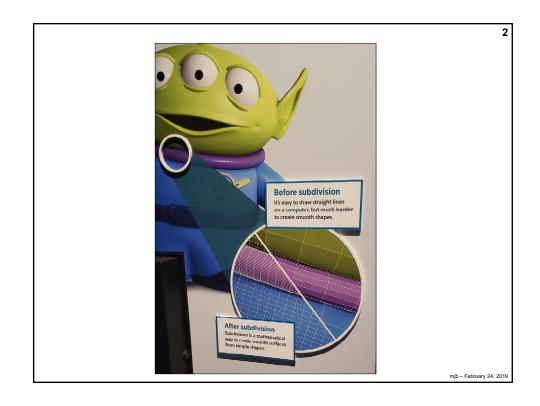
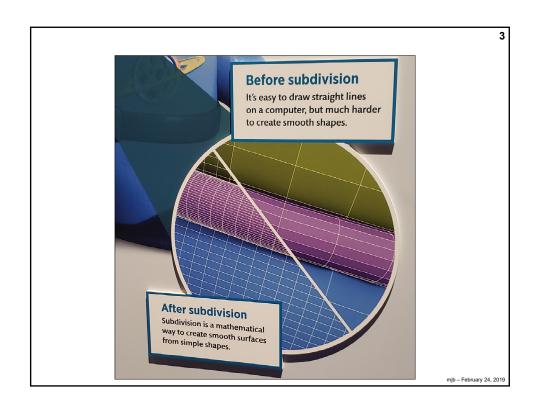
# **The Science of Pixar**At the Oregon Museum of Science and Industry (OMSI)

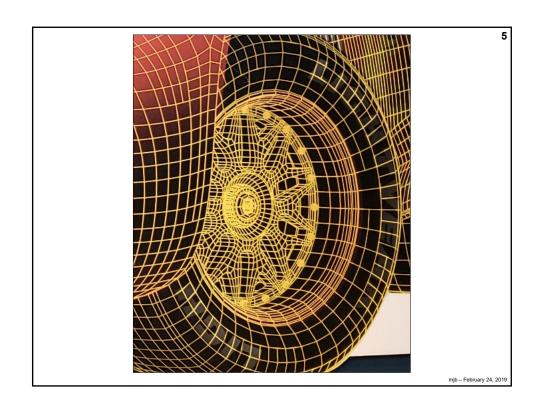


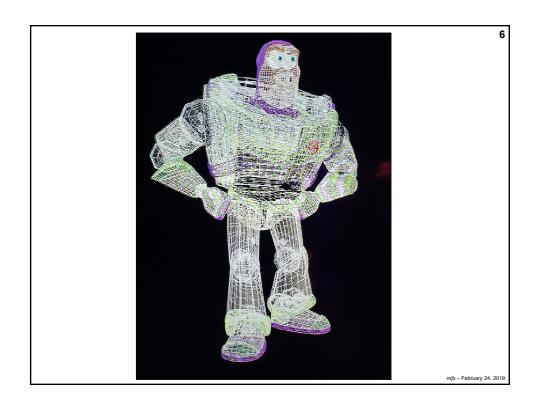
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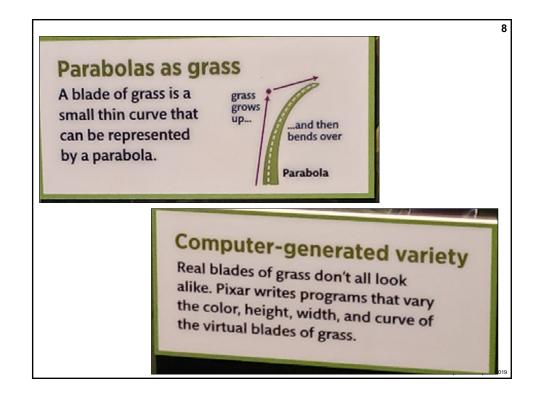




