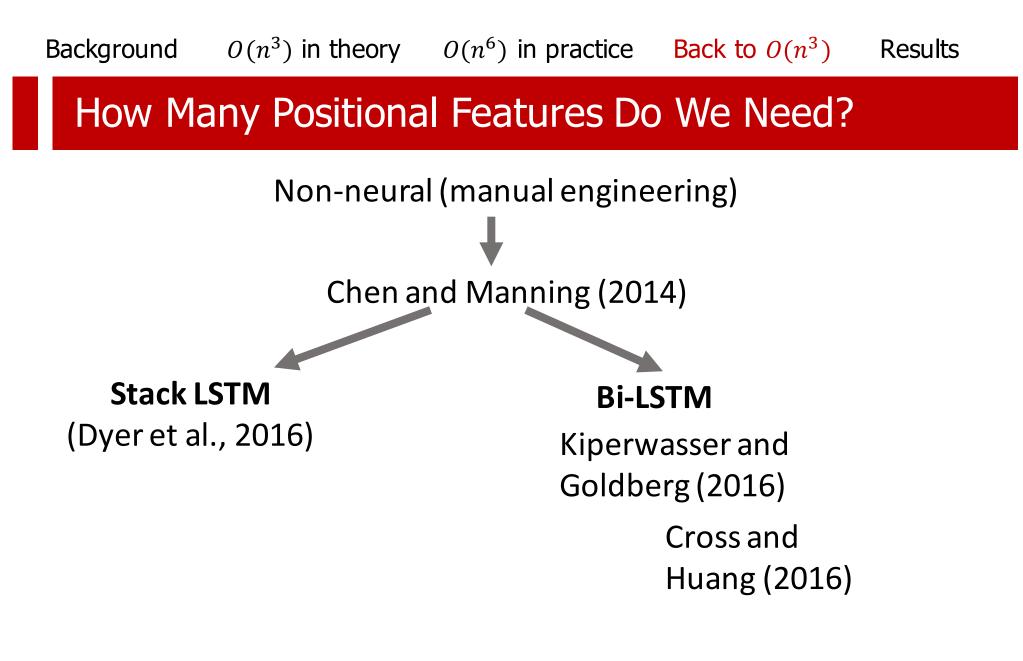
Non-neural (manual engineering)

Chen and Manning (2014)

How Many Positional Features Do We Need?

• Chen and Manning (2014)





More tree-structure information

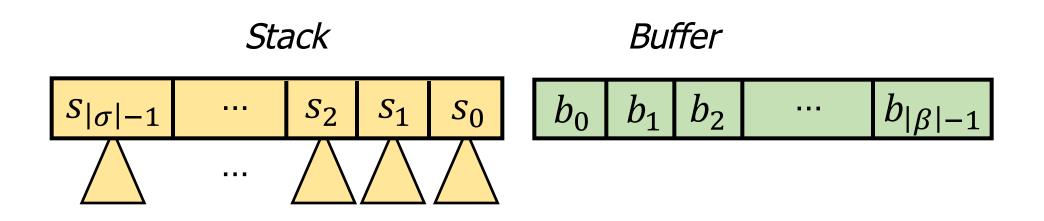
Exponential DP

Slow DP

Fast DP

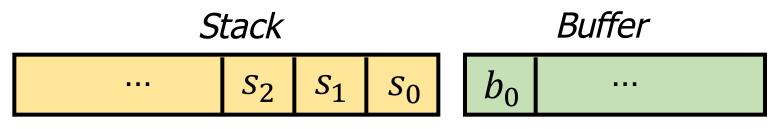
Background $O(n^3)$ in theory $O(n^6)$ in practice Back to $O(n^3)$ Results How Many Positional Features Do We Need?

• LSTMs can be used to encode the entire stack and buffer (Dyer et al., 2016)

