# Exam 2

(!) This is a preview of the published version of the quiz

Started: Jun 12 at 10:17am

## **Quiz Instructions**

Please answer all questions to the best of your ability. All of the questions on the exam require a typed response and I want you to include as much detail as possible. If you aren't familiar with using the insert equation feature on Canvas I would suggest you look over the link on our module page before you get started with the exam. This feature will allow you to include Greek letters, and other features of mathematical formulas in your answers.

After you start the exam, you will have a total of 60 minutes to answer all the questions and submit the exam. This is an open notes exam, but you are not allowed to get help from any other source including but not limited to tutors, or your fellow classmates.

Best of luck!



Question 2 12 pts  
Find the exact solutions of the equation, in radians, that lie in the interval 
$$[0, 2\pi)$$
.  
 $\sin(2x - \frac{\pi}{4}) = 0$ 

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10 pts

#### Question 3

Verify the following Identity:

$$\sin^2(-x) + \cos^2(-x) = 1$$

Question 4	10 pts
Verify the following Identity: $\left( \sec(x) -  an(x)  ight)^2 = 1 - \sin(x)$	
р	i (∱)   0 words    ∠ <sup>7</sup> ∷

Question 510 ptsVerify the following Identity:
$$\cos(x+y) + \cos(x-y) = 2\cos(x)\cos(y)$$
p $\widehat{}$  (f) 0 words $\checkmark$   $\checkmark$  ii

р

р

Question 6	10 pts
Find the exact value of the sine, cosine, and t	angent of the angle $rac{7\pi}{12}=rac{\pi}{4}+rac{\pi}{3}$
р	i () words  ∠ !

# Question 710 ptsWrite the following function in the form $C \sin(x + \theta)$ where $\theta$ is in the interval $[0, 2\pi)$ . $f(x) = \sin(x) - \sqrt{3}\cos(x)$ p $\widehat{\mathbf{P}}$ $\widehat{\mathbf{P}$ $\widehat{\mathbf{P}$ $\widehat{\mathbf{P}$ $\widehat{\mathbf{P}$ $\widehat{\mathbf{P}$ $\widehat{\mathbf{P}$ </



# Question 9 13 pts Find the exact solutions of the equation, in radians, that lie in the interval $[0, 2\pi)$ .

$\sin^3(x)=\sin(x)$	
р	

	Quiz saved at 10:17am	Submit Quiz
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