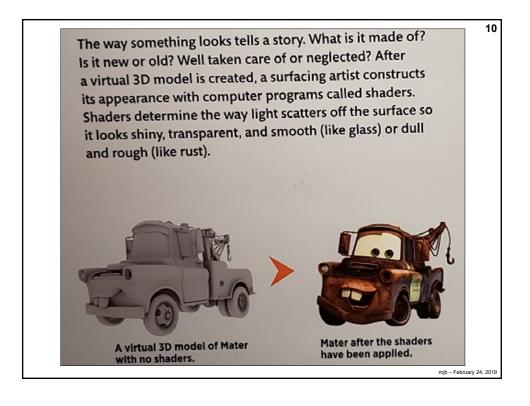








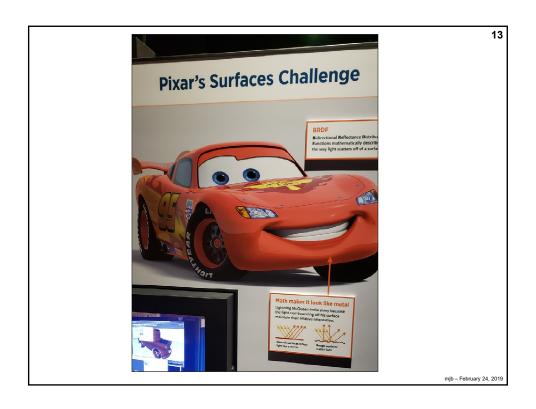


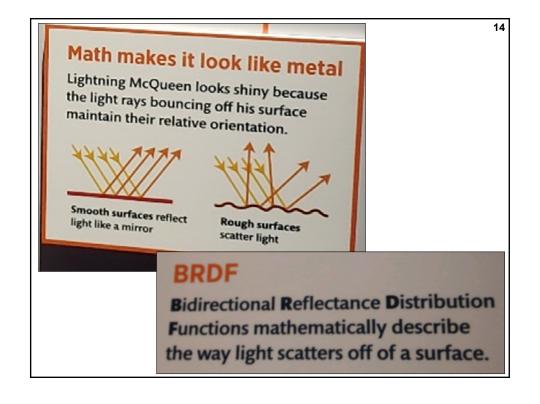


5

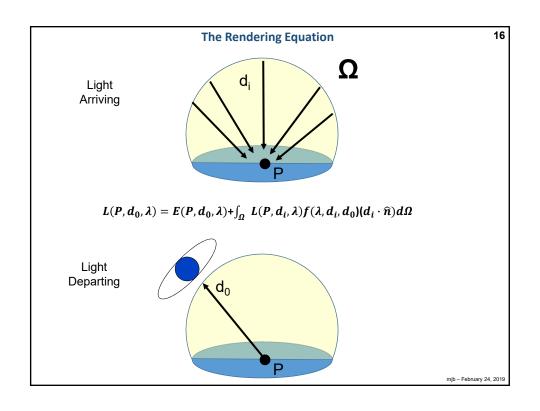






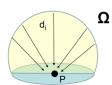


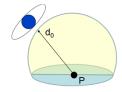
$$L(x, \omega_o) = \int_{\Omega} f(x, \omega_i, \omega_o) L(x, \omega_i) \cos(\theta) d\omega$$
It's a mathematical description of how light bounces around in the environment.



#### **The Rendering Equation**

17





$$B(x,d_0,\lambda) = E(P,d_0,\lambda) + \int_{\Omega} B(x,d_i,\lambda) f(x,\lambda,d_i,d_0) (d_i \cdot \widehat{n}) d\Omega$$

In plain language, this is a simultaneous-equation energy balance:

"The light shining from the point P is the reflection of the incoming light directed to the point P from all of the other points in the scene."

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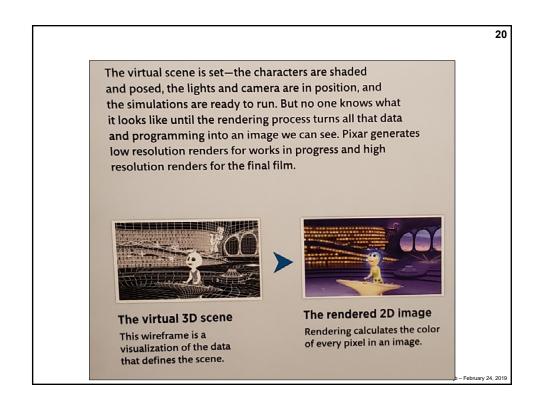
18