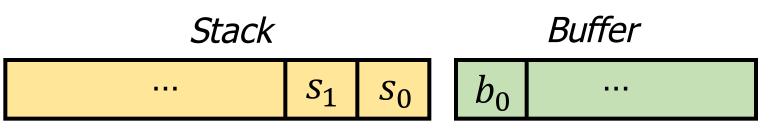


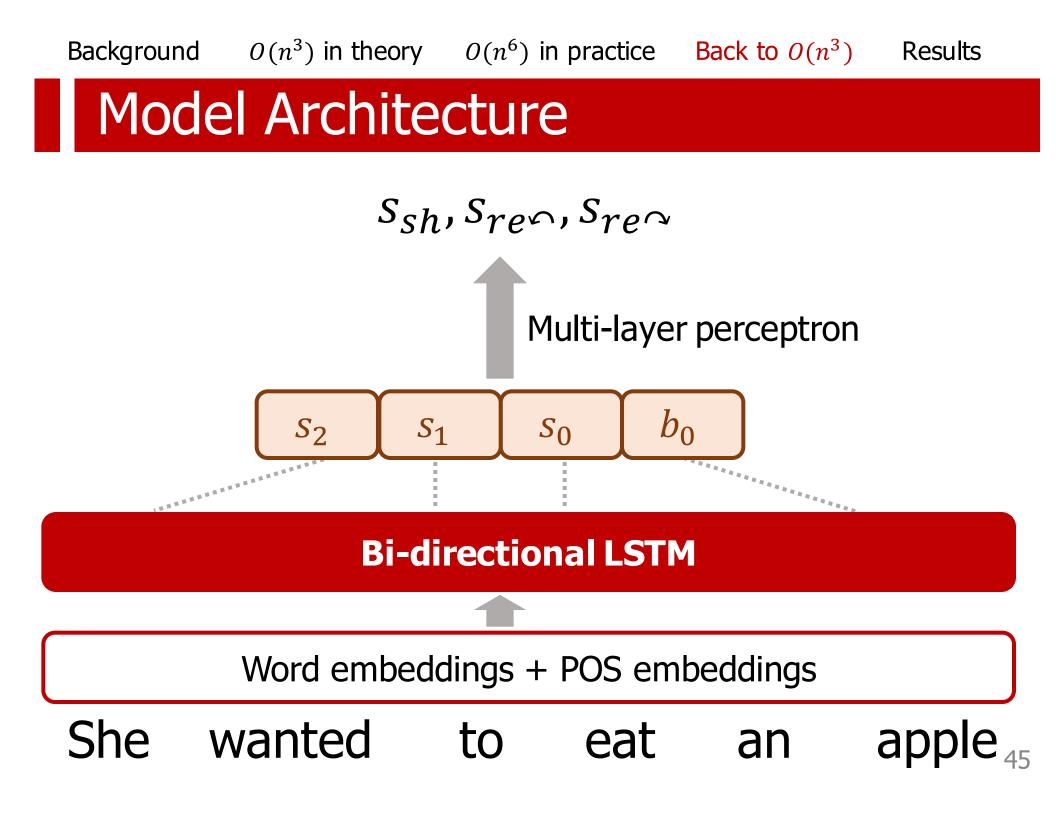
How Many Positional Features Do We Need?

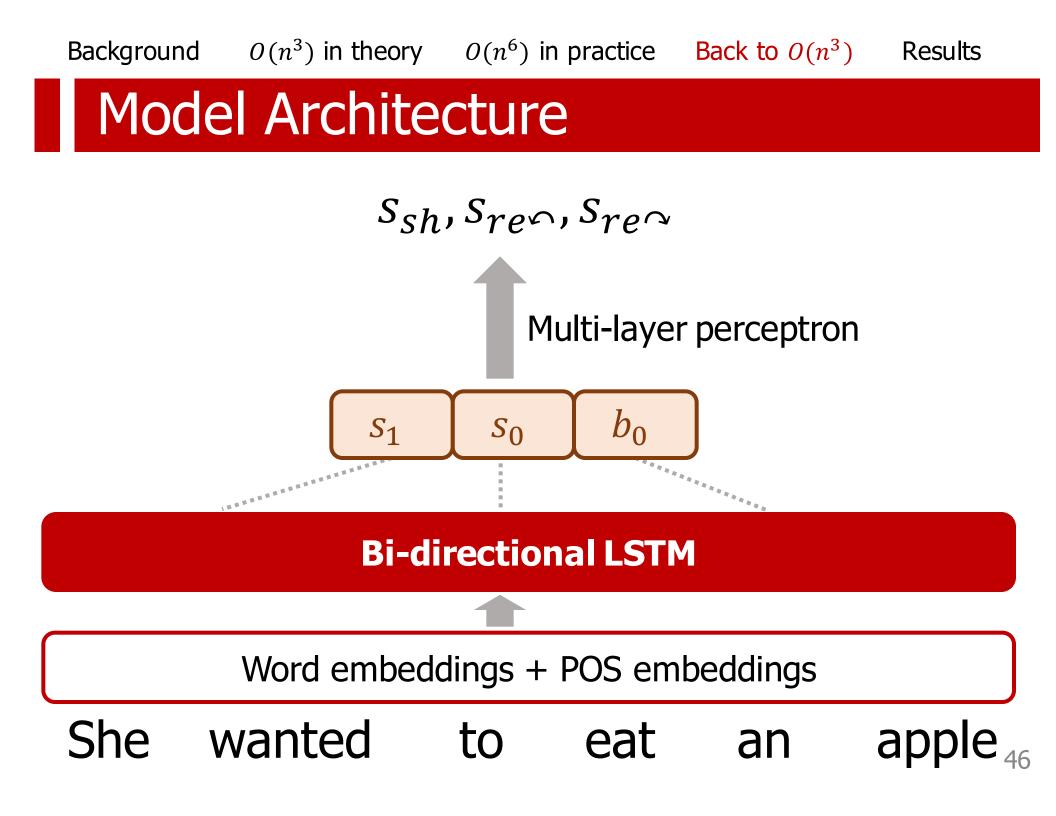
- Bi-LSTMs give compact feature representations (Kiperwasser and Goldberg, 2016; Cross and Huang, 2016)
- Features used in Kiperwasser and Goldberg (2016)