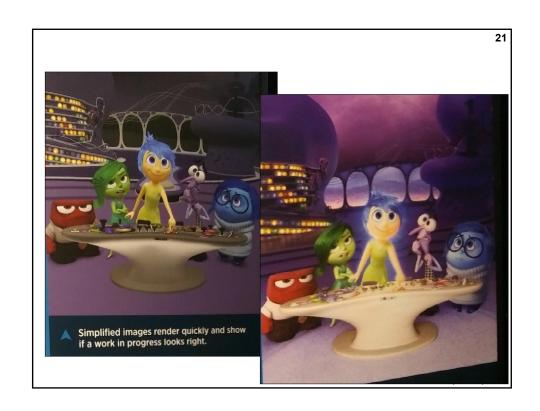
$$L(x,\omega_o) = \int_{\Omega} f(x,\omega_i,\omega_o) L(x,\omega_i) \cos(\theta) d\omega$$

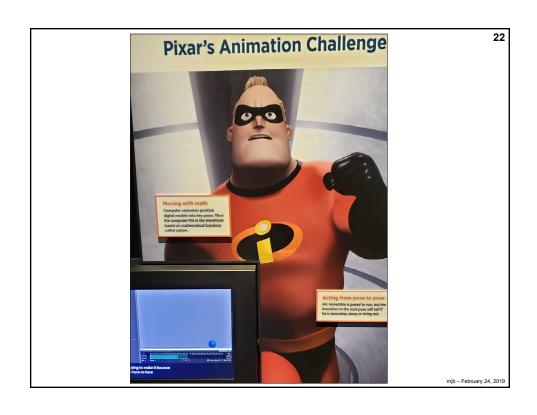
$$L(x,d_0,\lambda) = E(P,d_0,\lambda) + \int_{\Omega} L(x,d_i,\lambda) f(x,\lambda,d_i,d_0) (d_i \cdot \widehat{n}) d\Omega$$

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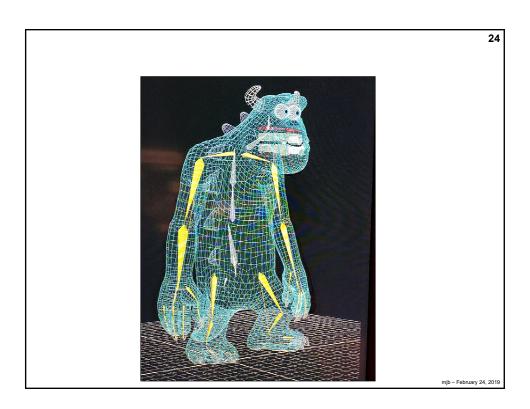
#### Moving with math

Computer animators position digital models into key poses. Then the computer fills in the transitions based on mathematical functions called splines.

### Acting from pose to pose

Mr. Incredible is posed to run, but the transition to the next pose will tell if he is bounding along or tiring out.

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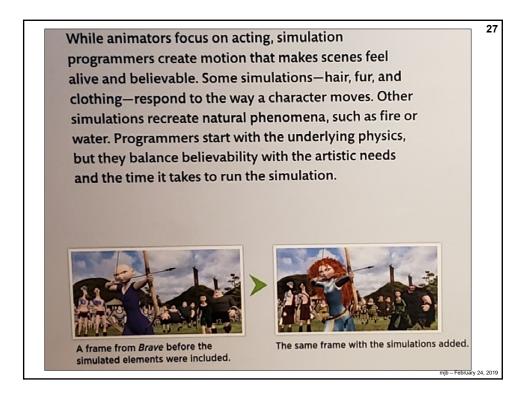


12

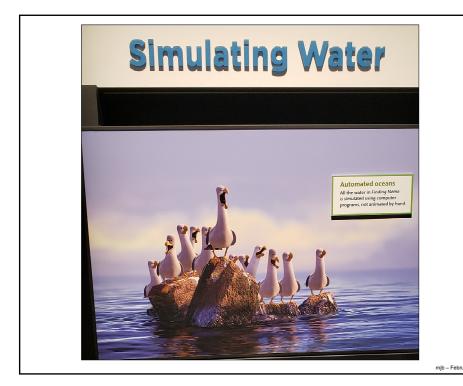
23











## **Automated oceans**

All the water in Finding Nemo is simulated using computer programs, not animated by hand.

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