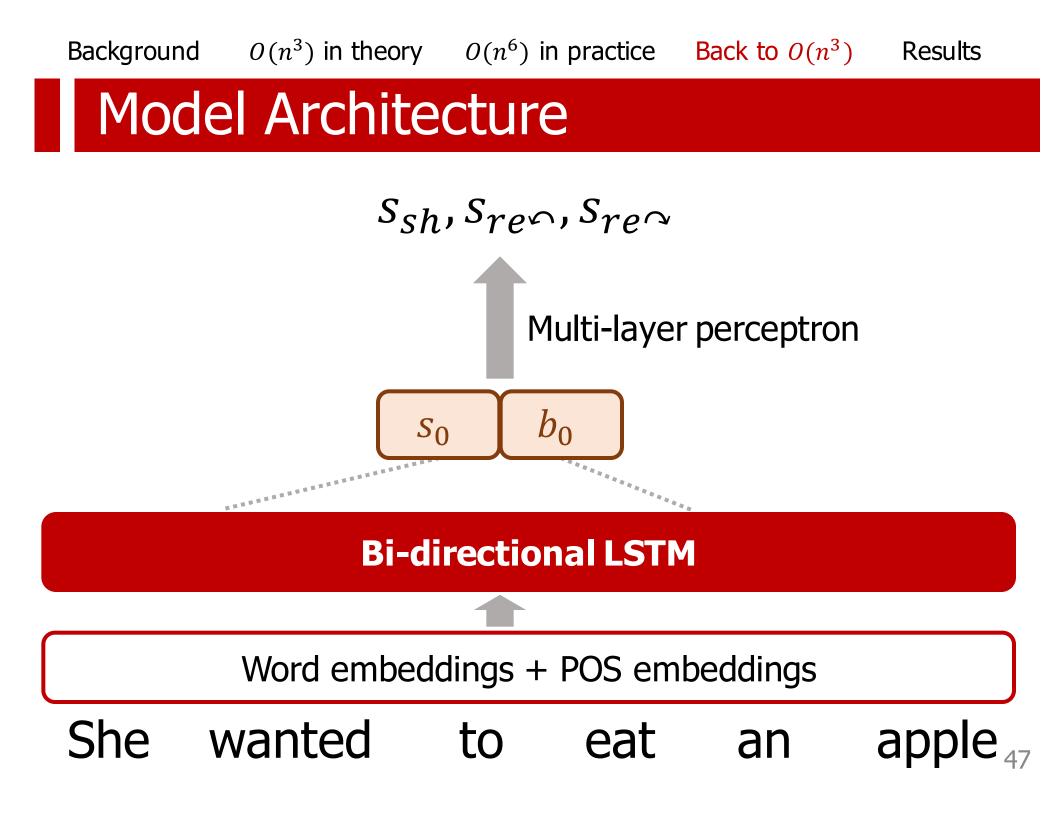


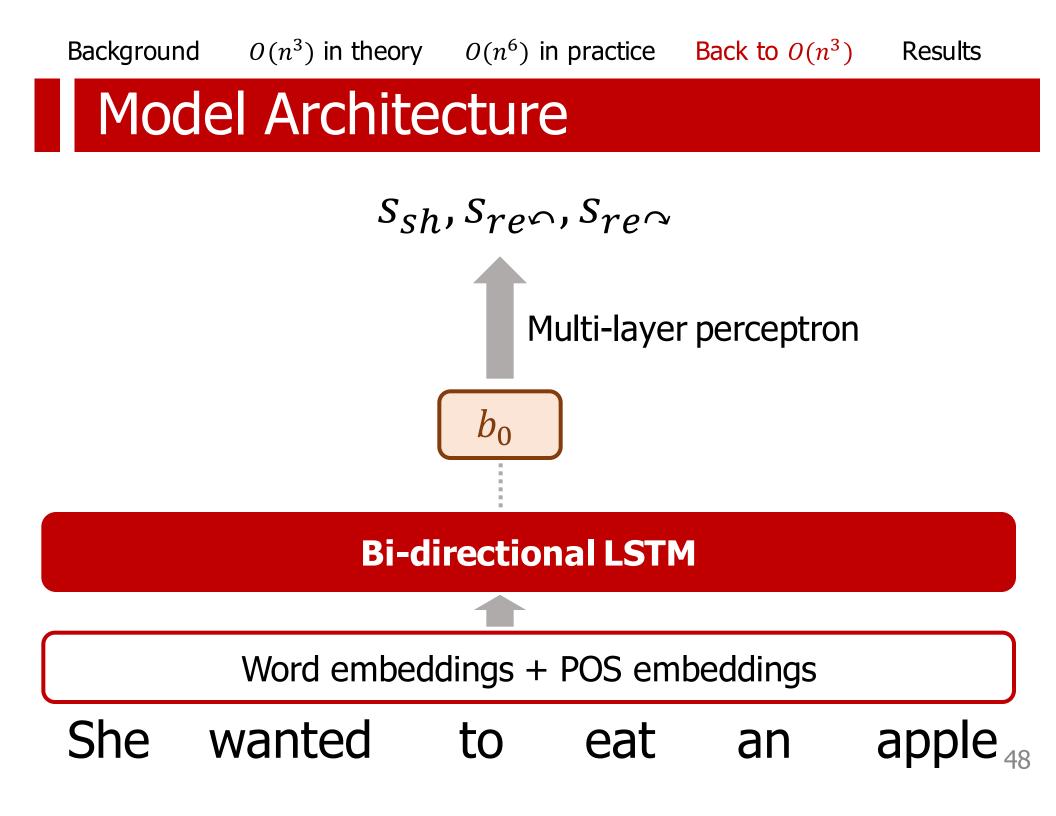
• Features used in Cross and Huang (2016)











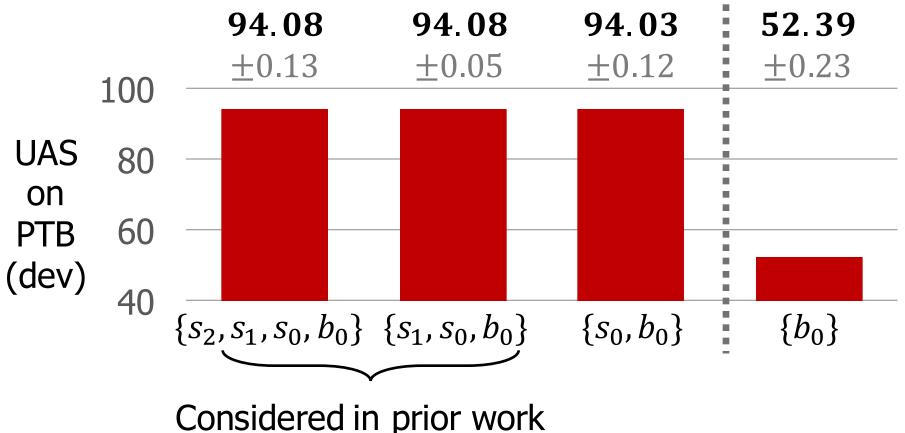
How Many Positional Features Do We Need?

 $O(n^3)$ in theory $O(n^6)$ in practice Back to $O(n^3)$

• We answer the question empirically ... experimented with greedy decoding

Background

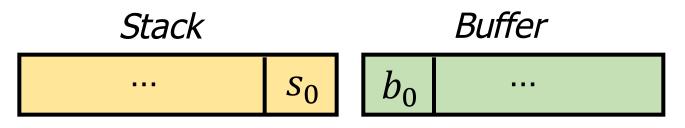
• Two positional feature vectors are enough!



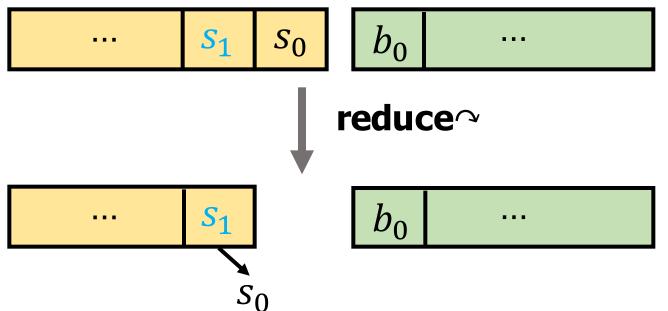
Results

Background $O(n^3)$ in theory $O(n^6)$ in practice Back to $O(n^3)$ Results How Many Positional Features Do We Need?

• Our minimal feature set works

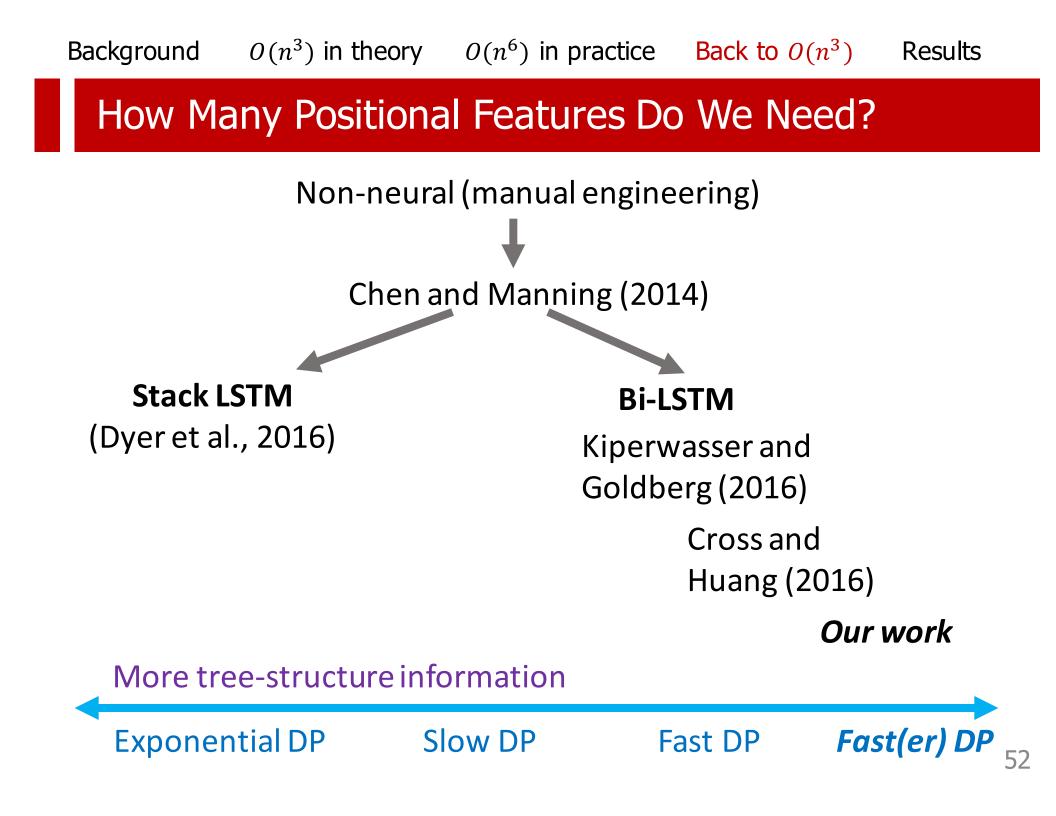


Counter-intuitive, but works for greedy decoding



Background $O(n^3)$ in theory $O(n^6)$ in practice Back to $O(n^3)$ Results **Implication of Minimal Feature Set**

- The bare deduction items already contain enough information to extract features
- We don't need extra book keeping
- Leads to the first $O(n^3)$ implementation of global decoders!



Background $O(n^3)$ in theory $O(n^6)$ in practice Back to $O(n^3)$ Results Best-known Time Complexities (recap)

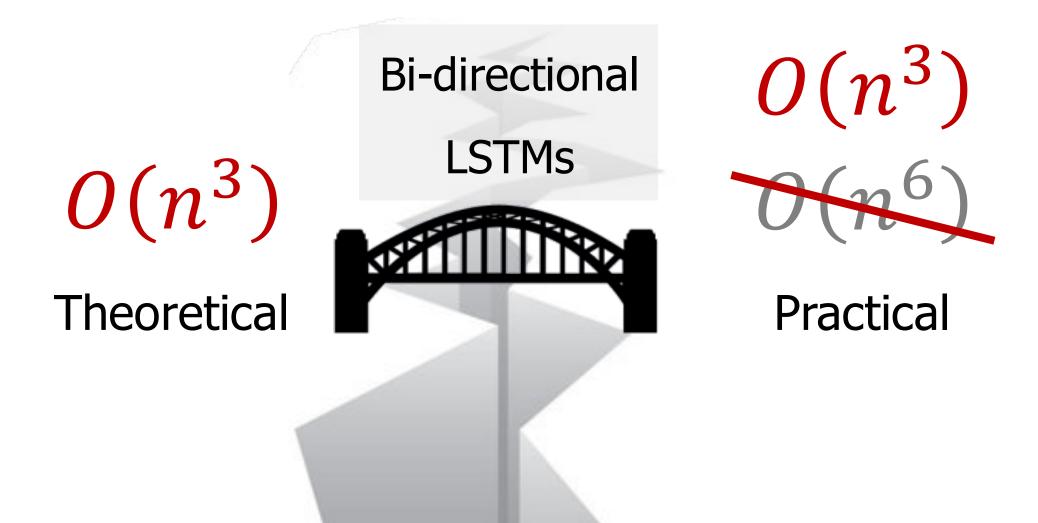
O(n³) Theoretical

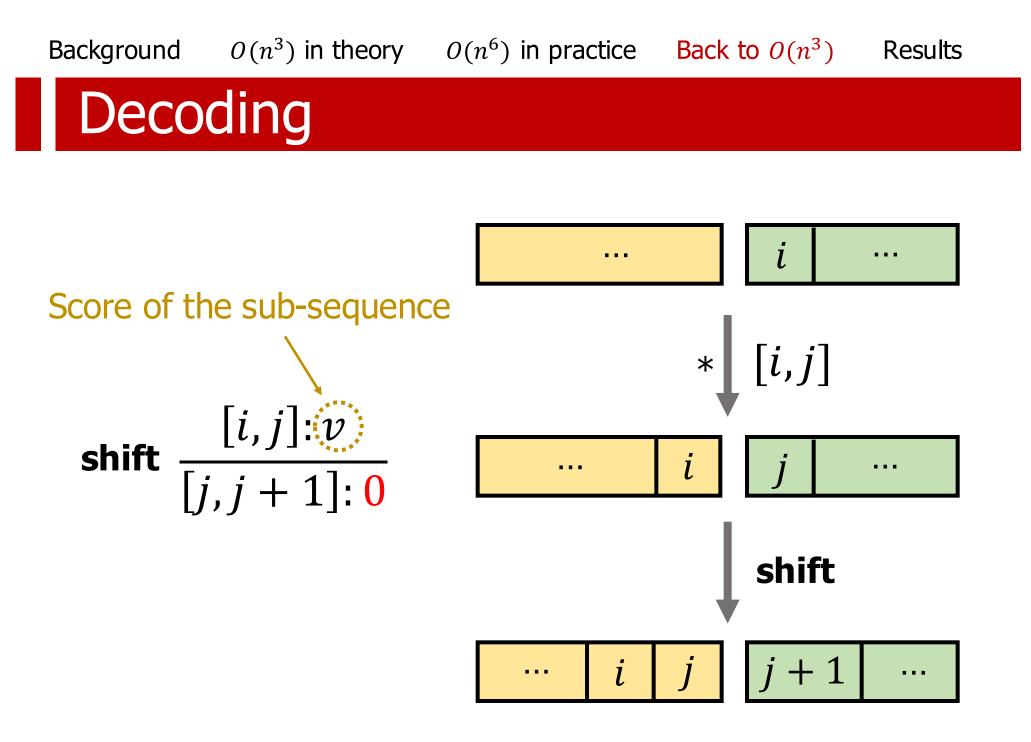
Gap: Feature representation

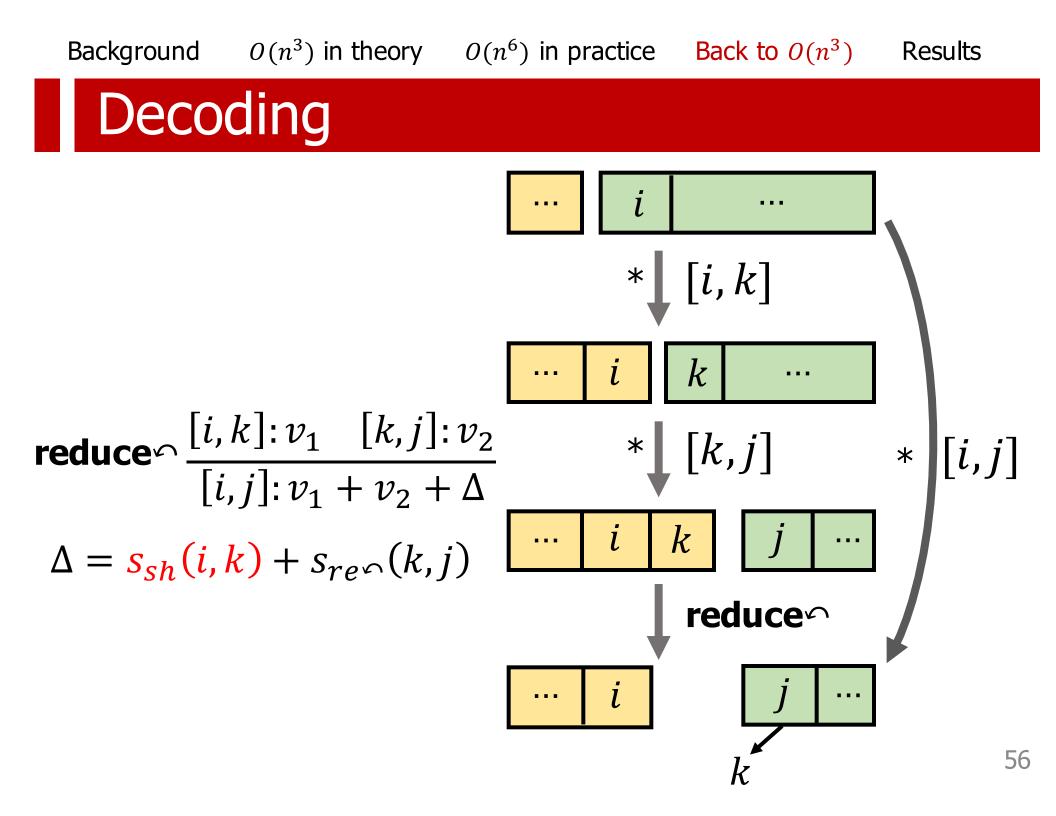
 $O(n^{6})$

Practical

Our contribution



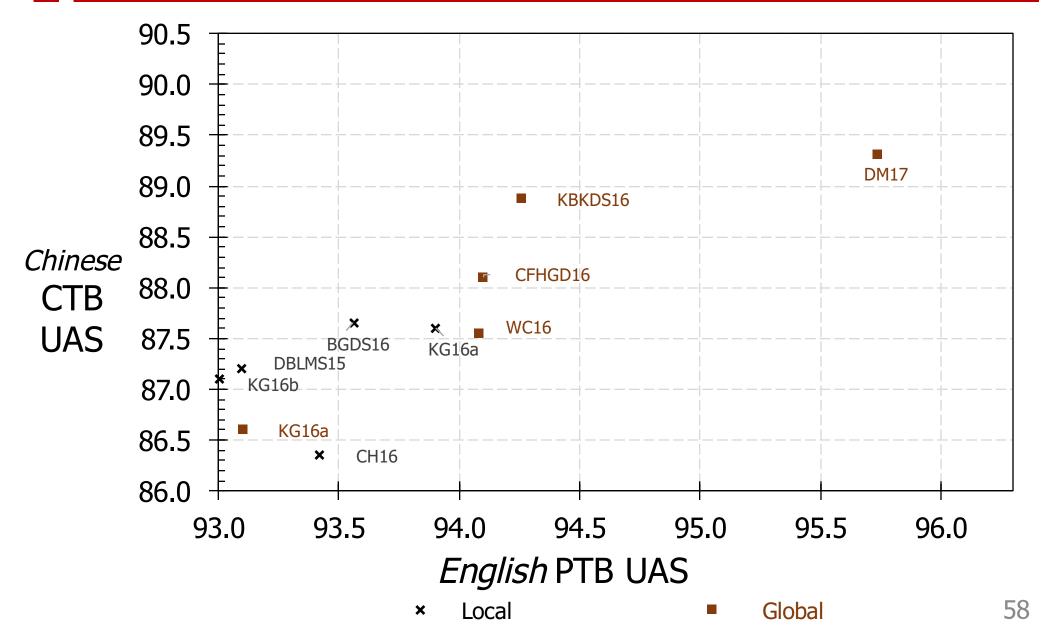




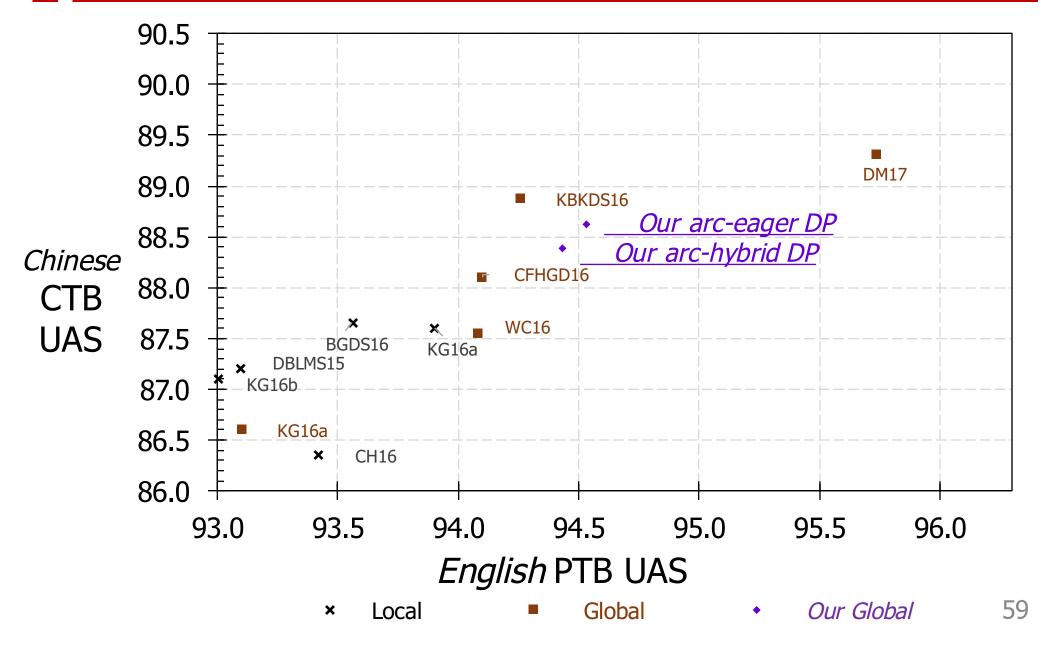
• Cost-augmented decoding (Taskar et al., 2005)

$$reduce \land \quad \begin{bmatrix} i,k \end{bmatrix}: v_1 \qquad \begin{bmatrix} k,j \end{bmatrix}: v_2$$
$$\boxed{[i,j]: v_1 + v_2 + s_{sh}(i,k) + s_{re} \land (k,j) + \mathbf{1}(head(k) \neq j)}$$

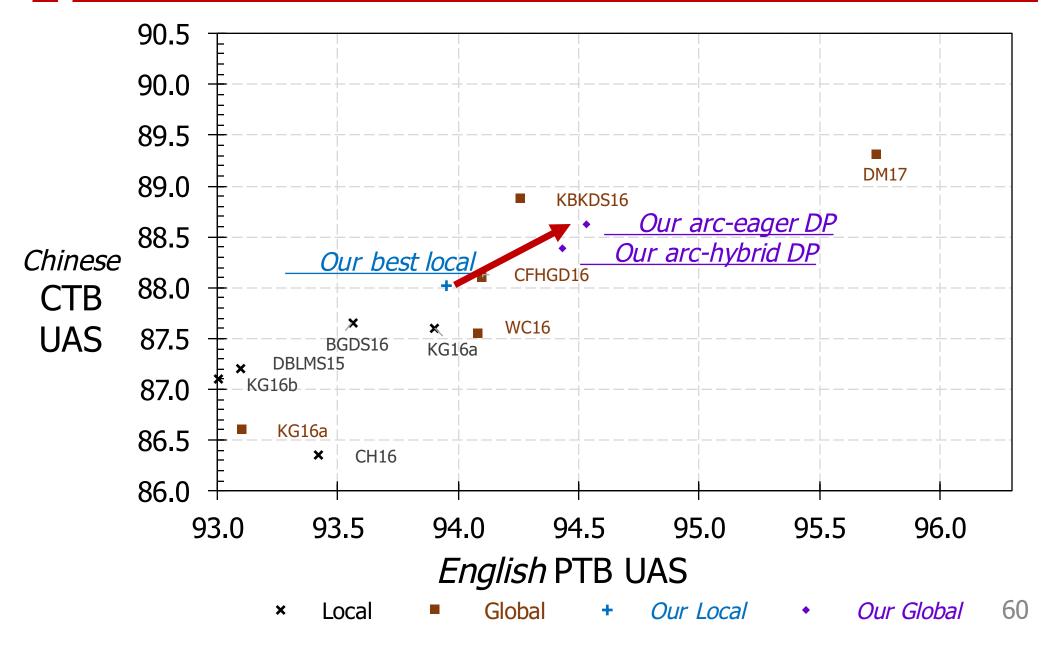
Comparing with State-of-the-art



Comparing with State-of-the-art



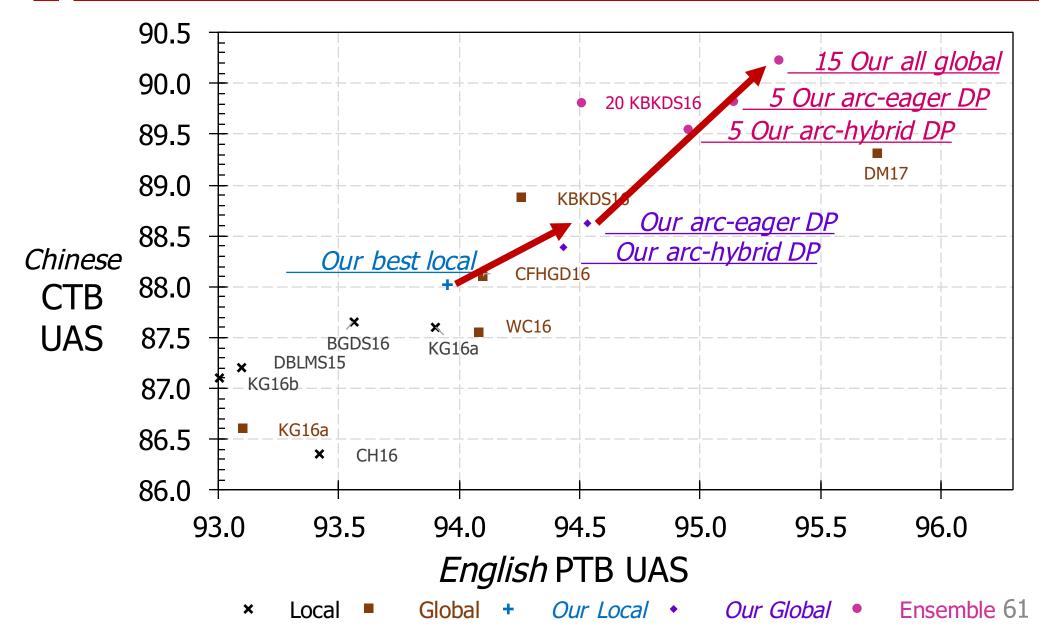
Comparing with State-of-the-art



$O(n^3)$ in theory $O(n^6)$ in practice Back to $O(n^3)$ Comparing with State-of-the-art

Results

Background



Background $O(n^3)$ in theory $O(n^6)$ in practice Back to $O(n^3)$ Results Results – CONLL'17 Shared Task

- Macro-average of 81 treebanks in 49 languages
- 2nd—highest overall performance



(Shi, Wu, Chen and Cheng, 2017; Zeman et al., 2017) 62

Conclusion

- Bi-LSTM feature set is minimal yet highly effective
- First $O(n^3)$ implementation of exact decoders
- Global training and decoding gave high performance

More in Our Paper

- Description and analysis of three transition systems (arc-standard, arc-hybrid, arc-eager)
- CKY-style representations of the deduction systems
- Theoretical analysis of the global methods
 - Arc-eager models can "simulate" arc-hybrid models
 - Arc-eager models can "simulate" edge-factored models

Fast(er) Exact Decoding and Global Training for Transition-Based Dependency Parsing via a Minimal Feature Set

https://github.com/tzshi/dp-parser-emnlp17

Tianze Shi*

Liang Huang[†] Lillian Lee^{*}



* Cornell University



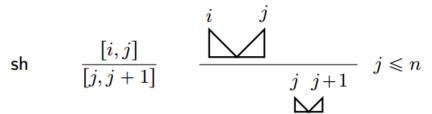
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CKY-style Visualization

Axiom [0,1]

 $\stackrel{0}{\bowtie}$

Inference Rules



$$\operatorname{re}_{\neg} \quad \frac{[k,i] \quad [i,j]}{[k,j]} \quad \frac{k \quad i \quad i \quad j}{k} \quad \frac{j}{k} \quad k^{\neg}i}{k} \quad \frac{j}{k} \quad \frac$$

Goal [0, n+1] 0 n+1